

**Les paramétrisations convectives
dans LMDZ
face à la compréhension des
processus.**

Jean-Yves Grandpeix, LMDZ Team

**Ateliers de Modélisation de l'Atmosphère,
12 Mars 2021 ; Toulouse**

**Les paramétrisations convectives
dans LMDZ**

**face à Jean-Luc Redelsperger,
Françoise Guichard, Jean-Philippe
Lafore**

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I - Développements propres au schéma convectif

II - Poches froides (schéma des wakes)

III - Couplage de la paramétrisation des poches avec le schéma de convection profonde

IV - Couplage des poches, de la convection profonde et des thermiques

V - Déclenchement stochastique

VI - Développements en cours ou à venir
a/ Dynamique de population des poches
b/ Brises
c/ Splitting des flux de surface

I - Développements propres au schéma convectif

Schéma d'Emanuel caractérisé par : multiples courants saturés ; une descente insaturée.
Code structuré et vectorisé par Sandrine Bony.

Il y a toujours un fond d'activité portant sur le schéma convectif lui-même

+ **Paramétrisation des probabilités de mélange** pour obtenir une meilleure sensibilité de la convection à l'humidité troposphérique (Grandpeix et al, 2002)

+ **Paramétrisation du transport et du lessivage** des aérosols (Pilon et al, 2014)

+ **Ejection des précipitations liquides** afin de corriger un défaut de LMDZ qui faisait que la majorité des précipitations étaient produites en phase glace, contrairement aux observations (en cours)

Mais surtout il y a eu les changements clef ayant pour but de coupler le schéma convectif aux poches froides :

+ **séparation des environnements** des courants saturés et insaturés

+ **séparation des tendances** dues aux courants saturés et insaturés

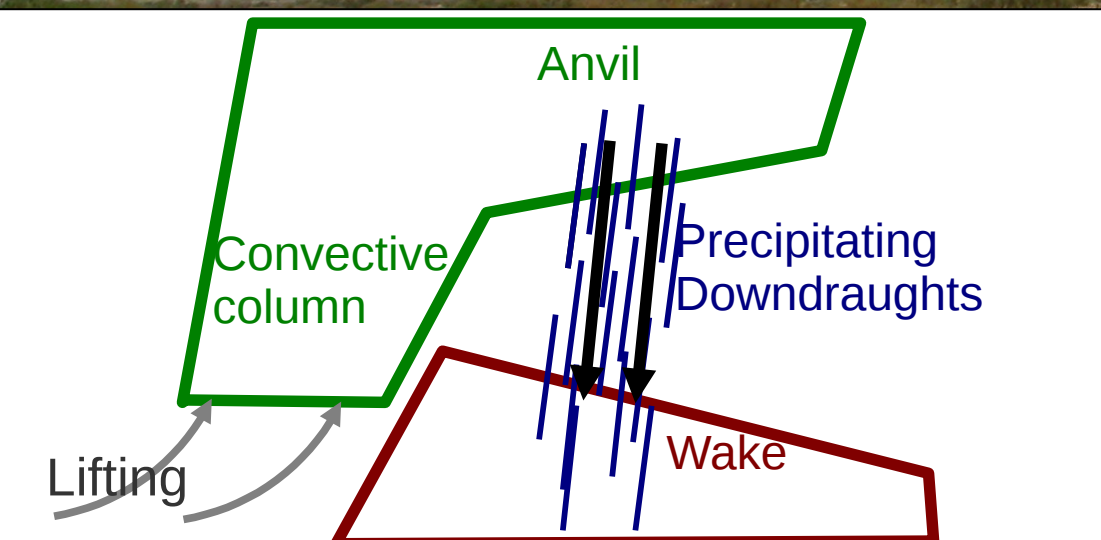
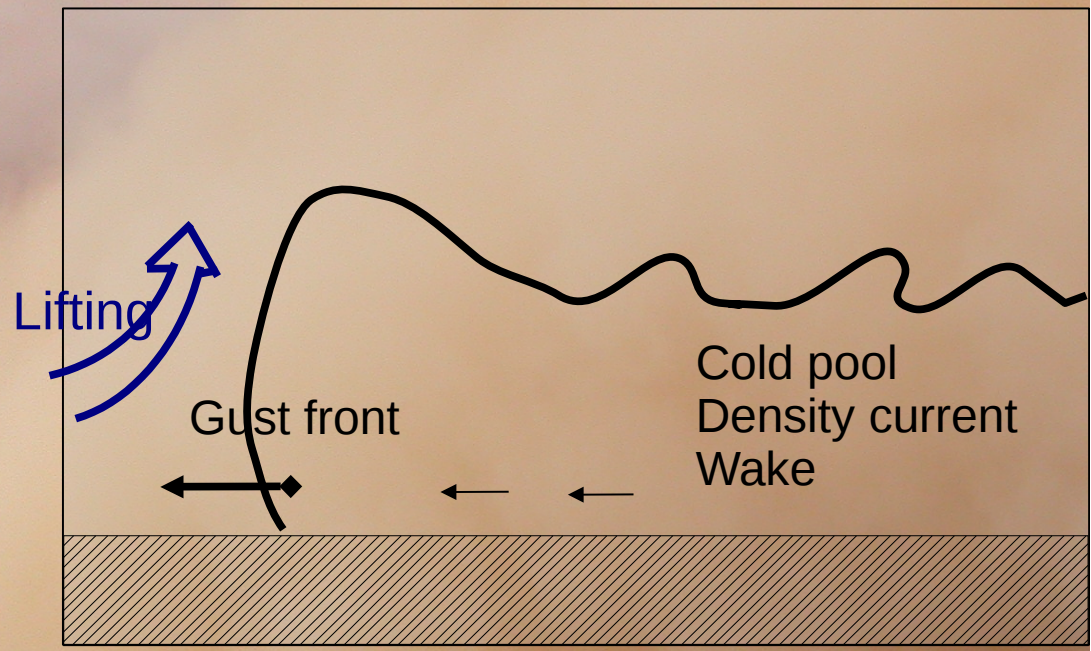
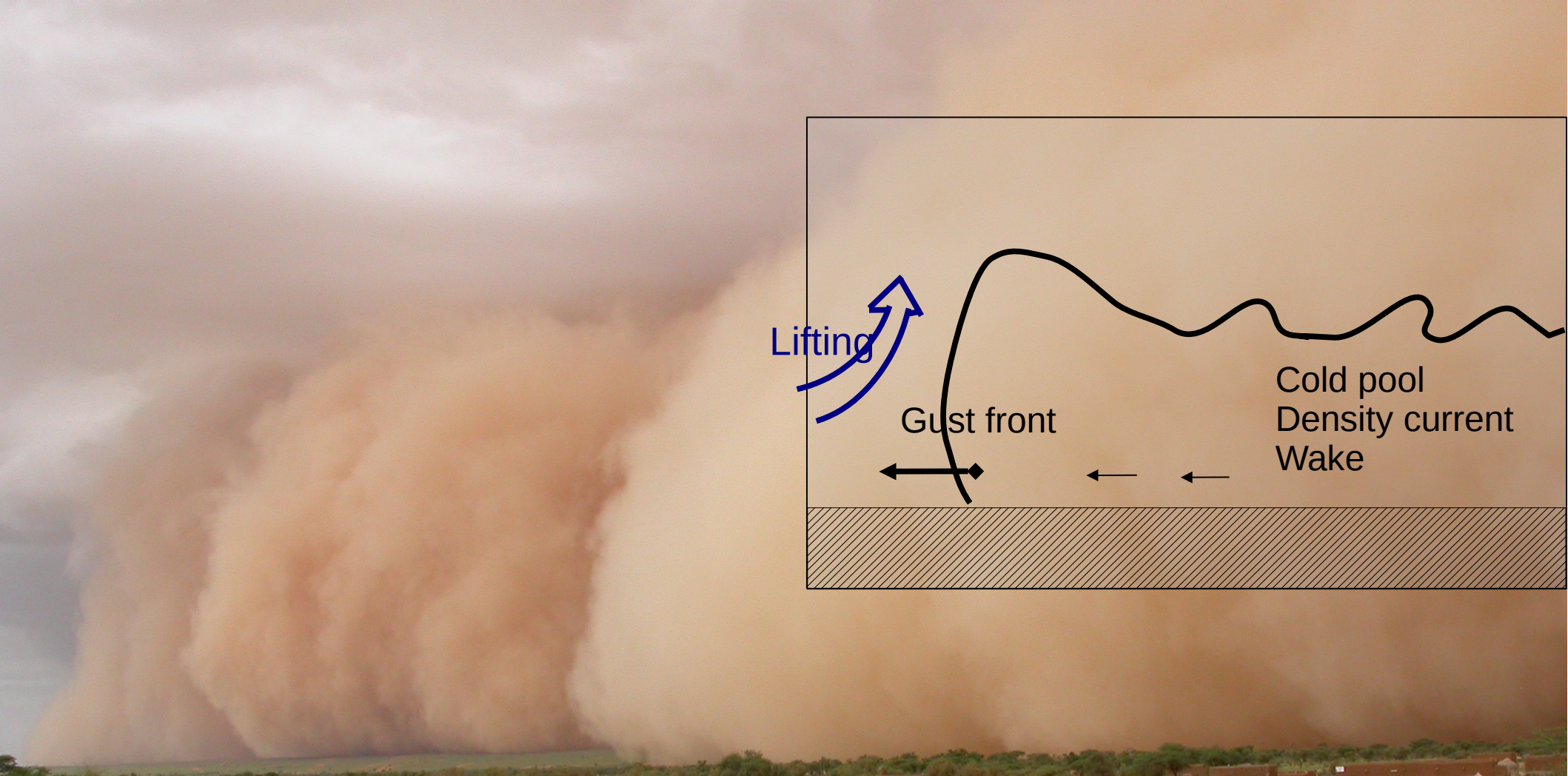
+ **commande du déclenchement et de la fermeture** convective par les variables ALE et ALP afin de représenter le soulèvement au front de rafales.

II - Density current parametrization:

**The “wake” model of LMD and CNRM
(Grandpeix, Lafore 2010; Grandpeix et al 2010)**



Mali, August 2004
F. Guichard, L. Kergoat

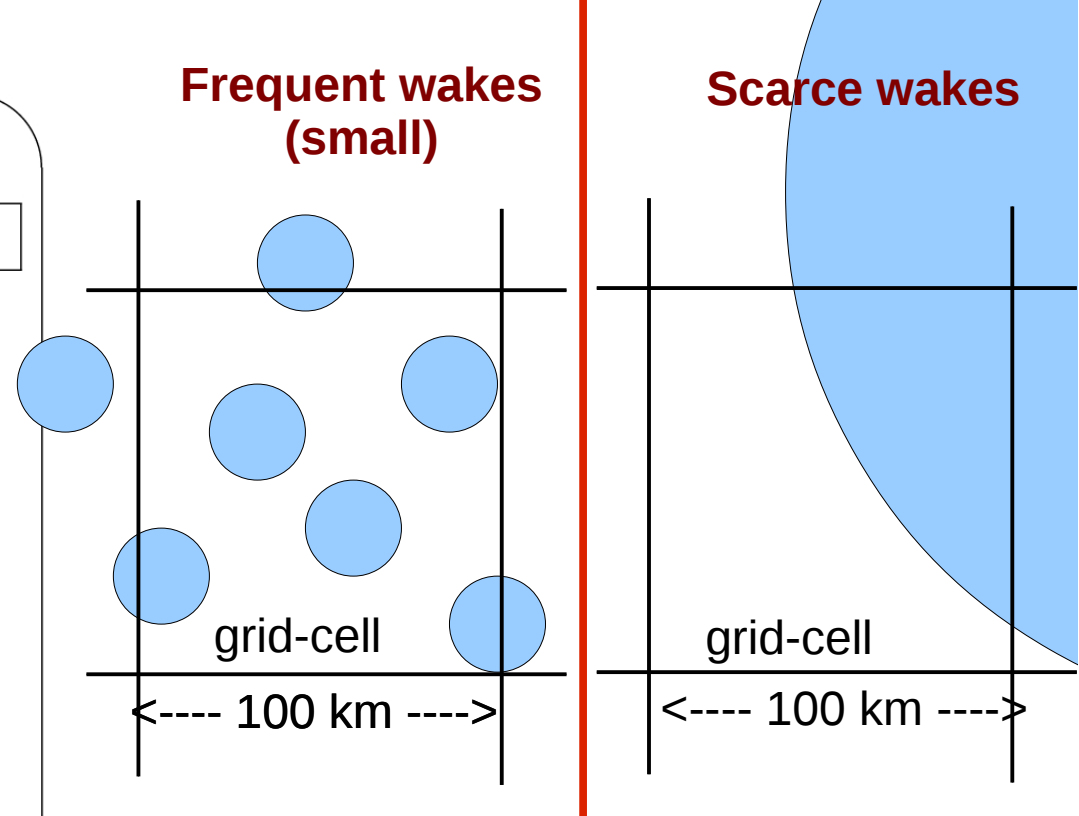


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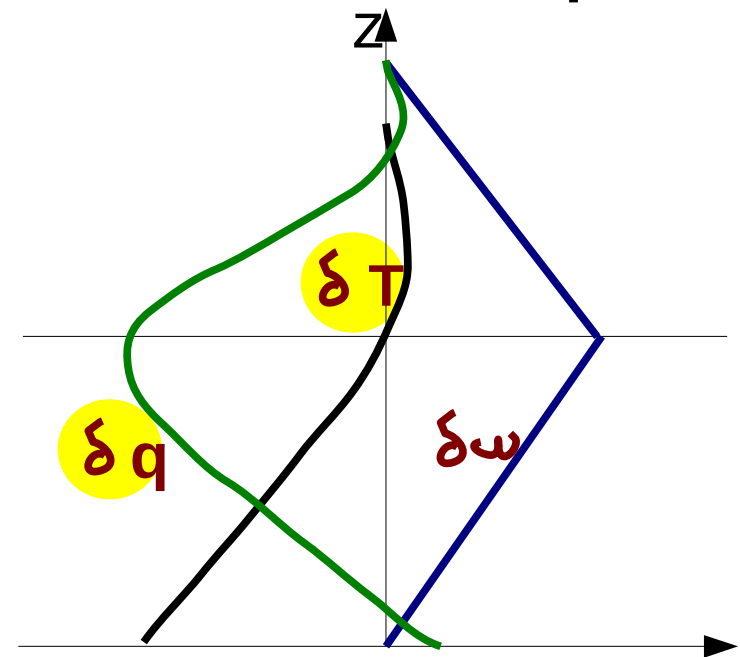
The density current (wake) parametrization

(Grandpeix and Lafore, JAS, 2010; Grandpeix et al., JAS 2010)

- Representation of a part of an infinite plane where identical cold pools (radius r , height h) are scattered with an homogeneous density $D_{\mathbf{wk}}$.
- State variables : (i) surface fraction covered by the wakes $\sigma_w = \frac{S_w}{S_t}$ ($\sigma_w = \pi r^2 D_{\mathbf{wk}}$), (ii) temperature and humidity differences (resp. $\delta\theta(p)$ and $\delta q(p)$) between wake and off-wake regions.
- Spreading speed : C_* such that $C_*^2 \simeq WAPE$ (WAKE Potential Energy); $WAKE = \int_{p_{top}}^{p_{surf}} R_d \delta T_v \frac{dp}{p}$
- Evolutions of $\delta\theta$ and δq profiles are given by conservation equations of mass, energy and water taking into account vertical advection, turbulence and phase changes.
- Turbulence and phase change terms are assumed to be given by the deep convection scheme.
- $\delta\omega$ profile is linear between the surface and the wake top (no mass exchange through the wake boundary); it goes back to 0 linearly between the wake top and an arbitrary altitude (about 4000 m).



Wake differential profiles

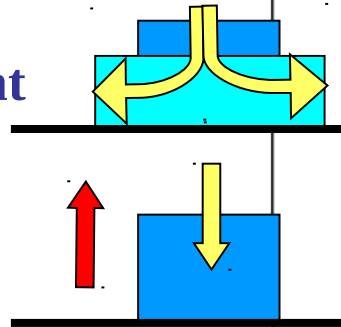


Large scale variable tendencies

Potential temperature :

$$\left\{ \begin{aligned} \partial_t \bar{\theta} &= (\partial_t \bar{\theta})_{LS} + \frac{Q_R + \overset{\text{PBL}}{\underbrace{Q_1^{bl}}} + \overset{\text{KE}}{\underbrace{Q_1^{cv}}} + \underbrace{Q_1^{wk}}}{C_p} \\ \underbrace{\frac{Q_1^{wk}}{C_p}} &= +(\partial_t \sigma_w - e_w) \delta\theta && \text{Spreading and entrainment} \\ & - \sigma_w (1 - \sigma_w) \delta\omega \partial_p \delta\theta && \text{Differential vert. advection} \end{aligned} \right.$$

New term



Specific humidity : idem.

Wake variable tendencies

Potential temperature difference :

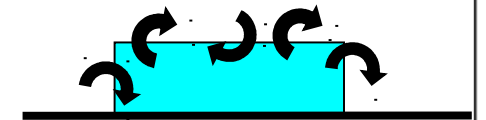
$$\partial_t \delta\theta = \underbrace{-\bar{\omega} \partial_p \delta\theta}_{\text{green circle}} + \underbrace{\frac{\delta Q_1^{\text{cv}}}{C_p}}_{\text{red circle}} + \underbrace{\frac{\delta Q_1^{\text{wk}}}{C_p}}_{\text{blue circle}} - \frac{k_{\text{gw}}}{\tau_{\text{gw}}} \delta\theta$$

$$\text{where } \tau_{\text{gw}} = \frac{\sqrt{\sqrt{\sigma_w}(1-\sqrt{\sigma_w})}}{4Nz\sqrt{D_{\text{wk}}}}$$

is the damping time by gravity waves

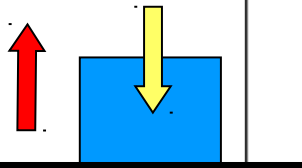
$$\frac{\delta Q_1^{\text{wk}}}{C_p} = -\frac{e_w}{\sigma_w} \delta\theta$$

: Entrainment



$$-\delta\omega \partial_p \bar{\theta}$$

: differential advection of $\bar{\theta}$



$$-(1 - 2\sigma_w) \delta\omega \partial_p \delta\theta$$

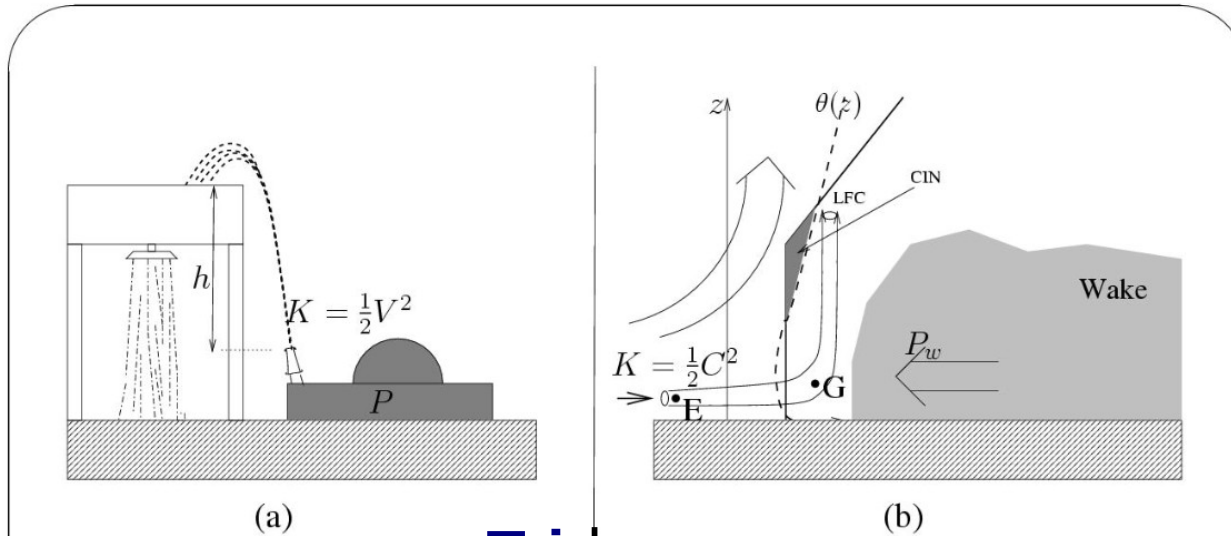
: differential advection of $\delta\theta$

Specific humidity difference : idem (except for the gravity wave term).

III - Coupling wakes and deep convection:

**The Available Lifting Energy (ALE) and
Available Lifting Power (ALP) interface variables**

Coupling convection with sub-cloud processes: ALE & ALP; 1



At least two variables:
 • the **Available Lifting Energy (ALE)**
 • the **Available Lifting Power (ALP)**.

The **shower is triggered** when $K > gh$ ($K = \text{ALE} = \text{Available Lifting Energy}$).

Convection is triggered when the maximum kinetic energy K ($K = \text{ALE}$) of air impinging on the gust front exceeds the convective inhibition: **$\text{ALE} > |\text{CIN}|$**

Trigger

Closure

The pump (power P) yields a mass flow rate M . A fraction k (the engine efficiency) of P is used by the stream.

The wakes provide a power P_w . A fraction k (the wake lifting efficiency) of P_w is used to lift draughts with mass flow rate M :

- overcoming inhibition \Rightarrow power $M |\text{CIN}|$
- velocity at LFC $= w_B \Rightarrow$ power $\frac{1}{2} M w_B^2$
- dissipation \Rightarrow power $\frac{3}{2} M w_B^2$

Closure: stream power $M K = k P (= \text{ALP})$

Closure: **$M (|\text{CIN}| + 2 w_B^2) = k P_w (= \text{ALP})$**

Coupling convection with sub-cloud processes: ALE & ALP

More generally, the convection parametrization is coupled to sub-cloud processes through the two variables: ALE (for the trigger) and ALP (for the closure).

$$\text{ALE} = \sup(\text{ALE}_{\text{PBL}}, \text{ALE}_{\text{ORO}}, \text{ALE}_{\text{WK}})$$

$$\text{ALP} = \text{ALP}_{\text{PBL}} + \text{ALP}_{\text{ORO}} + \text{ALP}_{\text{WK}}$$

ALE (Available Lifting Energy) (J/kg)

ALE = order of magnitude of the kinetic energy of the strongest updraughts (scale $\simeq km$).

- Boundary layer : $ALE \simeq (\frac{1}{2}w^2)_{max}, \simeq (\frac{1}{2}w^2)_{Thermals}$.
- Orography thermal effect : ALE estimated from the potential energy of the surface layer.
- Density currents : $ALE = \frac{1}{2}C_*^2$ (C_* = gust front velocity).

ALP (Available Lifting Power) (W/m^2)

- PBL :

$$ALP = \frac{1}{2}\overline{\rho w^3} \quad (\simeq \text{qq } 0.01 \text{ W/m}^2)$$

- Density currents :

$$ALP = h_w \Gamma_w \frac{1}{2} \rho c_*^3 \quad (\Gamma_w = \text{gust frt lgth / unit area})$$

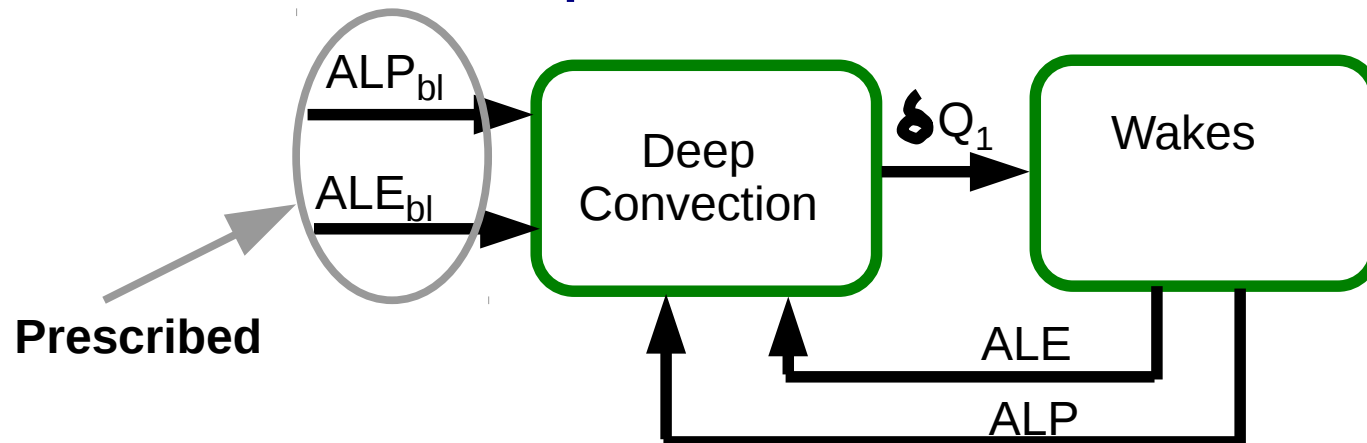
($\simeq \text{qq } 0.1 \text{ W/m}^2$)

- Orography :

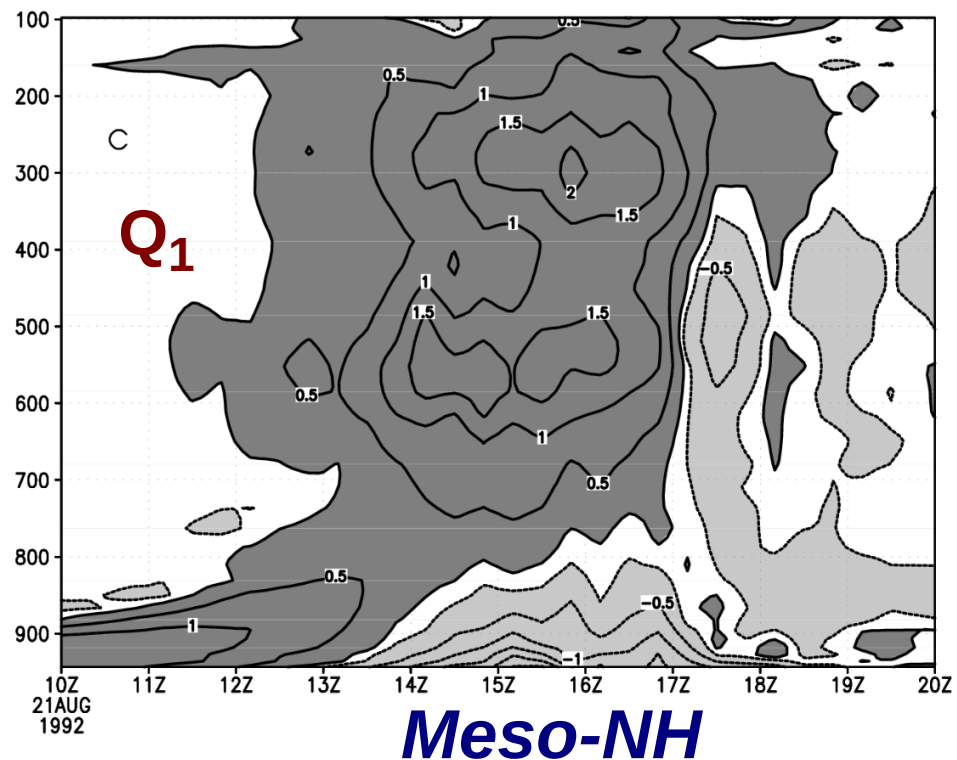
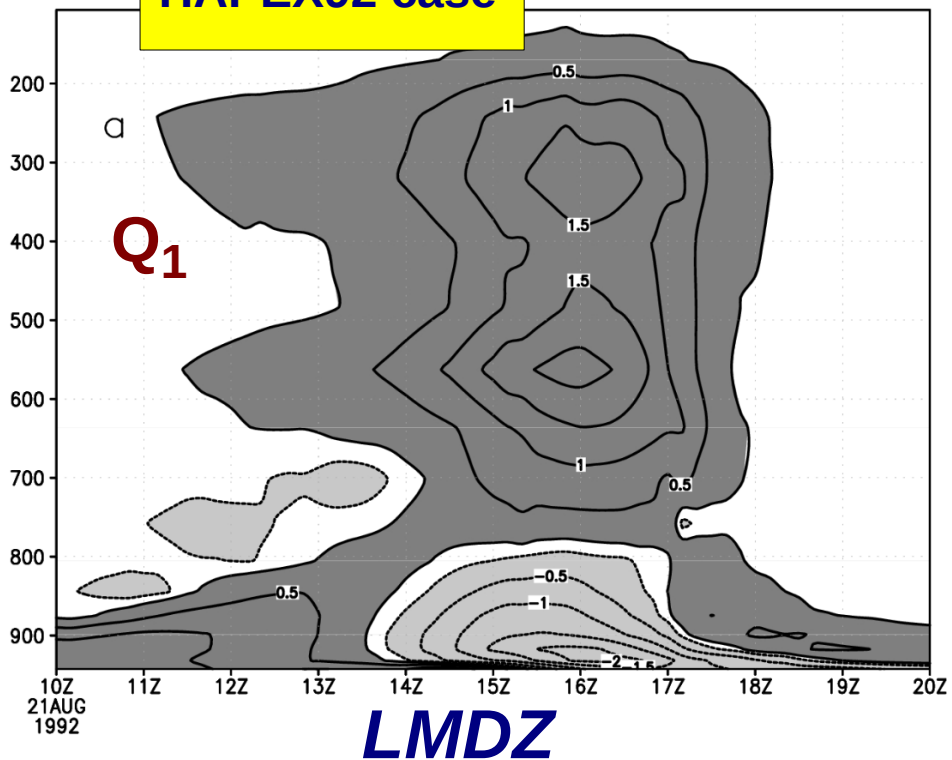
$$ALP = - \int_{top}^{base} \vec{D} \cdot \vec{V} dp \quad (\simeq \text{qq } 0.1 \text{ W/m}^2)$$

Coupling wakes and deep convection:

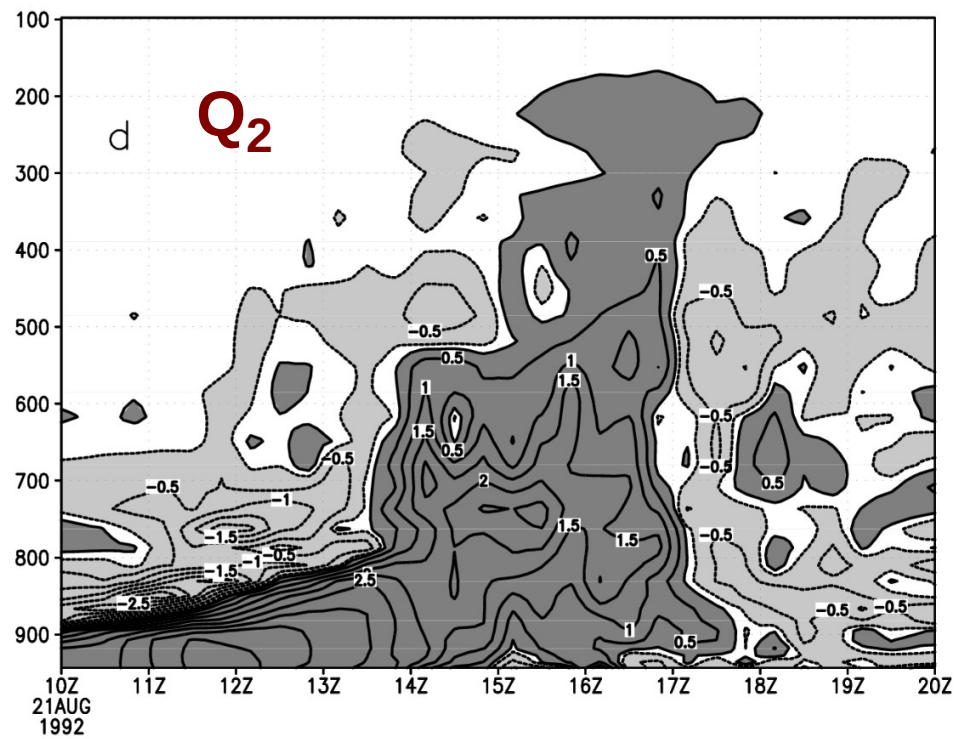
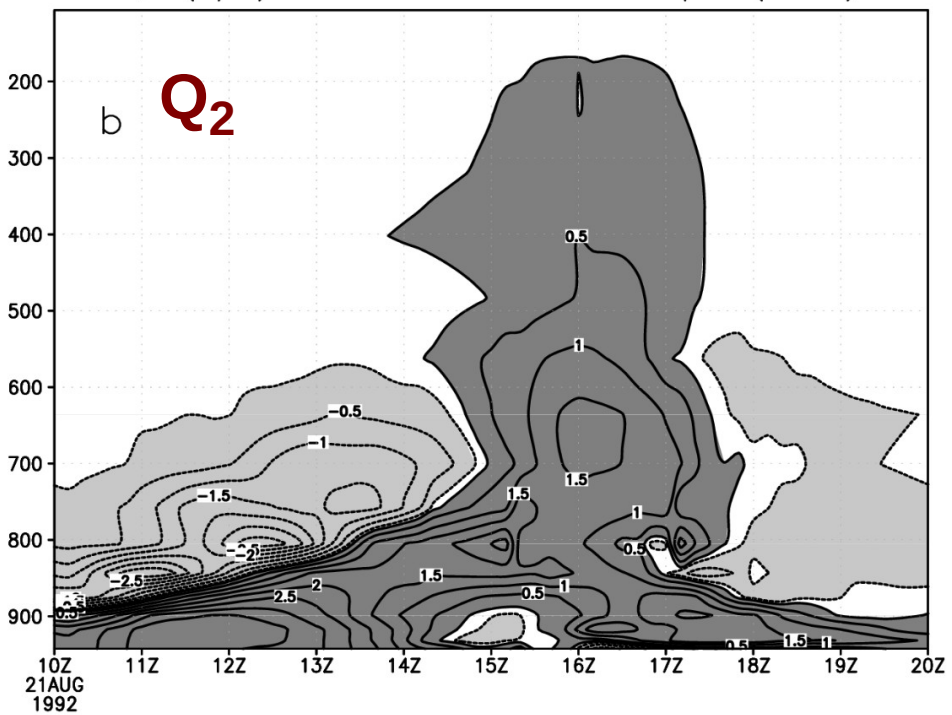
Simulations of a Hapex92 case; “wake” scheme is the sole source of Ale and Alp; boundary layer Ale and Alp are prescribed; comparison with Meso-NH CRM simulations

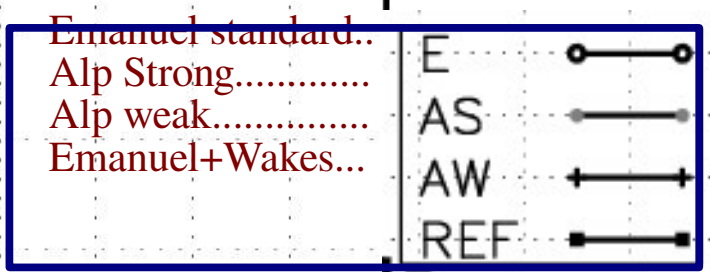
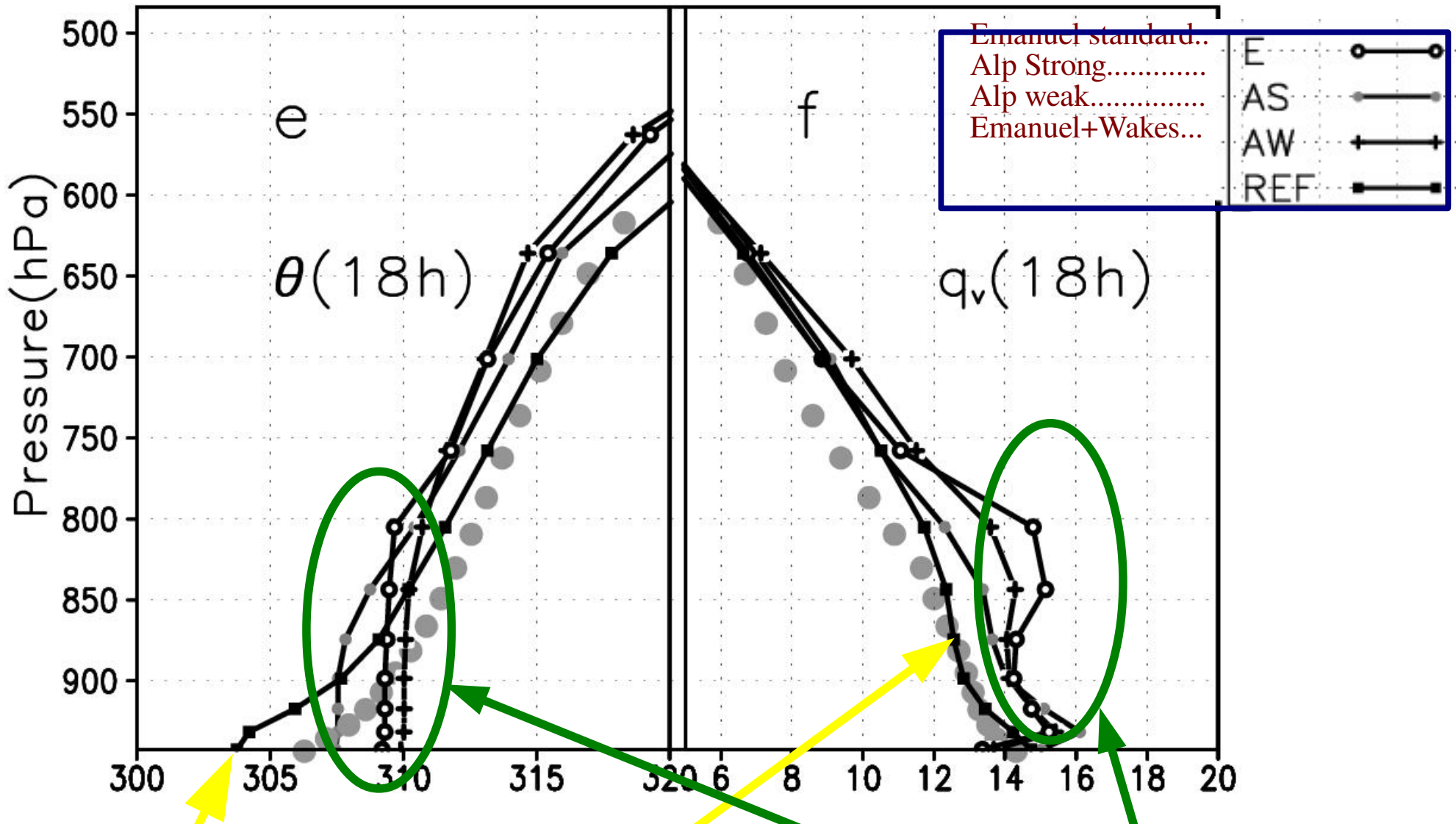


HAPEX92 case



Q2 (K/h) avec flux turbulents. Hapex (Initial)



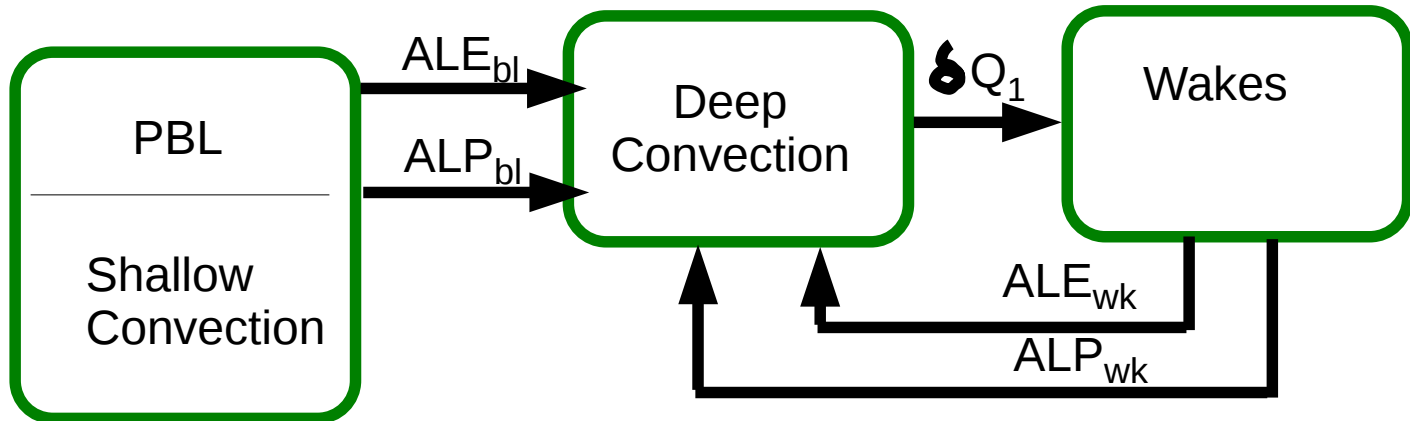


Only the simulation using "wake" yields a stratification in agreement with CRM results.

The other simulations yield a well mixed boundary layer.

IV - Coupling wakes, thermals and deep convection:

**Thermal plumes,
The “Thermals” model and the trigger and closure of
The deep convection scheme.
(Rio et al 2008)**



ALE_{bl} (Available Lifting Energy due to thermal plumes) (J/kg)

$$\text{ALE}_{\text{bl}} = \frac{1}{2}w_{\text{max}}^2$$

where w_{max} is the maximum thermal plume vertical velocity over the vertical.

ALP_{bl} (Available Lifting Power due to thermal plumes)(W/m²)

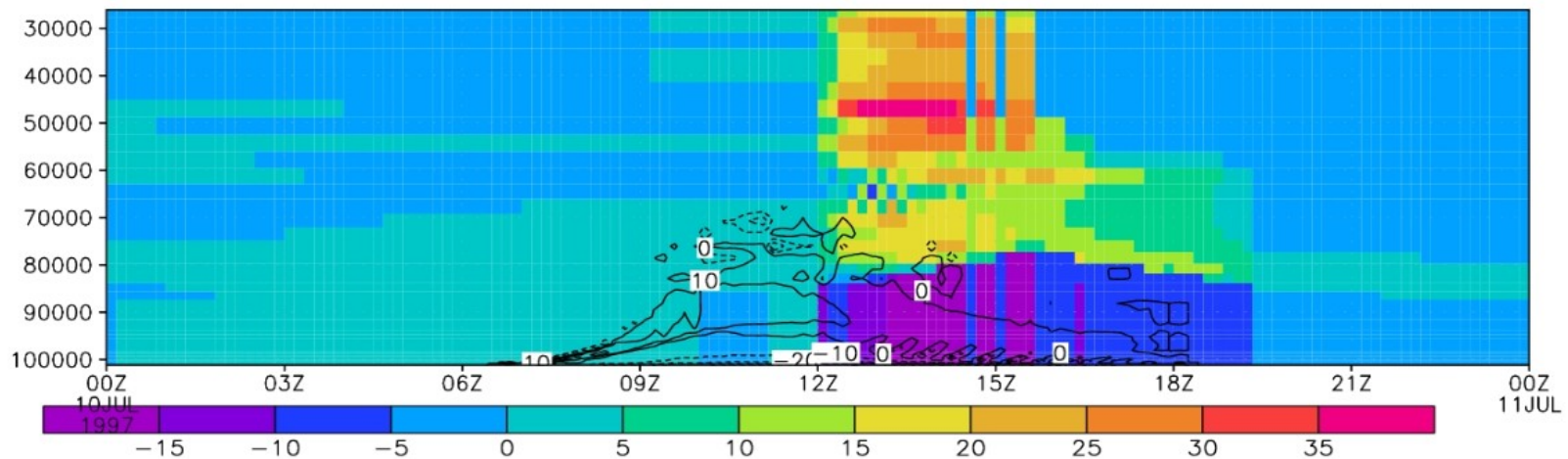
Averaging $1/2\rho w^3$ horizontally at cloud base one gets :

$$\text{ALP}_{\text{bl}} = \frac{3}{2}\rho w_0^3 \frac{\alpha(1 - 2\alpha)}{(1 - \alpha)^2}$$

where α is the fractionnal area covered by thermal plumes at cloud base and w_0 is the thermal plume vertical velocity at cloud base.

GrADS: CC

RCE case
Over land



GrADS: COLA/IGES

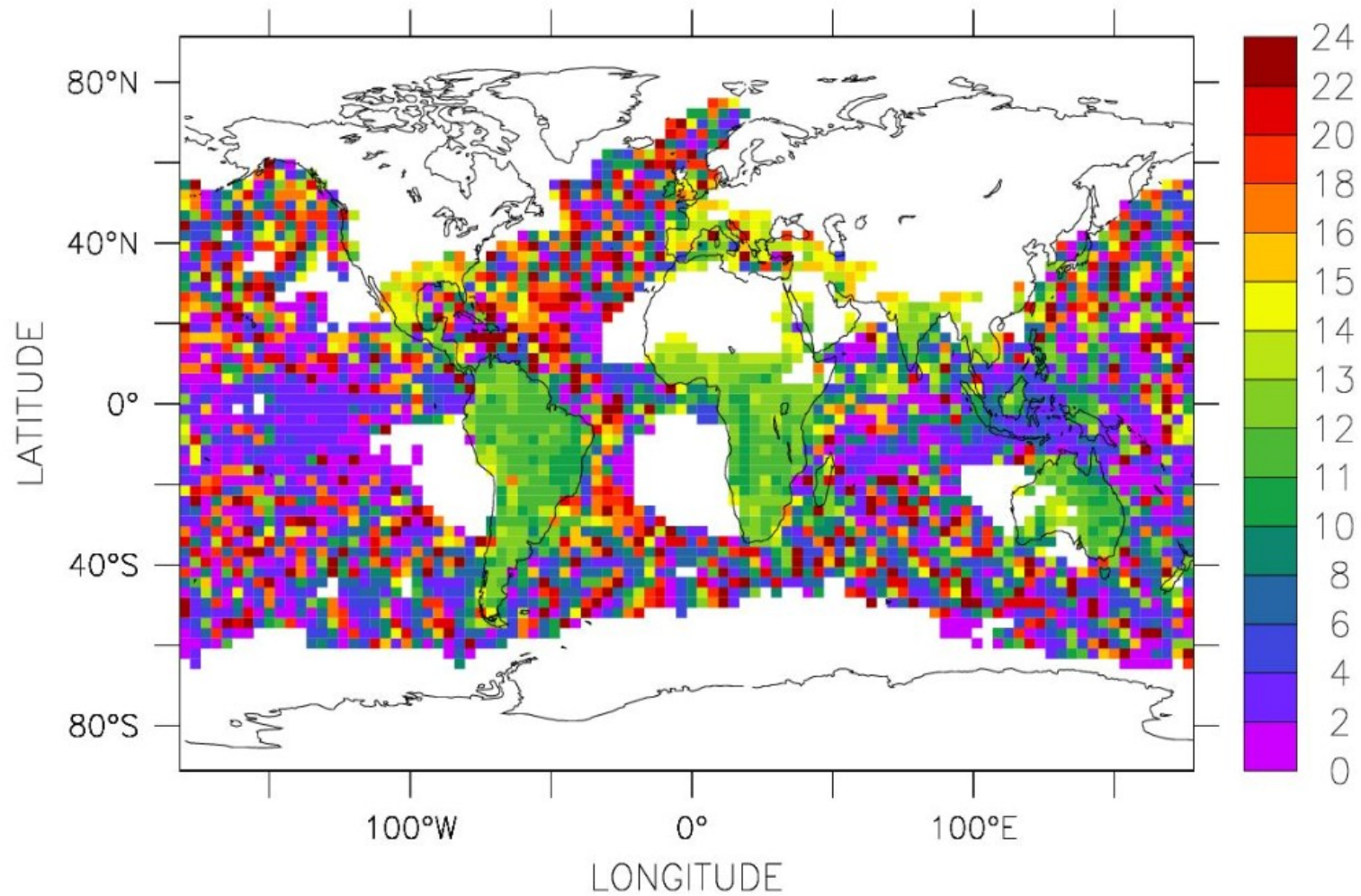


Figure 1: Simulated time of maximum convective precipitation in January; LMDZ4/AR4 physics.

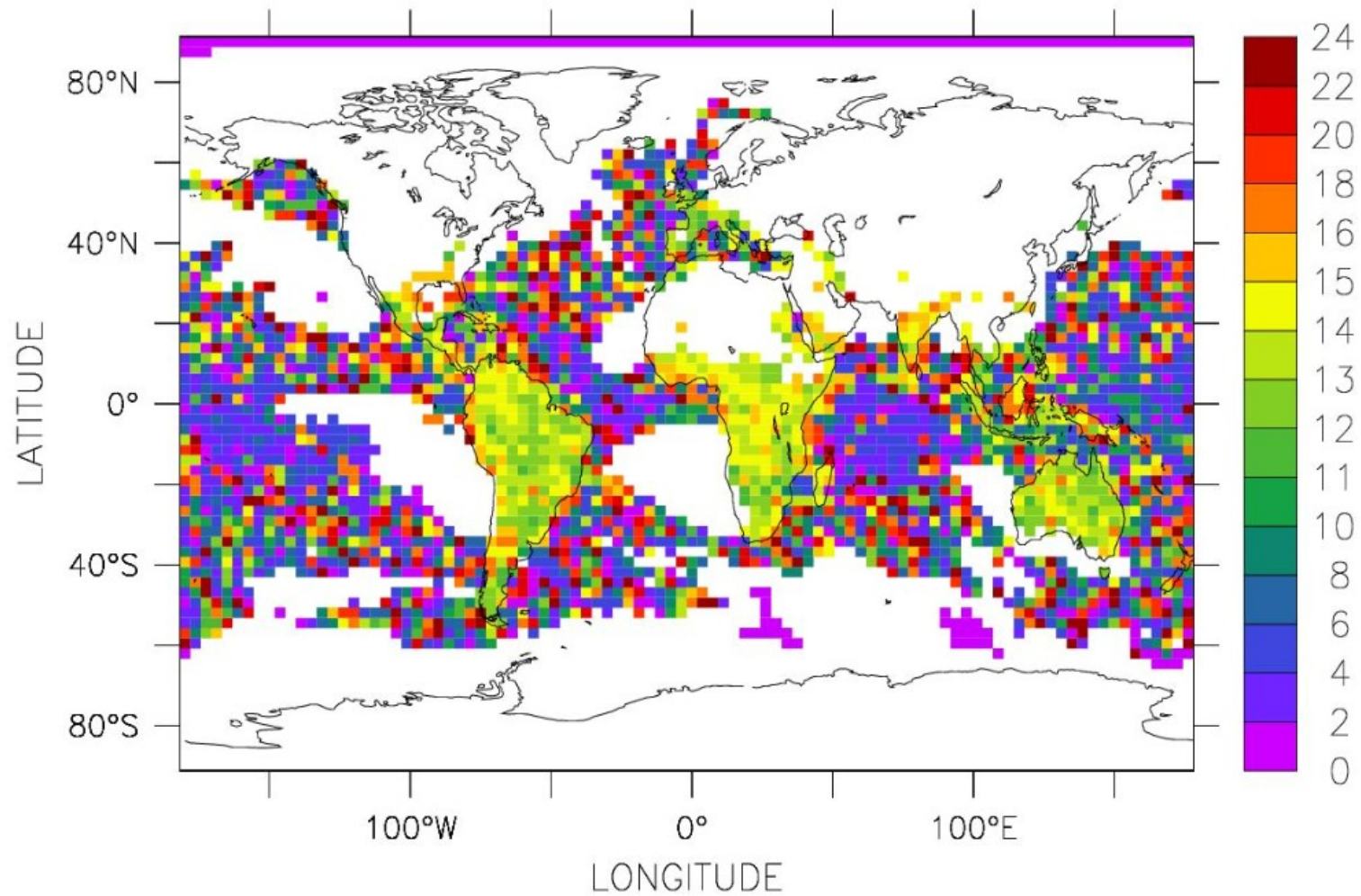


Figure 2: Simulated time of maximum convective precipitation in January; LMDZ4/new physics.

Diurnal cycle is improved.

However, it rains almost every day almost everywhere in the tropics.

The trigger has to be more constrained.

V – Stochastic trigger:

**The “Thermals” model and the stochastic triggering of
The deep convection scheme.**

**LES analysis
(Rochetin et al 2014)**

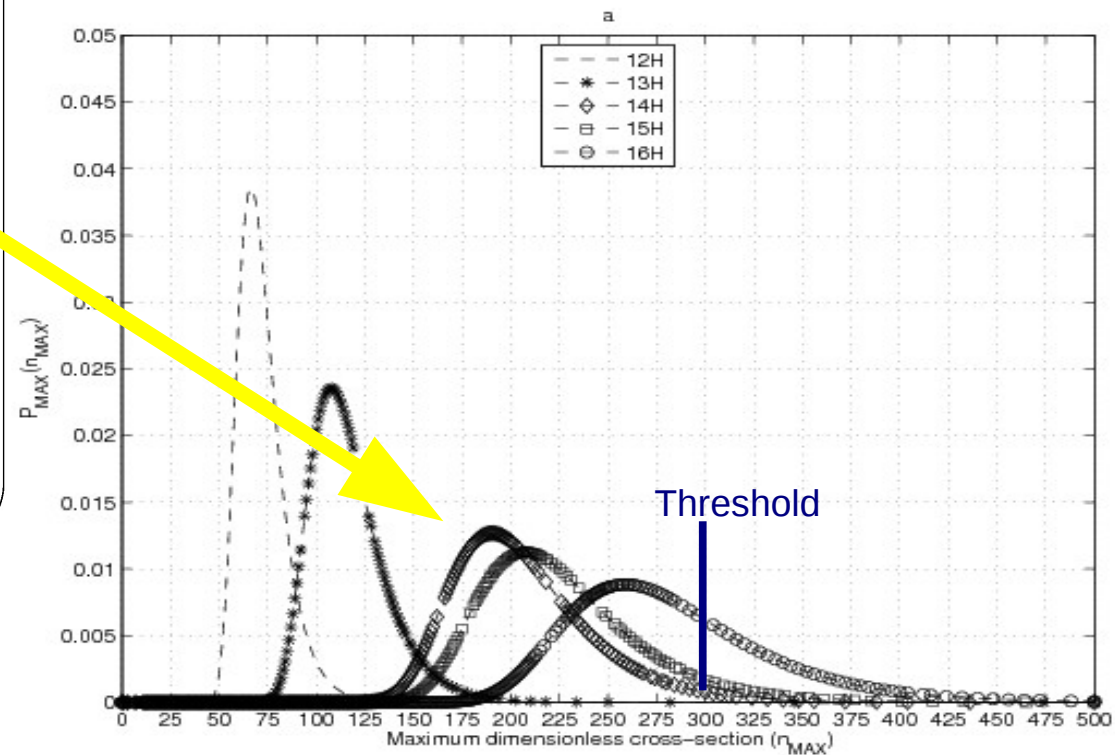
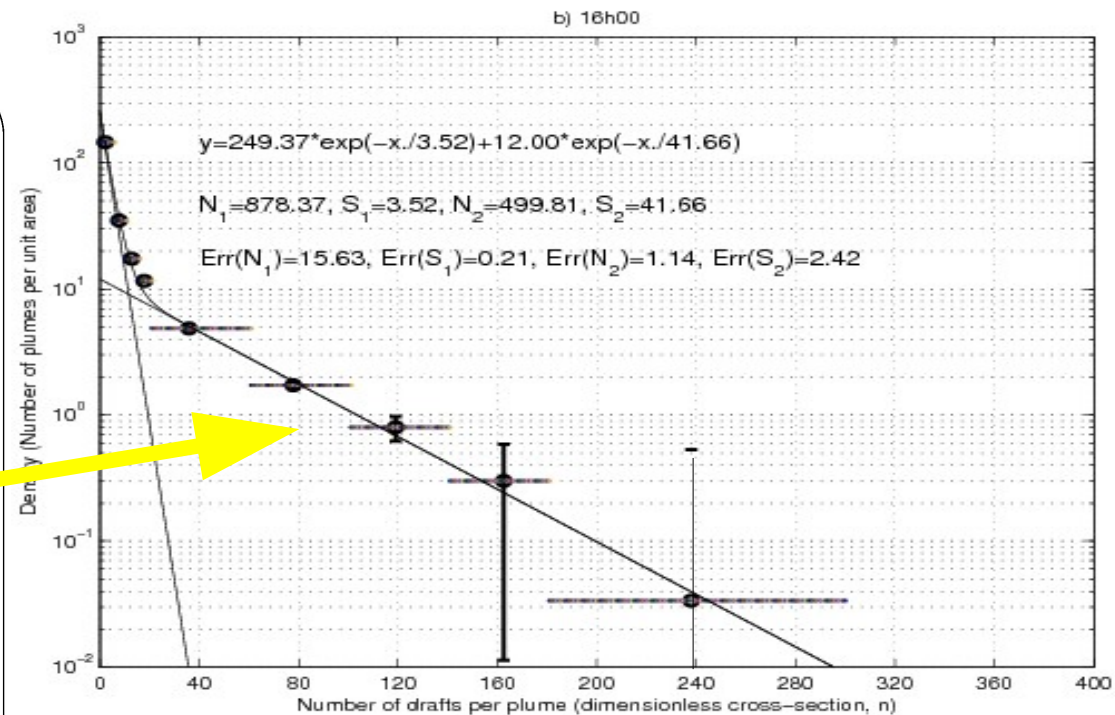
Statistical properties of plumes

-I- Cross-sections

- Two plume populations with exponential PDF of cloud base cross-section s :

$$\mathcal{N}(s) = \frac{N_1}{s_1} \exp\left(\frac{-s}{s_1}\right) + \frac{N_2}{s_2} \exp\left(\frac{-s}{s_2}\right) \quad (1)$$

- Triggering is concerned only with population 2.
- **The PDF of the maximum of s shifts towards larger s with time** : the median S_{med} increases with time.



ALP_{bl} (Available Lifting Power due to thermal plumes)

Averaging $1/2\rho w^3$ horizontally at cloud base one gets :

$$\text{ALP}_{\text{bl}} = \frac{3}{2}\rho w_0^3 \frac{\alpha(1 - 2\alpha)}{(1 - \alpha)^2}$$

where α is the fractionnal area covered by thermal plumes at cloud base and w_0 is the thermal plume vertical velocity at cloud base.

ALP_{bl} conditioned on the presence of convection

The stochastic trigger provides a probability that deep convection is triggered in the grid cell. The above formula provides the **expectation value of the ALP_{bl}**. In order to conserve this expectation value, we divide, at each time step, the ALP by the trigger probability P_τ :

$$\text{ALP}_{\text{bl,eff}} = \frac{\text{ALP}_{\text{bl}}}{P_\tau}$$

If, for instance, $P_\tau = 0.1$ then convection will trigger every tenth step with an ALP ten times larger, so that the average ALP is unchanged.

Stochastic trigger

Basis

- First trigger criterion (as before) : $ALE > |CIN|$.
- Additional criterion concerning plume sizes : trigger only if there exists a plume with $s > S_{\text{trig}} \simeq 12 \cdot 10^6 \text{ m}^2$
- Scenes separated by time intervals $> \tau \simeq 1200\text{s}$ are independant.

Implementation

- Computation of the probability \hat{P}_τ that $S_{\text{max}} < S_{\text{trig}}$ (no-trigger probability) :

$$\hat{P}_\tau = \left(1 - \exp\left(\frac{-S_{\text{trig}}}{S_2}\right) \right)^{N_2 \frac{\delta t}{\tau}} \quad (2)$$

- Generation of a random number R uniform over $[0, 1]$.
- Trigger if $R > \hat{P}_\tau$

Summing up :

Trigger condition =

- **Cloudy** convective boundary layer
- **ALE** $>$ **|CIN|**
- Random number $R > \hat{P}_\tau$.

AMMA case simulation; stochastic triggering leads to:

- *Delay of deep convection triggering.*
- *Larger growth of cumulus clouds.*

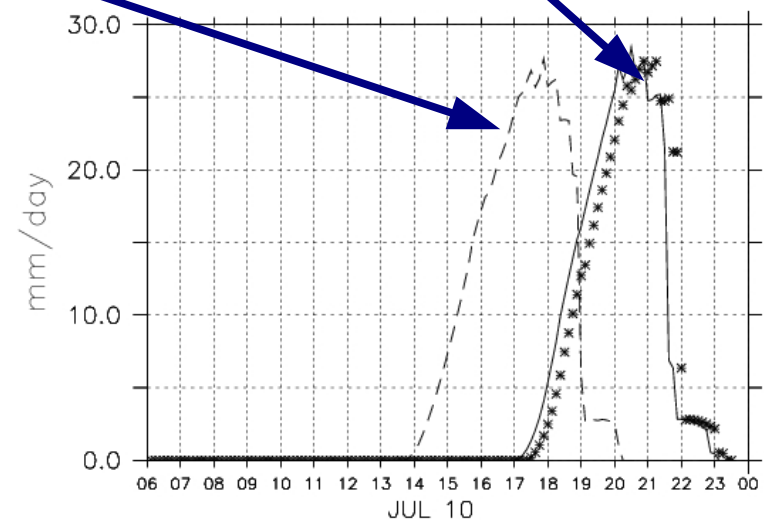
Heating by deep convection

Cooling by cumulus

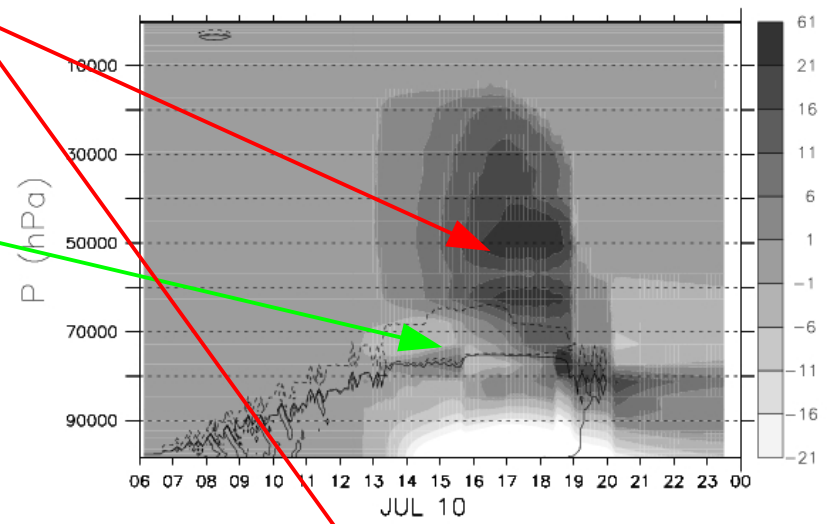
Two realizations with the stochastic trigger

Standard (deterministic) trigger

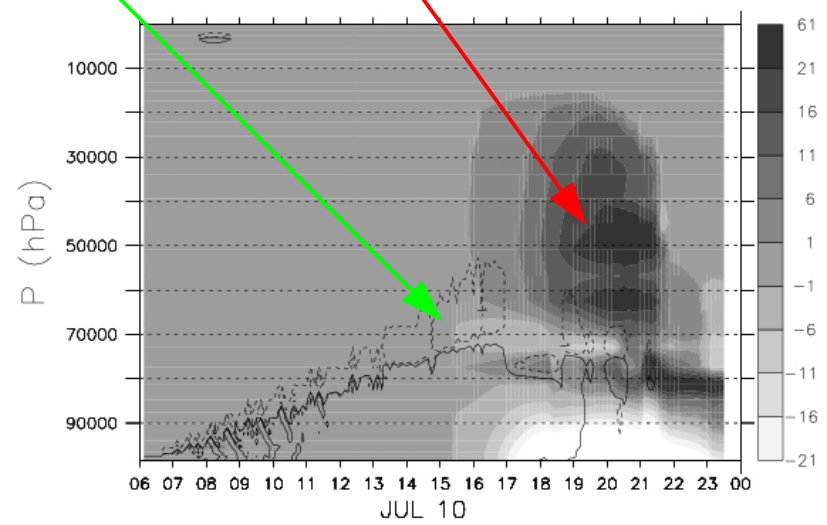
**AMMA case
10 July 2006**



Convective precipitation



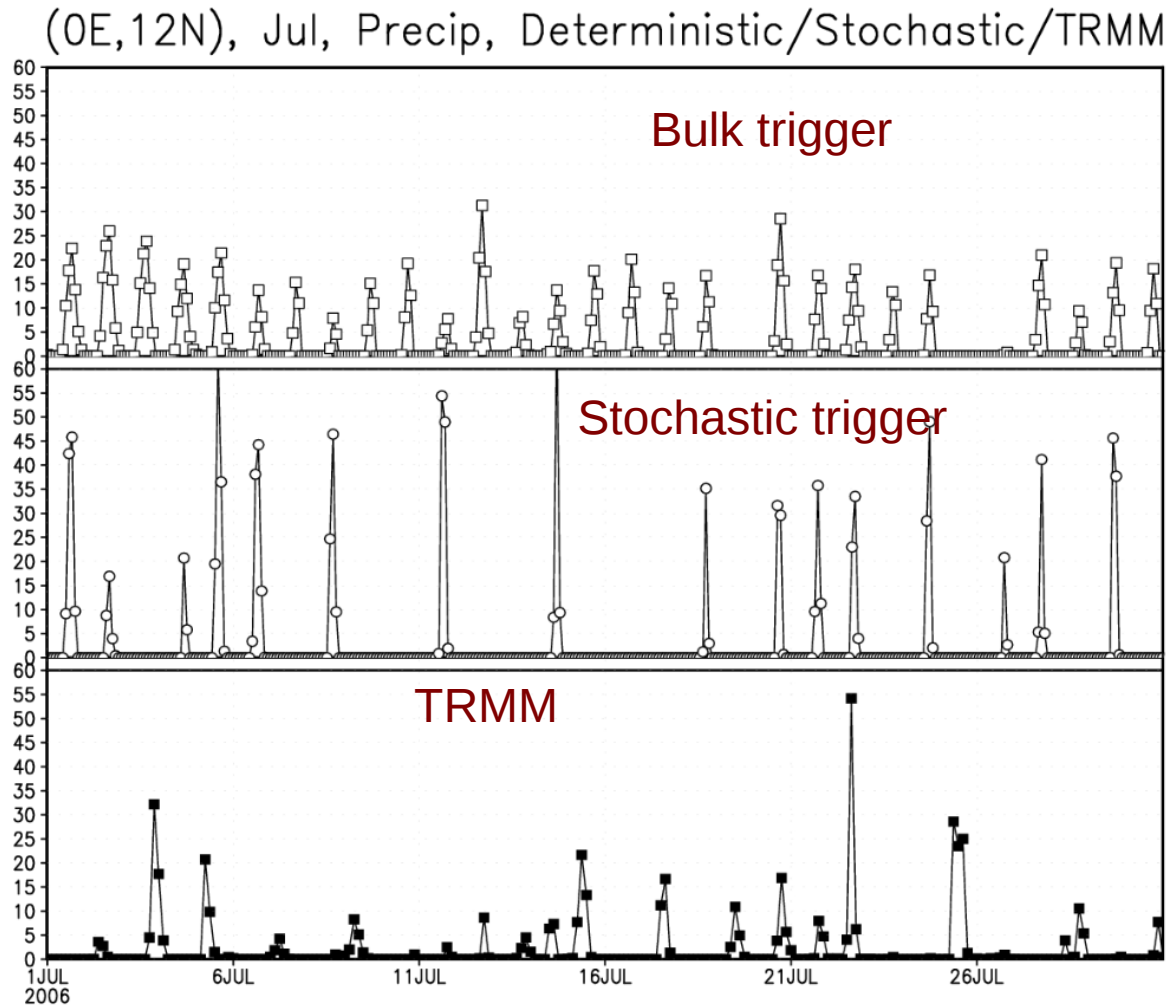
Q1 CV & Q1 BL (K/day): DET



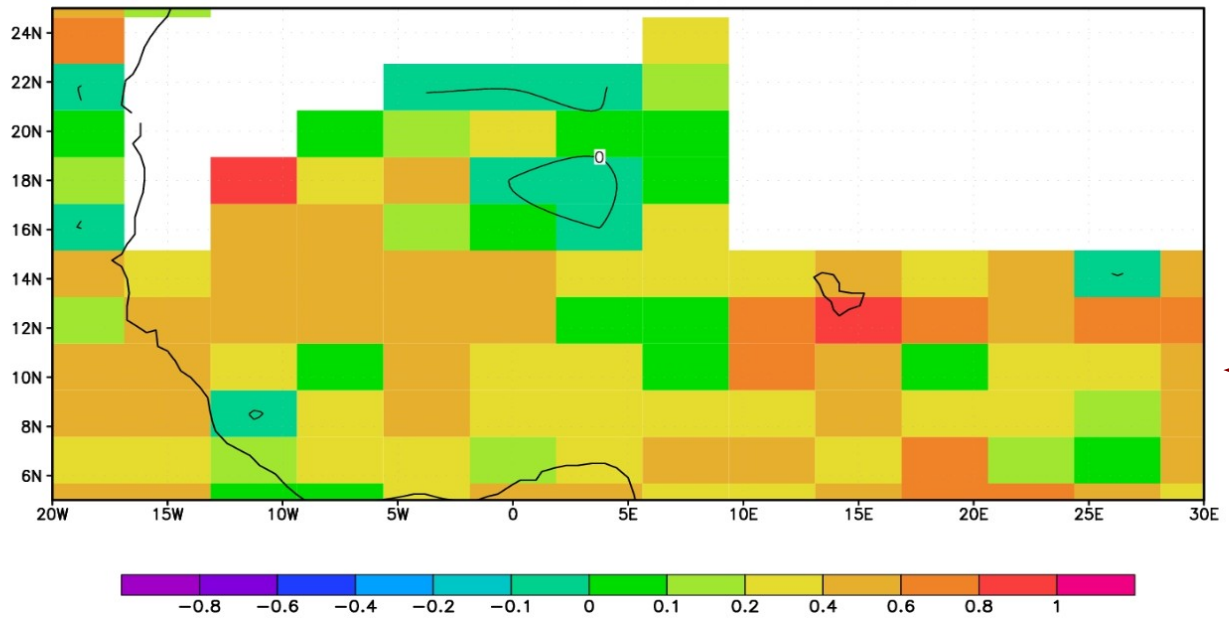
Q1 CV & Q1 BL (K/day): STAT

Stochastic triggering yields back precipitation intermittency

Precipitation at Niamey in July



Correlation [prec(d),prec(d+1)]

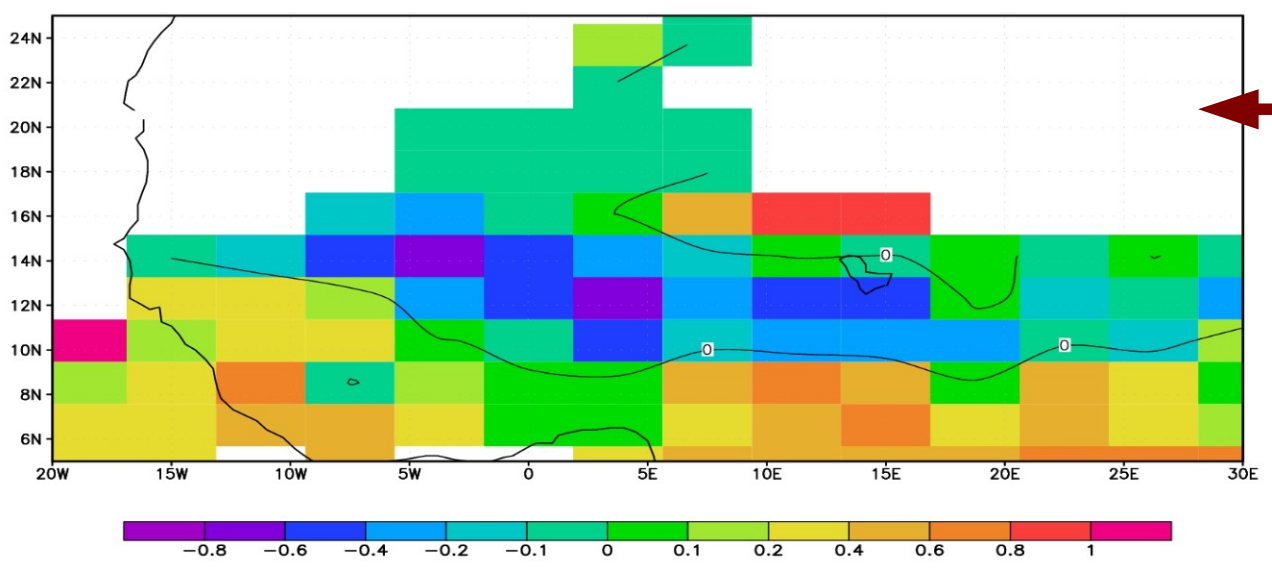


Intermittence - 2

Declenchement standard

GrADS: COLA/IGES

2014-12-04-23:44



Declenchement stochastique

GrADS: COLA/IGES

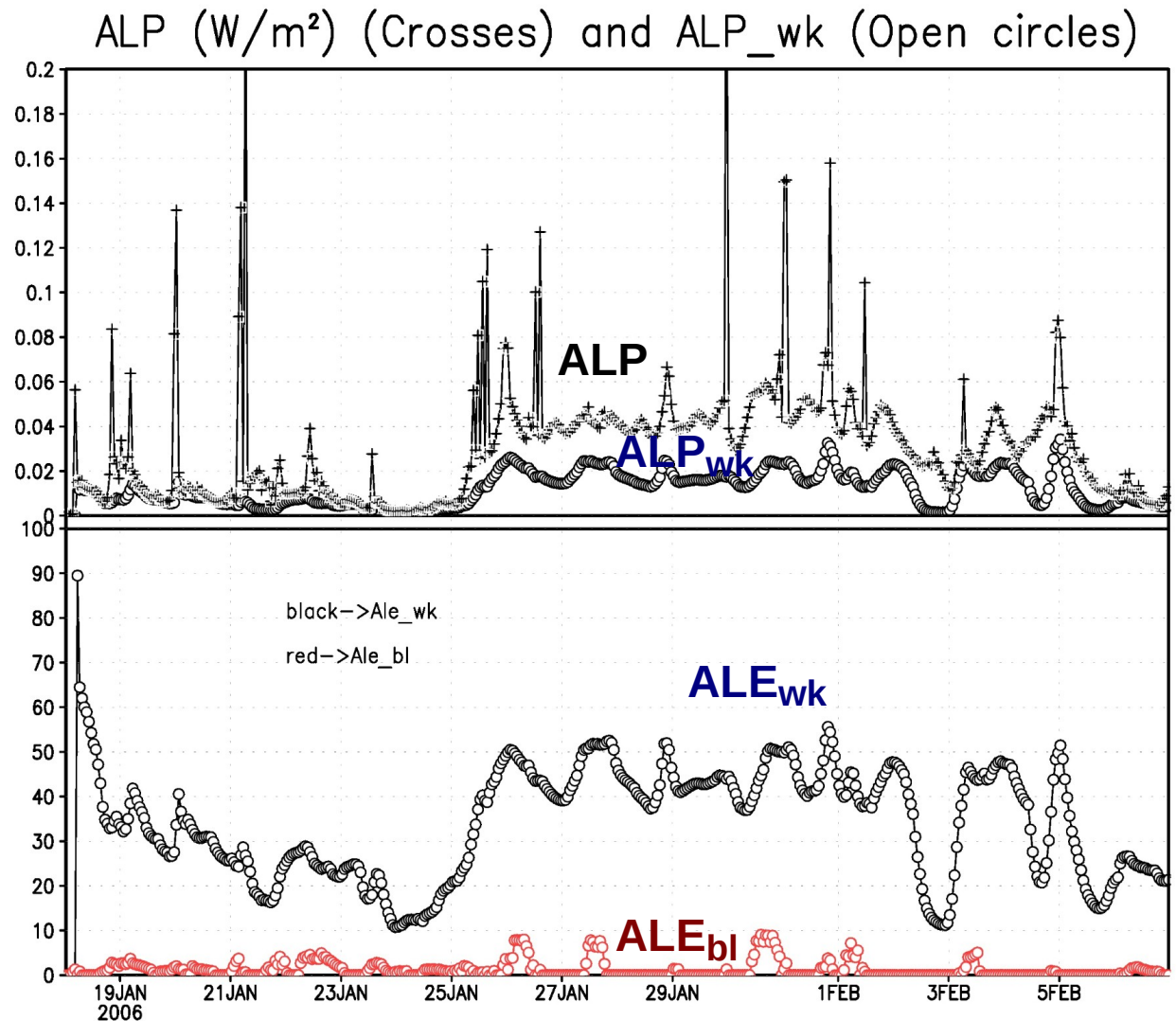
Over ocean

TWICE case

The trigger is dominated by the wakes.

→ problem over oceans:
Cold pools are always present and convection is almost always active.

The convective intensity is equally fed by wakes and Thermals.



VI – Ongoing or future developments:

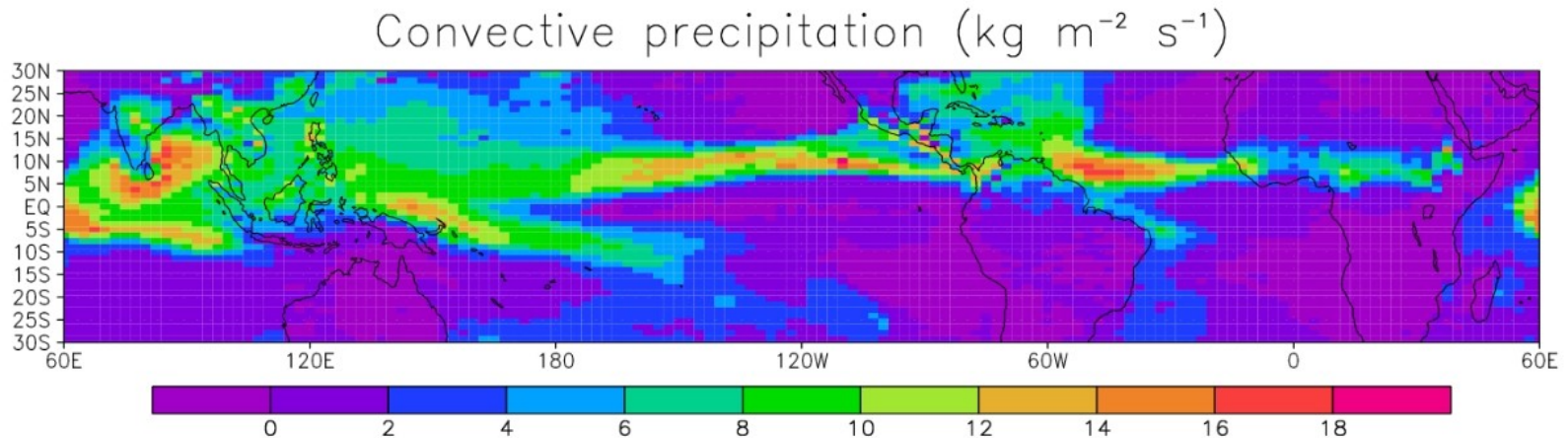
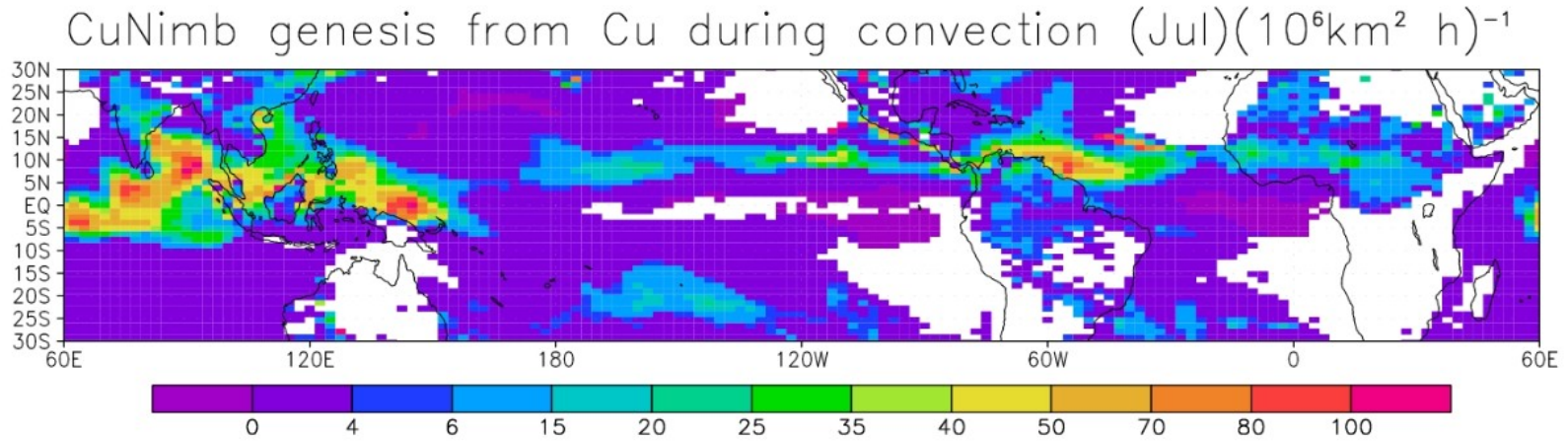
**Developments concerning the surrounding of deep convection:
breeze, splitting of surface fluxes, cold pool population dynamics**

VI.1 Representing the population dynamics of cumulus, cumulonimbus and cold pools:

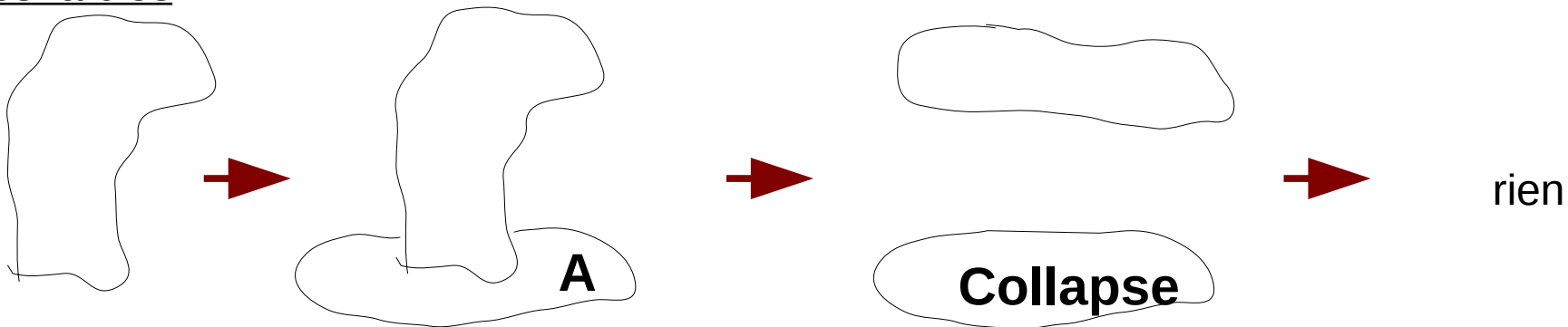
**From stochastic trigger to birth rate of CB
And to cold pool population dynamics**

4 -Cumulonimbus & cold pool genesis

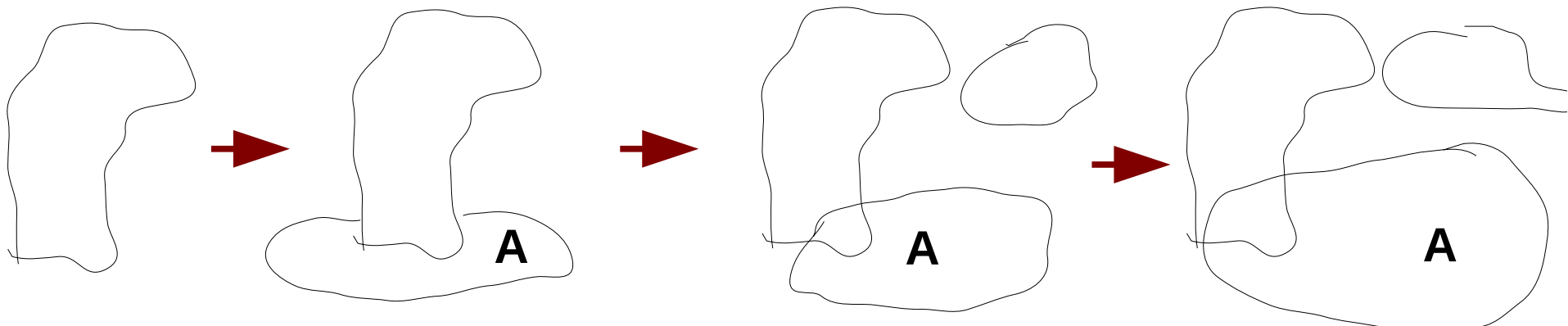
CuNimb genesis rate diagnosed from an LMDZ AMIP simulation. The order of Magnitude looks reasonable: up to a hundred per million km² and per hour over ocean; half a dozen over Sahel in July.



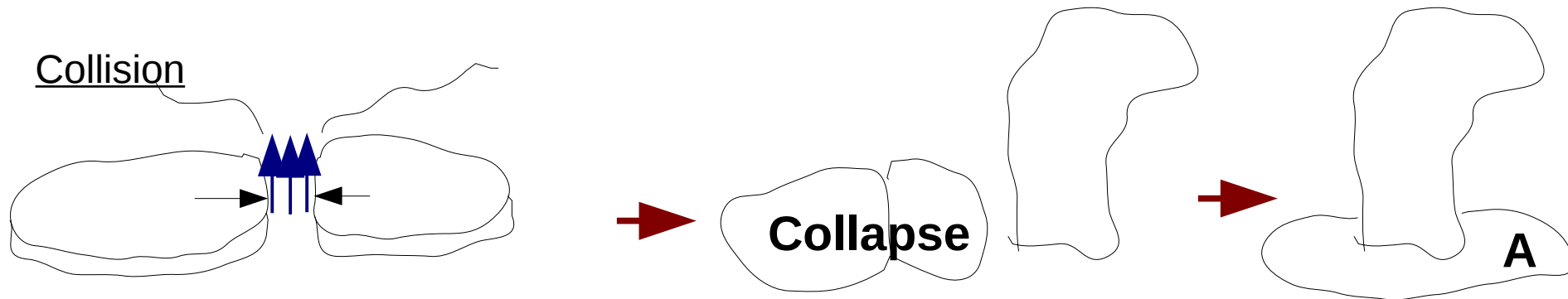
Poches faibles



Poches fortes



Collision



Model equations

- A : number of active wakes per unit area
- D : number of wakes per unit area
- σ : fractionnal area covered by wakes
- r : wake radius
- B : birth rate of Cumulonimbus (and of wakes)
- a_0 : initial area of newborn wakes
- C_* : gust front velocity
- τ_{cv} : lifetime of convective plumes
- τ : lifetime of collapsing wakes
- β : fraction of wakes that are active
- α : factor going from zero (colliding wakes merely merge, without wake area loss) to 1 (colliding wakes induce a new one that grows while the two others collapse) : should depend on shear. Presently, $\alpha = 1$.

$$\left\{ \begin{array}{l} \partial_t A = B - \frac{1}{\tau_{cv}}(A - \beta D) \\ \partial_t D = B - \frac{D - A}{\tau} - 4\pi r D^2 \partial_t r \\ \partial_t \sigma = Ba_0 - \frac{\pi r^2}{\tau}(D - A) + 2\pi r DC_* \\ \quad - \alpha 4\pi r D \partial_t r (2\sigma - Da_0) \end{array} \right.$$

collisions

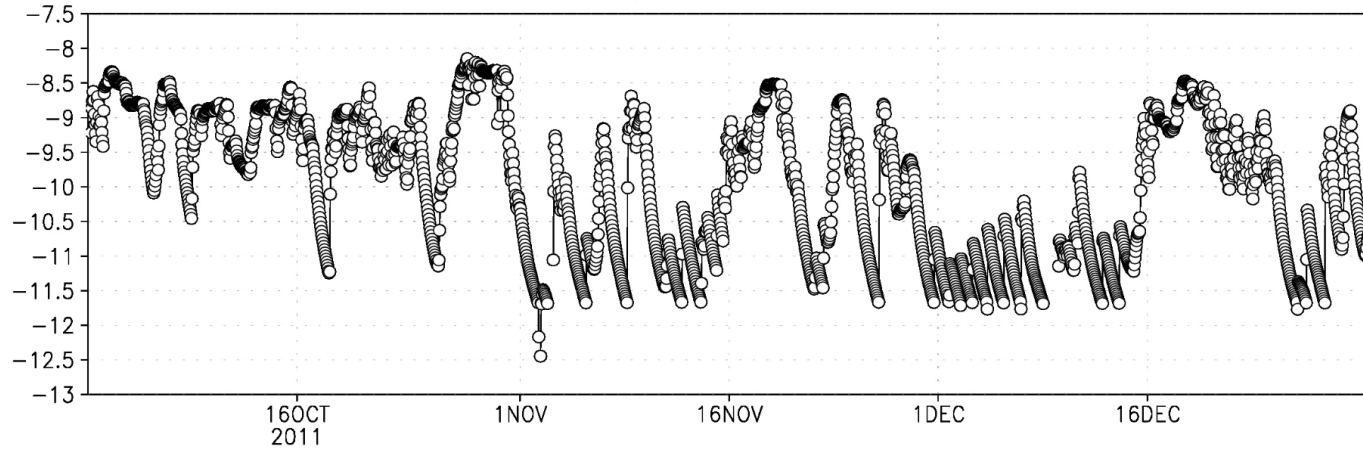
and from $\sigma = \pi r^2 D$: $\partial_t \sigma = 2\pi r D \partial_t r + \pi r^2 \partial_t D$

Le terme βD apparaît comme un rappel vers une fraction β de poches actives.

- l'activation ou la réactivation des poches par la convection profonde qu'elles induisent doit apparaitre comme un terme source proportionnel à D .
- $\beta = 0$ lorsque $ALE_{wk} < CIN$.
- la fraction de poches (ré)activées dépend de la granularité de la convection profonde. S'il il y a des thermiques, alors [ALP, B] \rightarrow "taille" d'un cumulonimbus. Mais que faire en l'absence de thermiques ?
- **Besoin d'une estimation de la "taille" des cumulonimbus (e.g. flux de masse, ALP, section ?).**

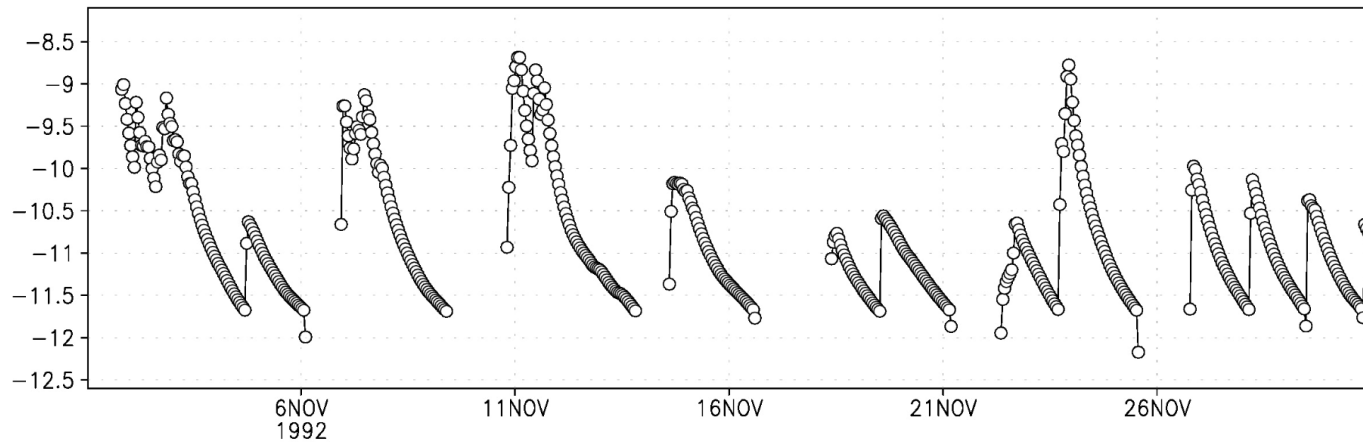
6 - Large variability of D, both short term (few hours) and long term (weeks)

Wake density D; CYNDI DYNAMO



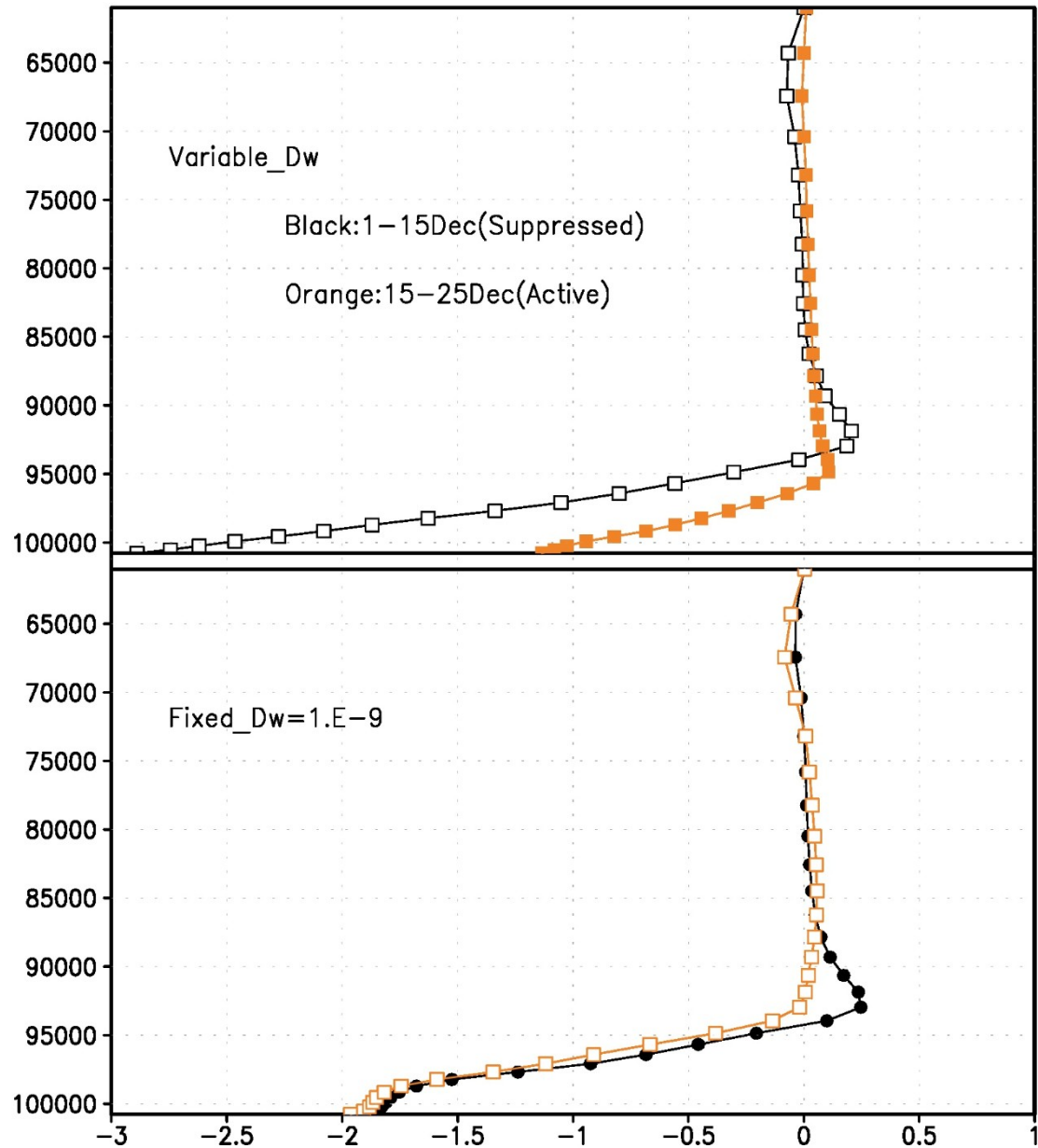
GrADS: COLA/IGES

Wake density D; TOGA



GrADS: COLA/IGES

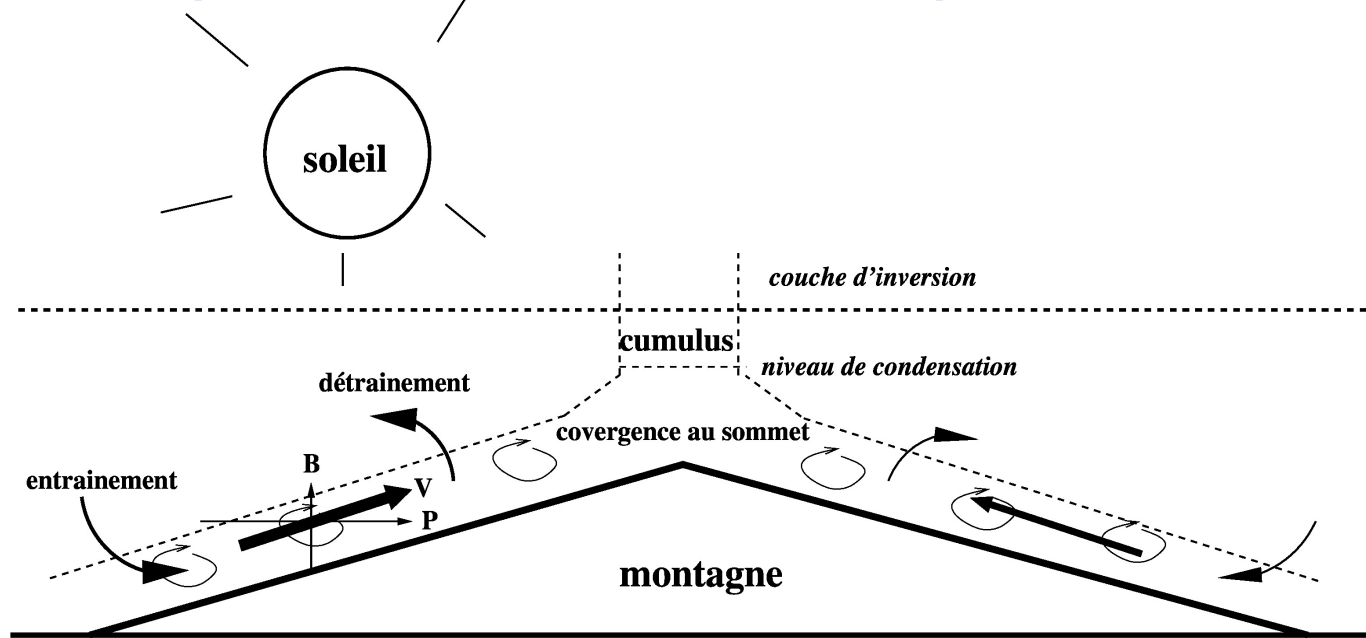
**7 - Strong effect of D variability on wake properties:
Fixed D ==> wake profiles unchanged between suppressed
and active phase during Cindy ;
Variable D ==> strong difference of wake profiles.
Cindy-Dynamo**



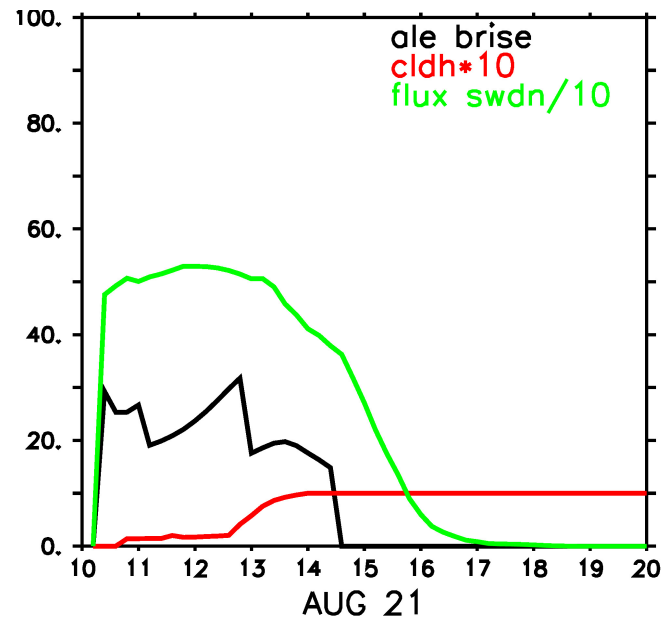
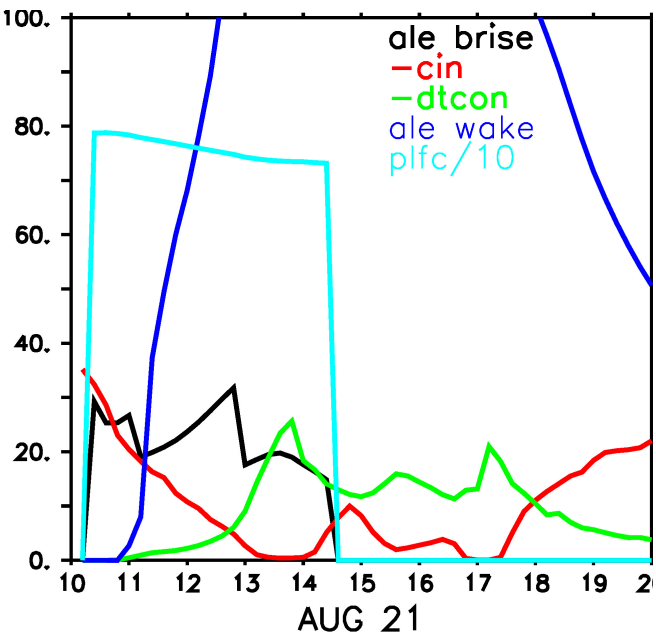
VI.2 Brises:

Brises cotières : à poursuivre
Brise de vallée : à reprendre

Jingmei Yu (2010) : modèle de brise anabatique Couplé à un modèle de sol à chaque niveau.



HAPEX92 case



VI.3 Splitting of surface fluxes:

**Should reduce cold pools life time over ocean
and to a lesser extent over land.**

Modele de changement de temperature de surface associe aux poches froides

Passage d'une poche froide \implies refroidissement du sol (i.e. flux de chaleur négatif $\delta\Phi_g$) \implies variation négative de température de surface δT_s :

$$\delta T_s = \frac{\sqrt{\tau}}{I} \delta\Phi_g \quad (2)$$

(τ : temps pour parcourir le rayon r des poches ($\sigma_w = \pi r^2 D_w$) avec la vitesse C_* d'étalement : $\tau = (1/C_*)\sqrt{\sigma_w/(\pi D_w)}$; I : inertie du sol).

$$\delta\Phi_g = \underbrace{\delta\Phi_s}_{\text{sensible}} + \underbrace{\delta\Phi_l}_{\text{latent}} + \underbrace{\delta R_n}_{\text{rayonnement net}} \quad (3)$$

- **Flux latent** : $\delta\Phi_l = L_v \rho C_d \|V\| \beta [\delta q_a - \partial_{T_s} q_{sat} \delta T_s]$

Approx. : $\delta q_a \simeq 0$

- **Rayonnement net** : $\delta R_n = \delta R_{Sn} + \delta R_{Ld} - 4\sigma T_s^3 \delta T_s$

Approx. : $\delta R_{Sn} \simeq 0$ et $\delta R_{Ld} \simeq 4\epsilon_1 \sigma T_1^3 \delta T_1$

Alors :

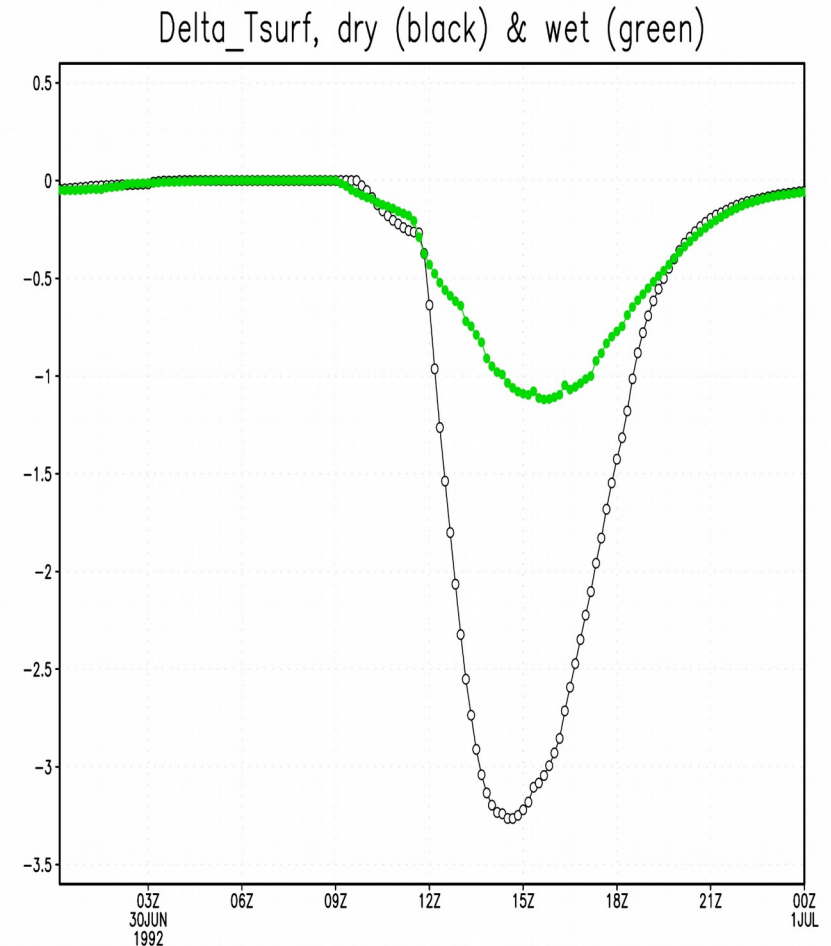
$$\delta T_s = \frac{\sqrt{\tau}}{I} [\delta\Phi_s - L_v \rho C_d \|V\| \beta \partial_{T_s} q_{sat} \delta T_s + 4\epsilon_1 \sigma T_1^3 \delta T_1 - 4\sigma T_s^3 \delta T_s]$$

soit : $C_p \delta T_s = a_h C_p \delta T_1 + b_h \delta\Phi_s$, avec :

$$\left\{ \begin{array}{l} a_h = \frac{\frac{\sqrt{\tau}}{I} 4\epsilon_1 \sigma T_1^3}{1 + \frac{\sqrt{\tau}}{I} (L_v \rho C_d \|V\| \beta \partial_{T_s} q_{sat} + 4\sigma T_s^3)} \\ b_h = \frac{\frac{\sqrt{\tau}}{I} C_p}{1 + \frac{\sqrt{\tau}}{I} (L_v \rho C_d \|V\| \beta \partial_{T_s} q_{sat} + 4\sigma T_s^3)} \end{array} \right. \quad (4)$$

Ordre de grandeur:

Tau \sim qq heures, Inertie \sim 1000 a 2000
beta \sim 0.1 a 1, epsilon1 \sim 0.1 a 1,
ah \sim 0.01 a 0.1, bh \sim qq 10 a qq 100.



Récapitulation

Trois éléments constitutifs des processus convectifs, représentés par trois paramétrisations :

Cumulus	Modèle du thermique nuageux
Cumulonimbus	Schéma d'Emanuel
Courants de densité	Modèle des wakes

Ces trois éléments interagissent de deux façons :

1/ Espace divisé en deux zones :

(w), l'intérieur des poches, contient les descentes précipitantes.

(x), l'extérieur des poches, contient les thermiques et les courants saturés de la convection profonde.

2/ Paramétrisations des wakes et des thermiques ==> Ale et Alp

==> contrôle du déclenchement et de l'intensité de la convection.

Perfectionnement indispensable : différencier les flux turbulents dans (w) et dans (x).

Deux manques combler :

- + un ou des modèles de brise pour la génération de convection sur les côtes et sur les reliefs.
- + paramétrer l'advection de populations de poches de maille en maille.