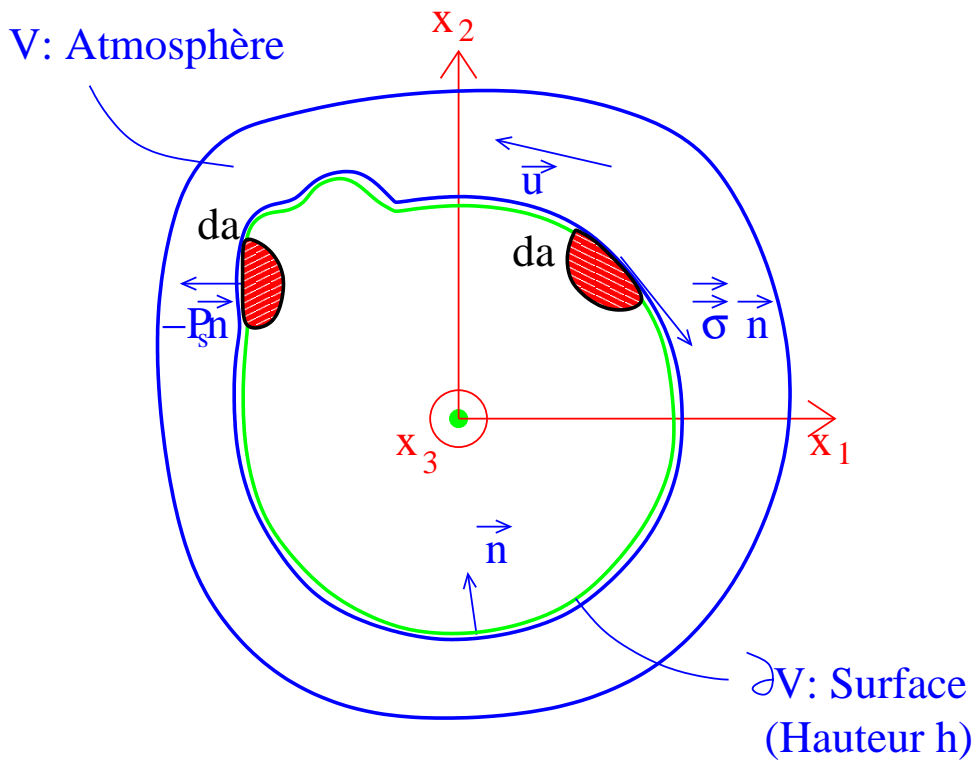


# Atmosphère seule, composante polaire (selon $x_3$ )



$$\frac{d}{dt}M = \frac{d}{dt}(M_R + M_\Omega) = T_M + T_B$$

Atmosphère mince et hydrostatique:

Moment angulaire de vent (relatif):

$$M_r = \int_V \rho r \cos \theta u dV = \int_0^{2\pi} \int_{-\pi/2}^{\pi/2} \int_0^{P_s} r^2 \cos \theta r \cos \theta u \frac{dp}{g} d\lambda d\theta$$

Moment angulaire de masse:

$$M_\Omega = \int_{\partial V} r \cos \theta (\Omega r \cos \theta) \frac{P_s}{g} da = \int_0^{2\pi} \int_{-\pi/2}^{\pi/2} \frac{r^4 \Omega}{g} \cos^3 \theta P_s d\lambda d\theta$$

Couple des montagnes:

$$T_M = - \int_{\partial V} P_s \frac{\partial h}{\partial \lambda} da = - \int_0^{2\pi} \int_{-\pi/2}^{\pi/2} r^2 \cos \theta P_s \frac{\partial h}{\partial \lambda} d\theta d\lambda$$

Couple dû à la friction de couche limite:

$$T_F = \int_{\partial V} r \cos \theta \tau_{s\lambda} da = \int_0^{2\pi} \int_{-\pi/2}^{\pi/2} r^2 \cos \theta r \cos \theta \tau_{s\lambda} d\theta d\lambda$$

$r$  rayon de la terre,  $g$  gravité,  $\Omega$  taux de rotation moyen,  $u$  vent zonal.  $p$  pression,  $P_s$  pression au sol,  $\lambda$  longitude,  $\theta$  latitude.