



# Changement Climatique

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Changement climatique et  
physique du climat (1)

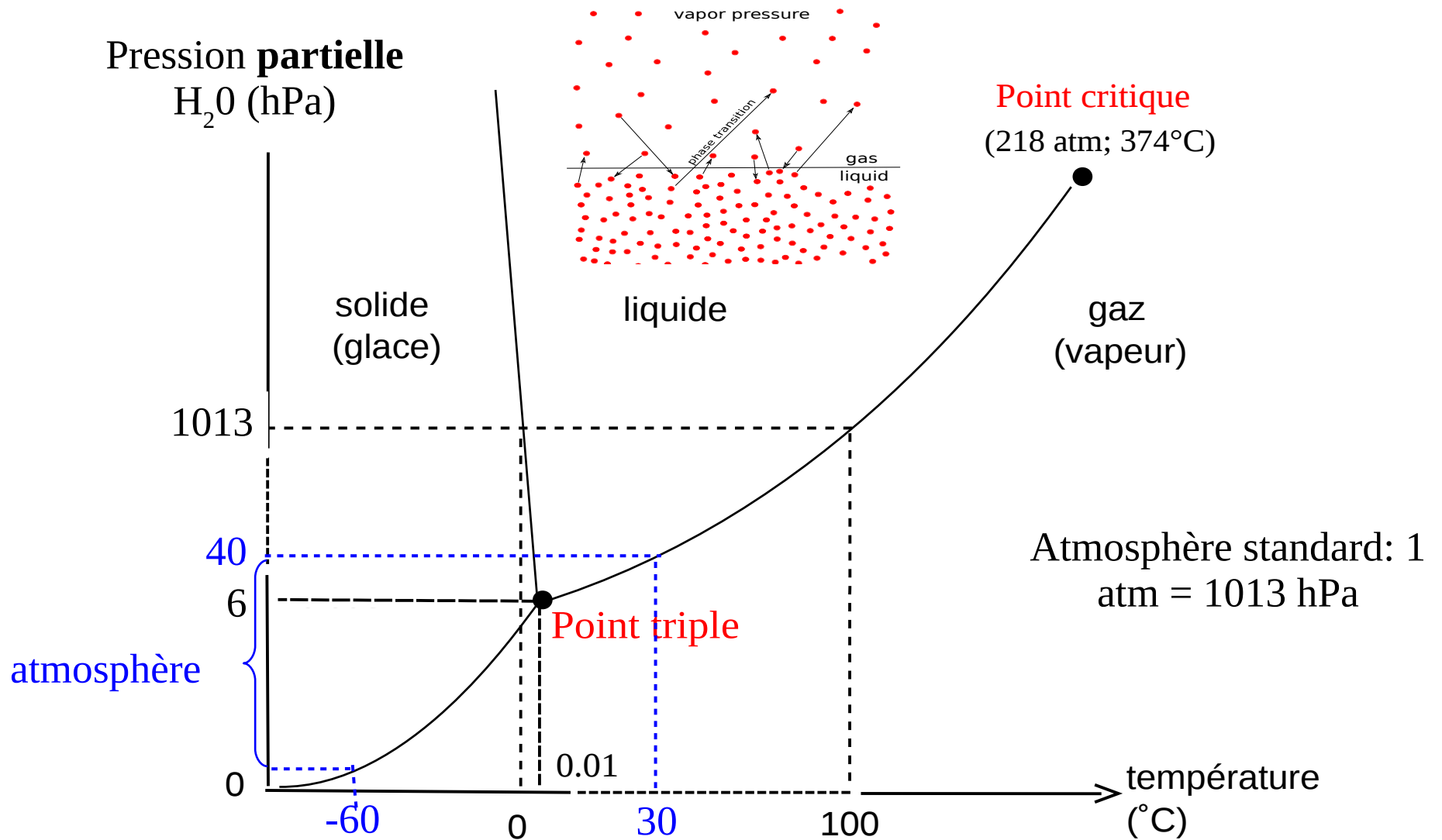
*Changement climatique et  
cycle de l'eau*

25 octobre 2018

# *Changement climatique et cycle de l'eau*

- Formation des nuages et des précipitations
- Changement des précipitations moyennes
- Distribution géographique et intensité des changements de précipitations

# Diagramme de phase de l'eau



**Chaleur latente de changement d'état:**  $L^* = Q/n$  ;  $L = Q/m \approx 2,3 \cdot 10^6 \text{ J/kg}$

Avec  $Q$  l'énergie thermique (chaleur) nécessaire pour faire passer  $n$  moles (ou une masse  $m$ ) d'un état 1 à un état 2 à pression et température constantes

# Relation de Clausius-Clapeyron

Variation avec la temp. de la pression partielle de changement d'état:

$$\frac{dP}{dT} = \frac{L^*}{T \Delta V}$$

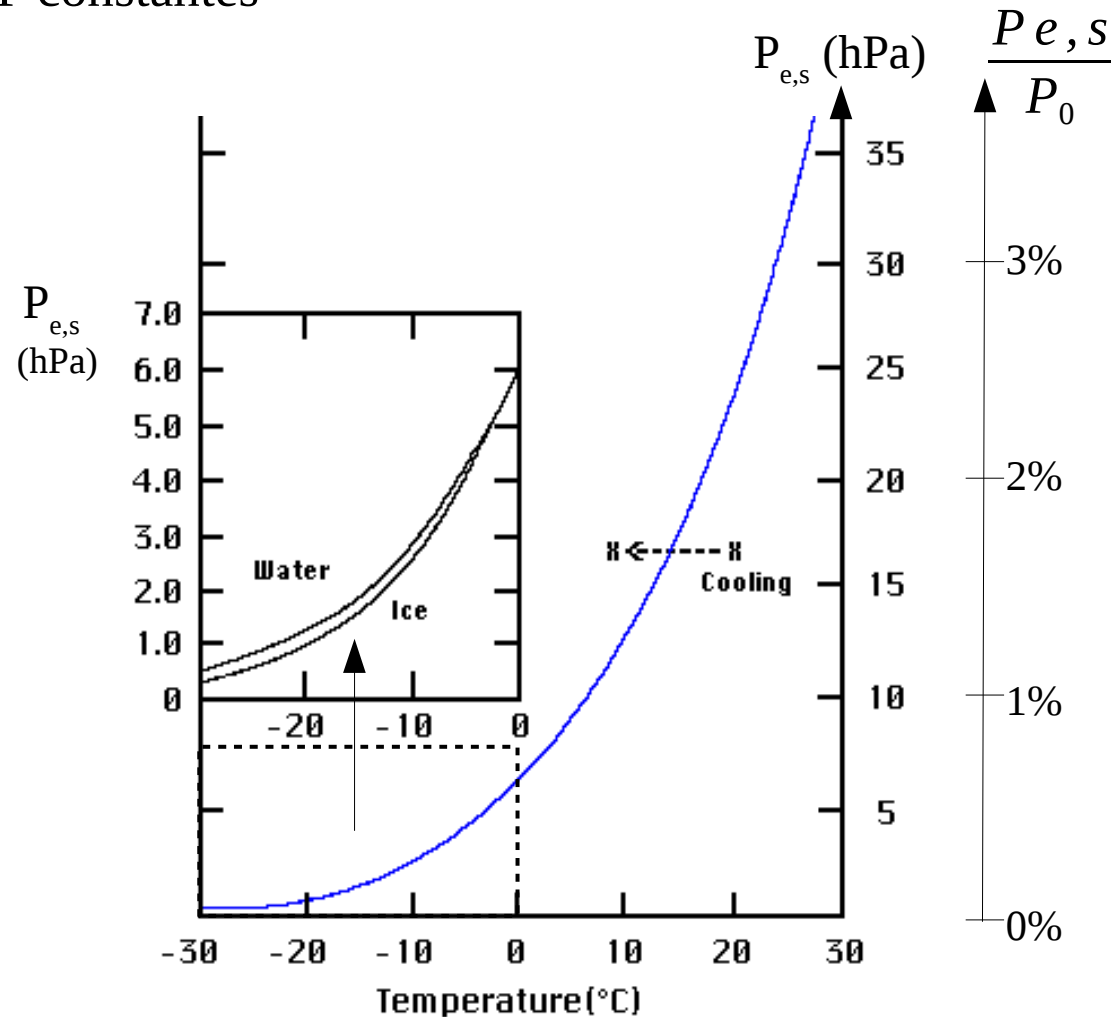
$L^*$ : enthalpie de changement d'état  
 $\Delta V$ : variation de volume entre les deux états à T et P constantes

Pour la vaporisation ou la sublimation de l'eau (si  $L^* = c^{te}$  et gaz parfait):

$$\frac{dP_{e,s}}{dT} \approx \frac{L^* P_{e,s}}{T^2 R^*}$$

$$P_{e,s} = P_0 e^{\frac{L^*}{R^*} \left( \frac{1}{T_0} - \frac{1}{T} \right)}$$

$$P_{e,s} = P_0 e^{\left( 14.33 - \frac{5350}{T} \right)} \quad \text{pour } T_0 \approx 20^\circ\text{C}$$



# Humidité

**Humidité relative**

$$H = \frac{P_e}{P_{e,s}}$$

Avec  $P_e$  pression partielle de  $H_2O$   
 $P_{e,s}$  pression partielle de  $H_2O$  à saturation

**Rapport de mélange** (en kg de vapeur d'eau par kg d'air, kg/kg)

$$q = \frac{m_{\text{vapeur d'eau}}}{m_{\text{air}}} = \frac{M_e}{M_{\text{air}}} \frac{P_e}{P} \quad \text{avec } M_e \text{ et } M_{\text{air}} \text{ masse molaire de } H_2O \text{ et air}$$

$$q \approx 0.622 P_e / P$$

Rapport de mélange à la saturation :

$$q_s = \frac{M_e}{M_{\text{air}}} \frac{P_{e,s}}{P}$$

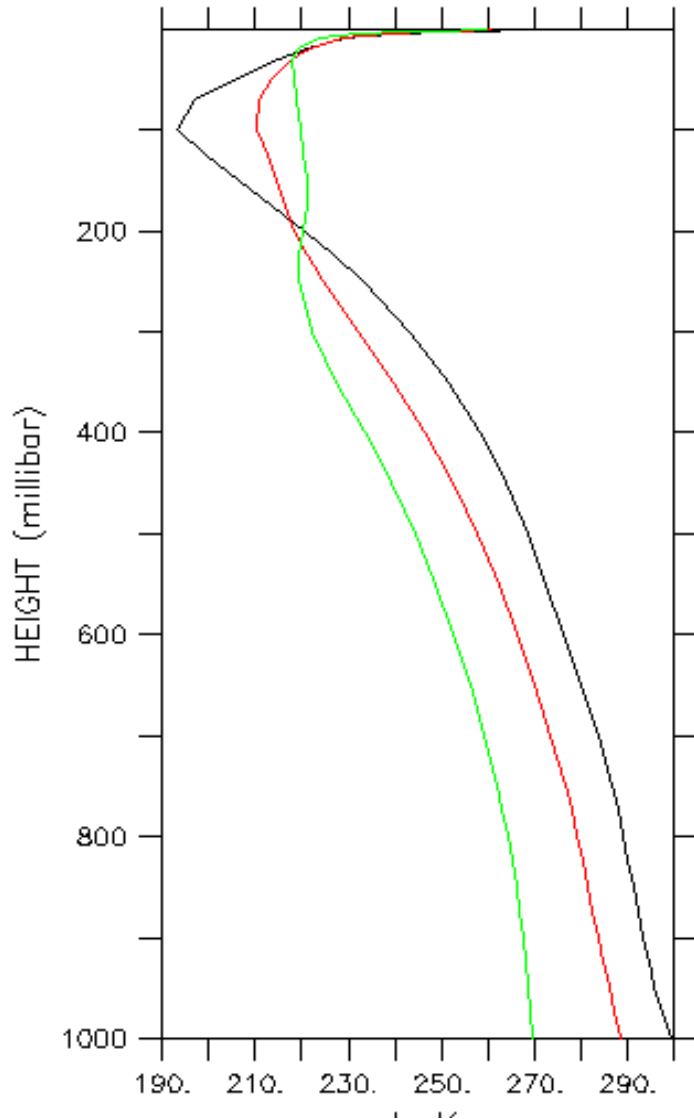
**Ordre de grandeur:**

T	30°C	20°C	10°C	0°C	-20°C	-40°C
$P_{e,s}/P$	4%	2.3%	1.2%	0.6%	0.1%	0.01%
$q_s$ (kg/kg)	0.026	0.014	0.007	0.004	0.6‰	0.08‰

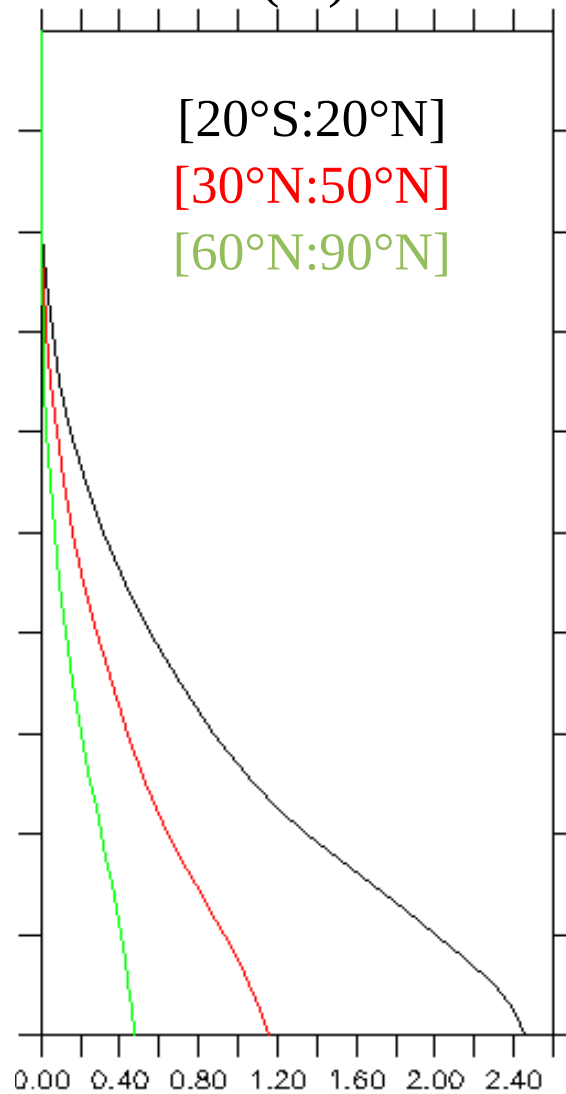
# Profils verticaux

Analyses météorologiques ECMWF, moyenne annuelle

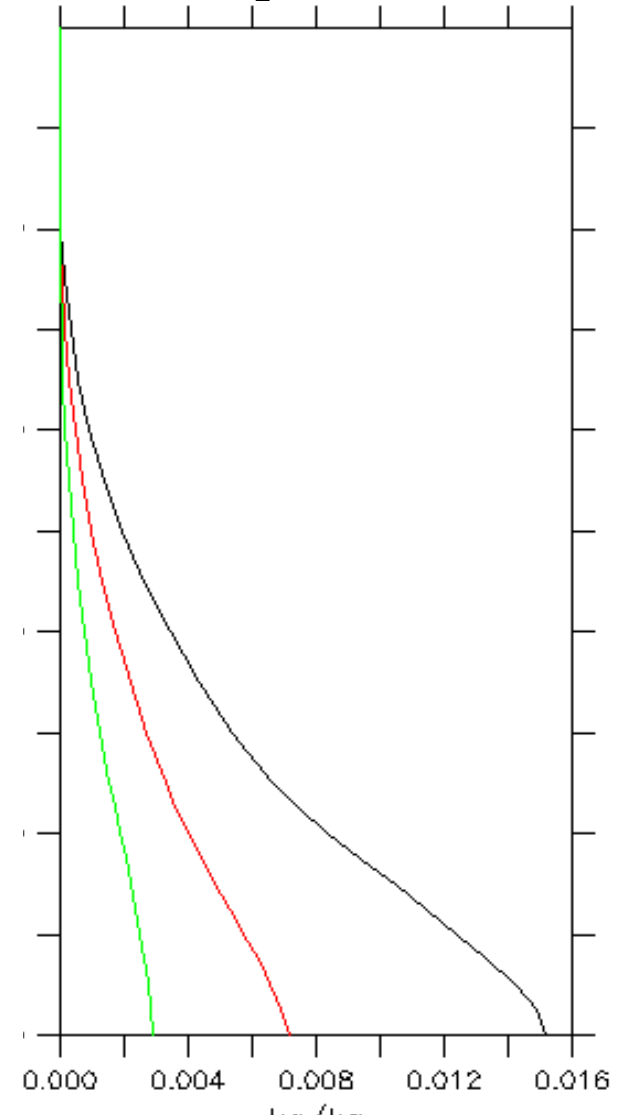
Température  
(K)



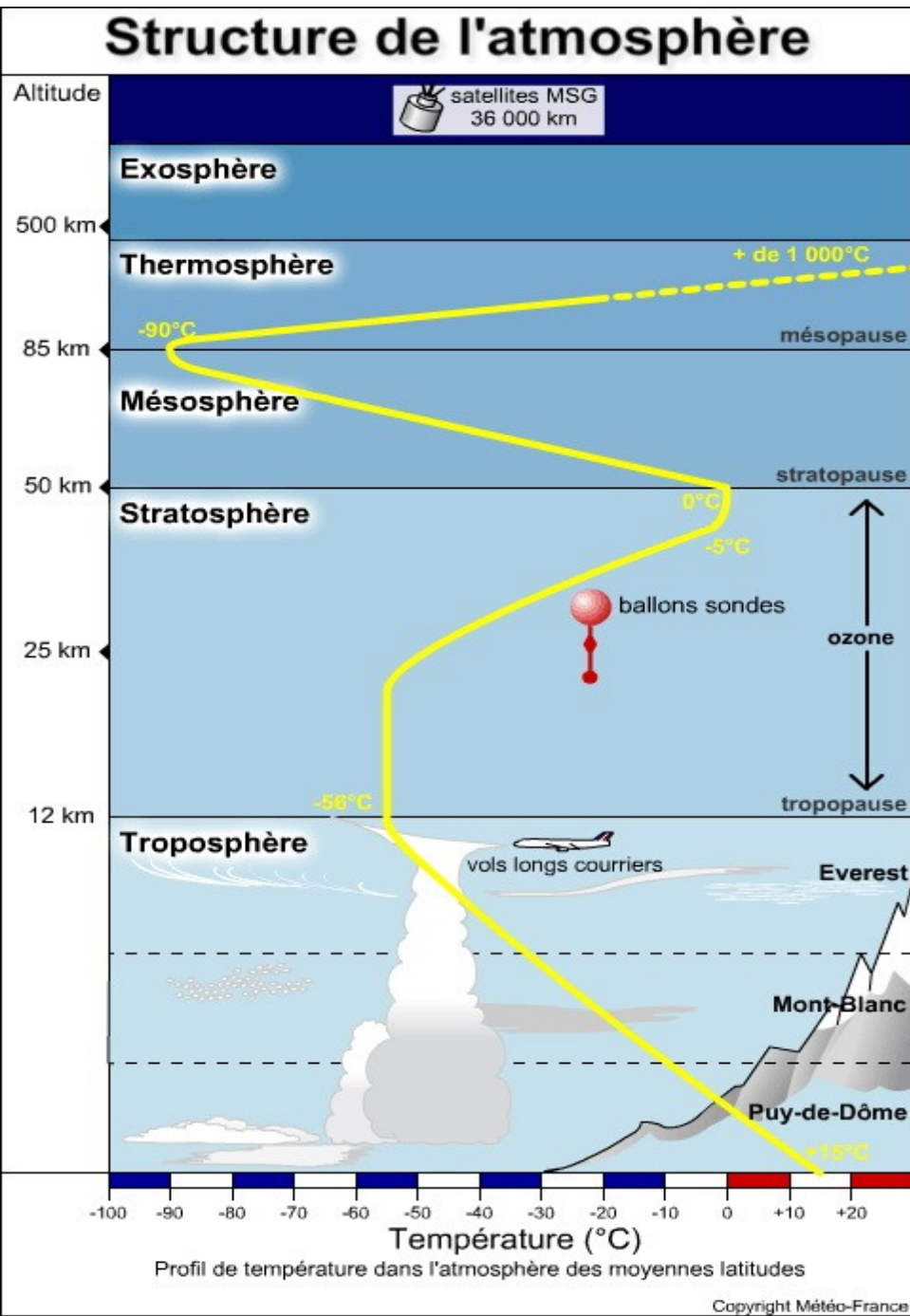
Fraction molaire de H<sub>2</sub>O  
(%)



Rapport de mélange  
(kg H<sub>2</sub>O / kg air)

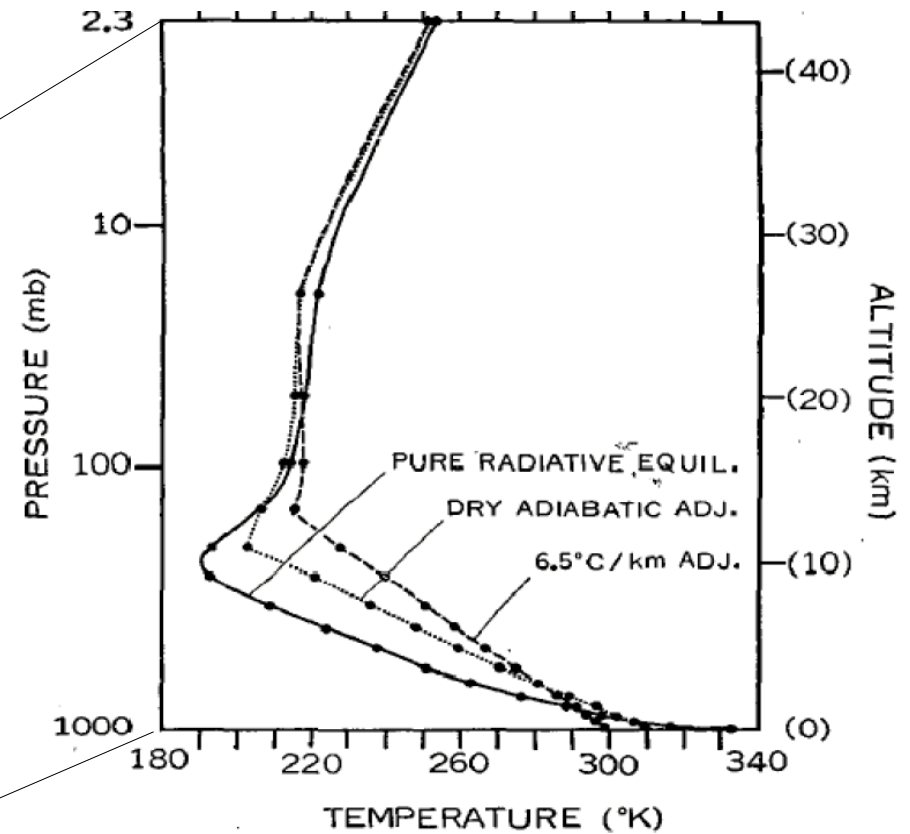


# Variation de la température avec l'altitude



Profil de température avec un équilibre purement radiatif ou avec aussi de la convection

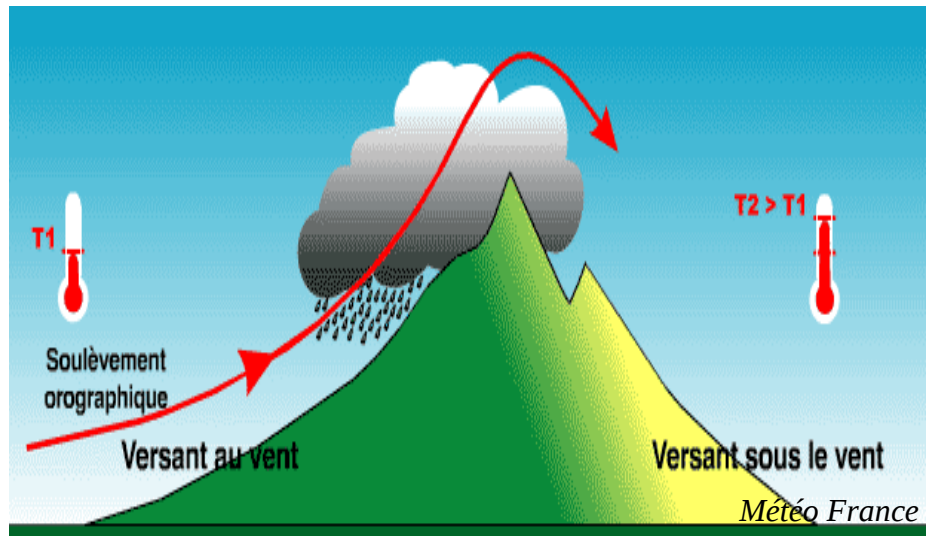
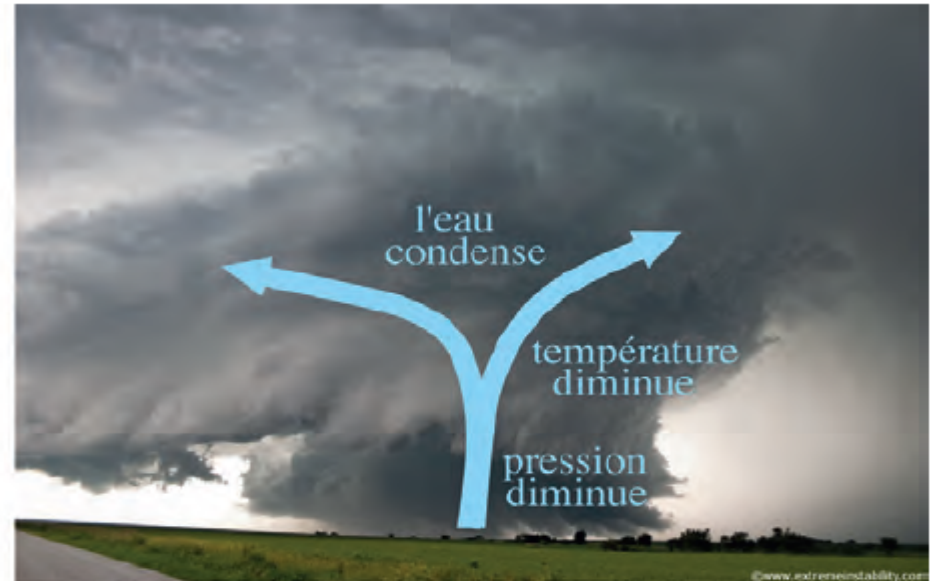
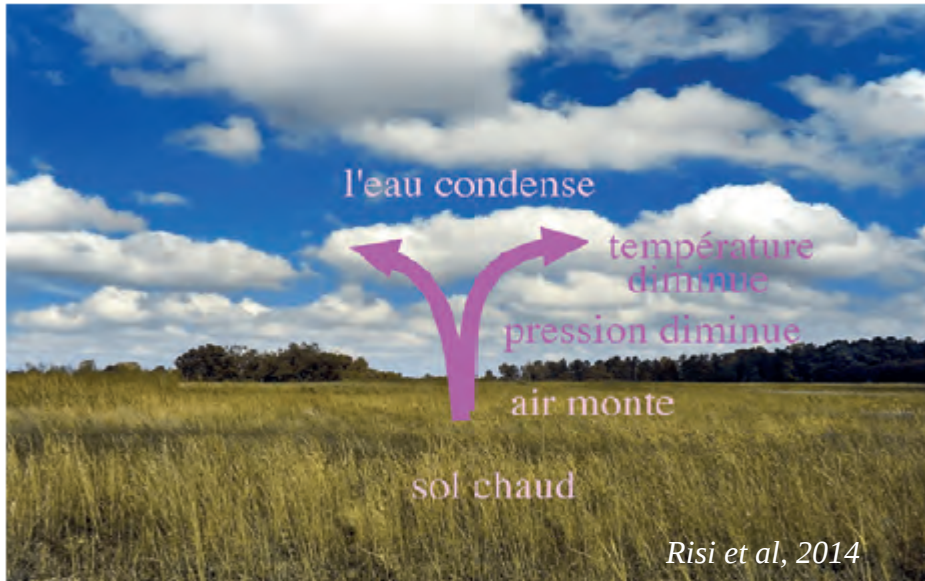
[Manabe and Strickler, 1964]



**L'équilibre radiatif ne suffit pas** pour expliquer le profil observé.

# Formation des nuages

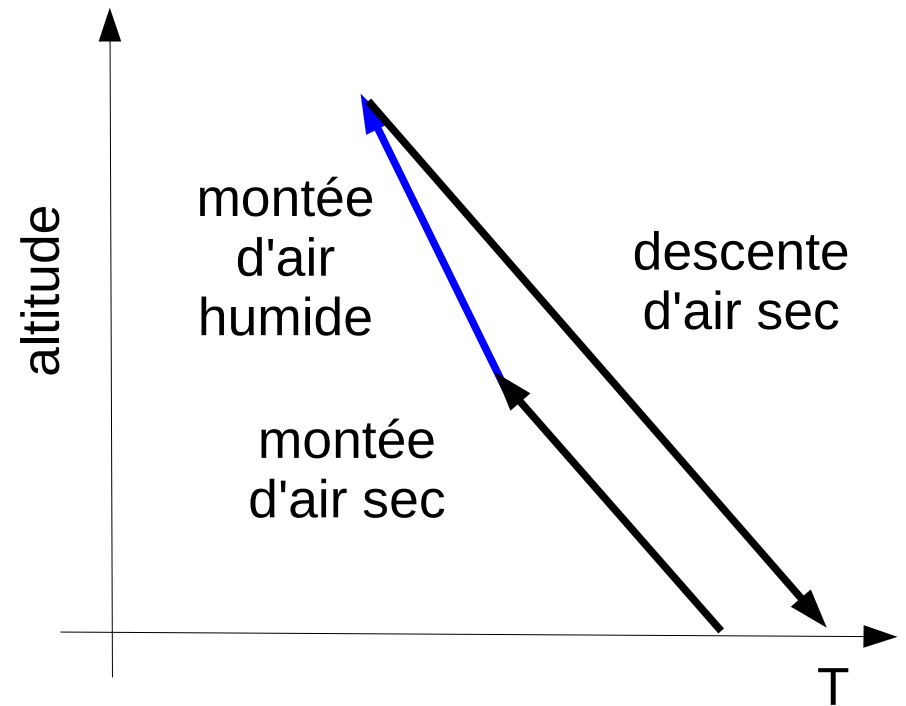
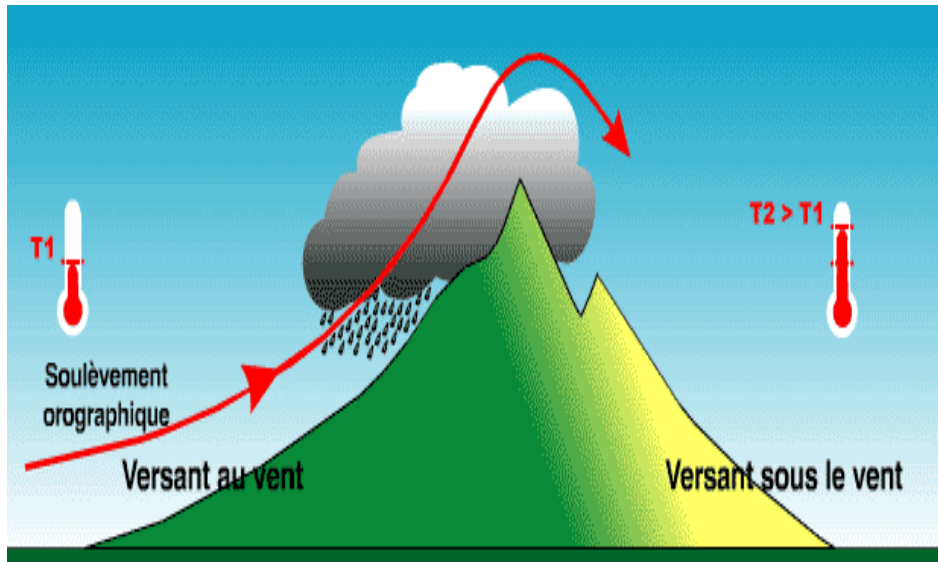
**Presque tous les nuages se forment lors de l'ascension de l'air, qui se refroidit en montant.** Nuages de couche limite, de convection (orage), orographiques...



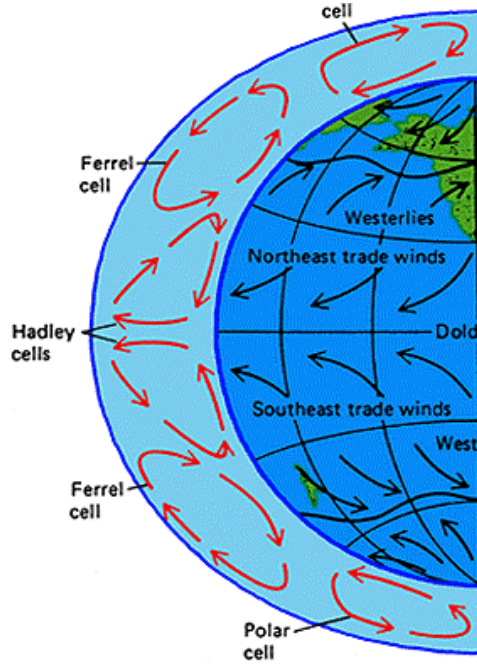


# Effet de foehn

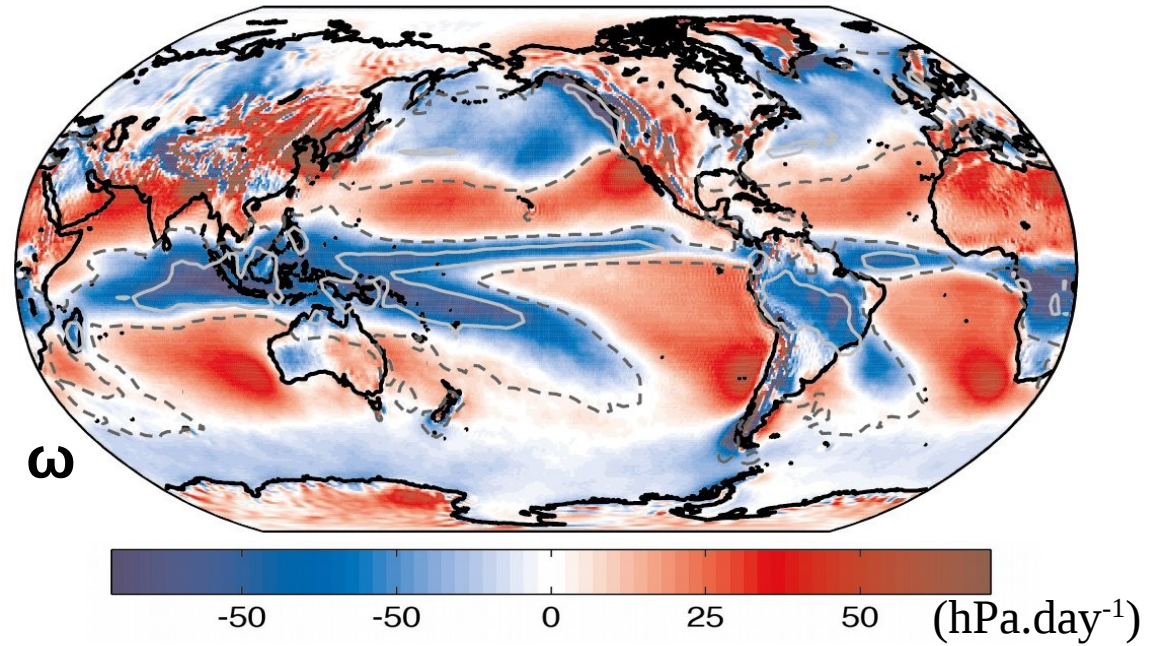
Du fait de la condensation de l'eau, qui libère de l'énergie, l'air qui s'élève en formant un nuage se refroidit moins que l'air qui s'élève sans former de nuage.



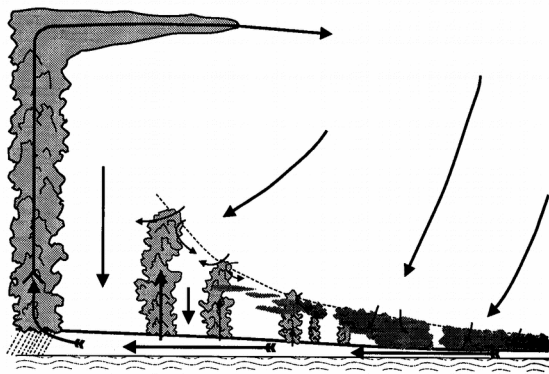
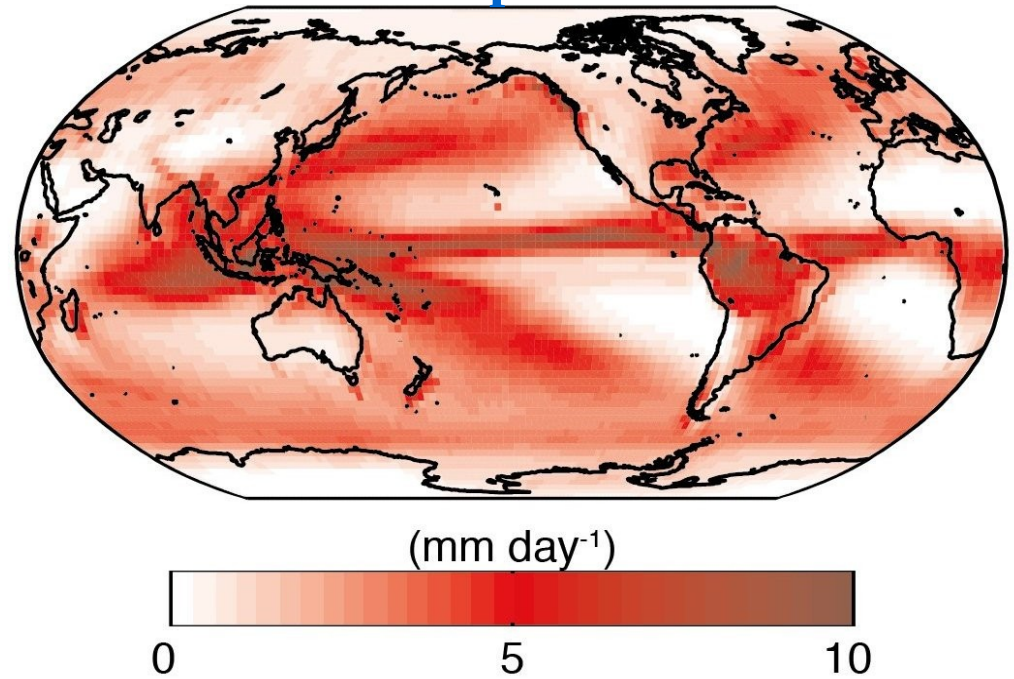
# Circulation



# Mid-troposphere vertical pressure velocity $\omega$



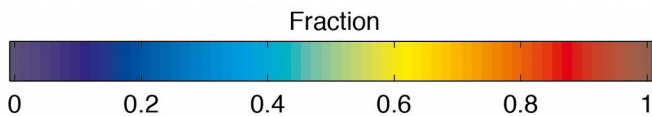
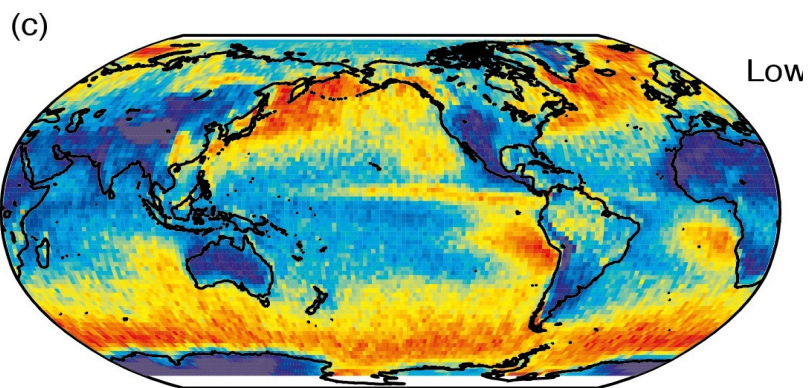
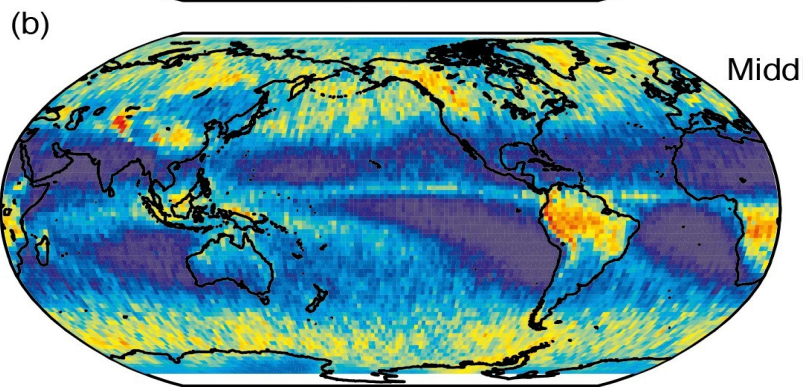
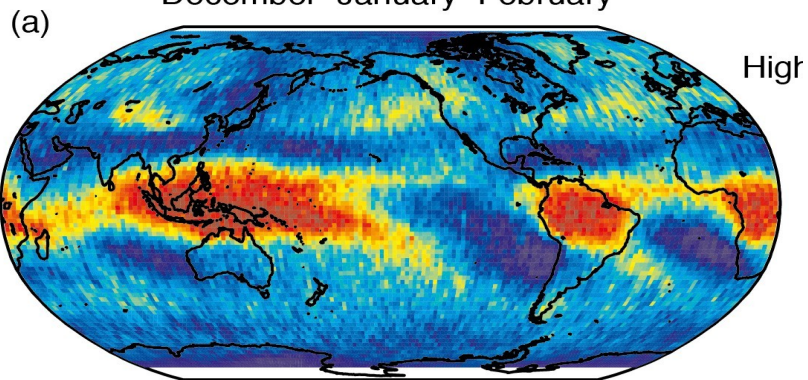
# Precipitation



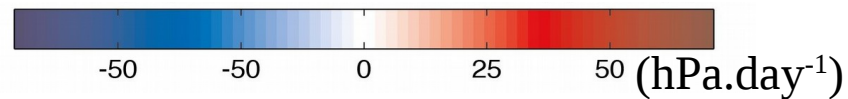
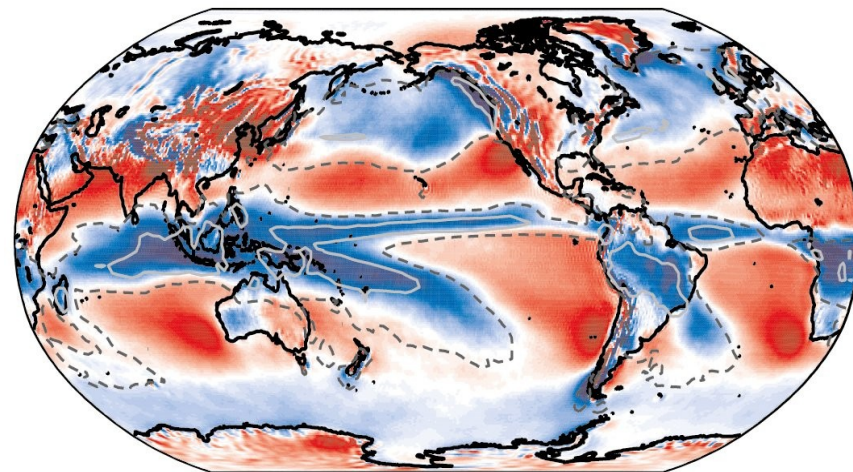
precip

# Cloud cover

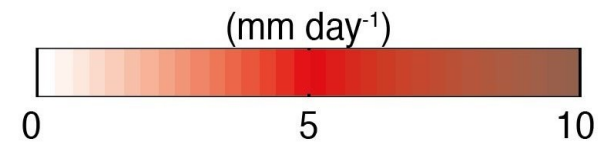
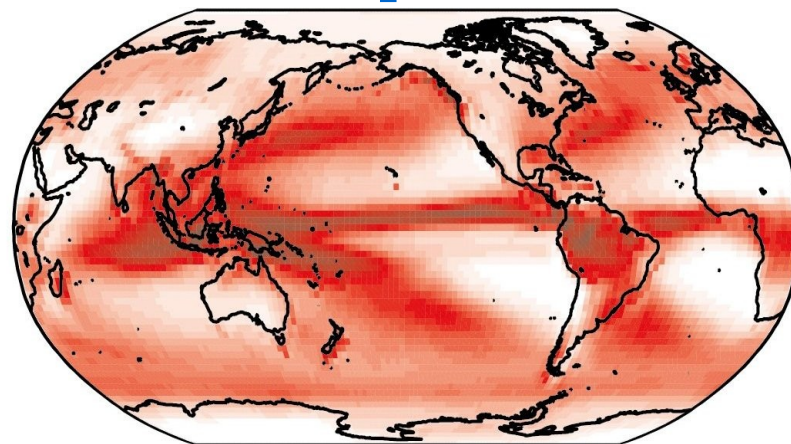
December–January–February



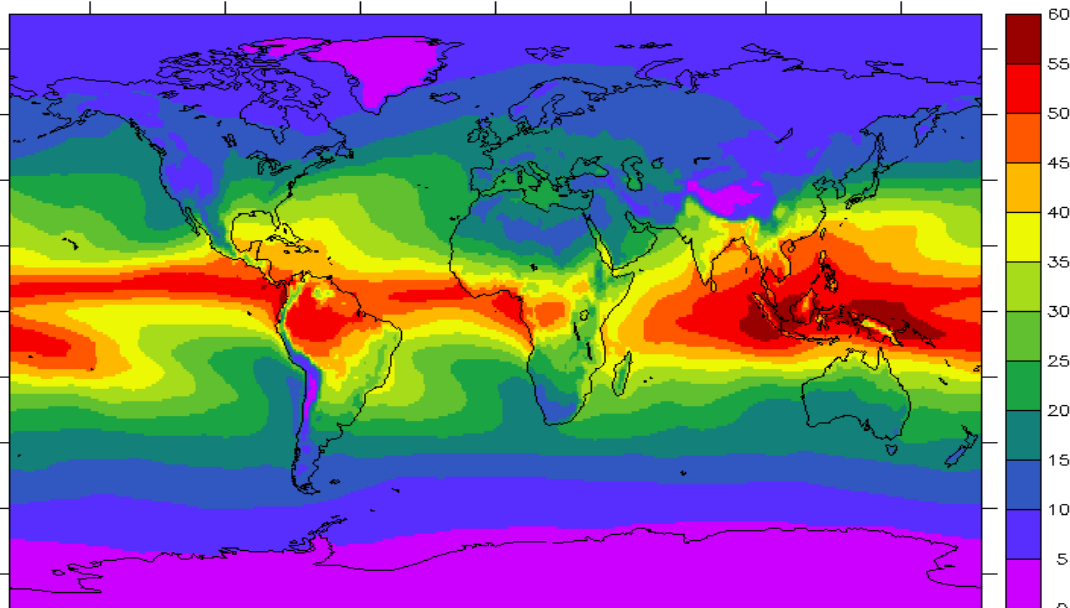
# Mid-troposphere vertical pressure velocity $\omega$



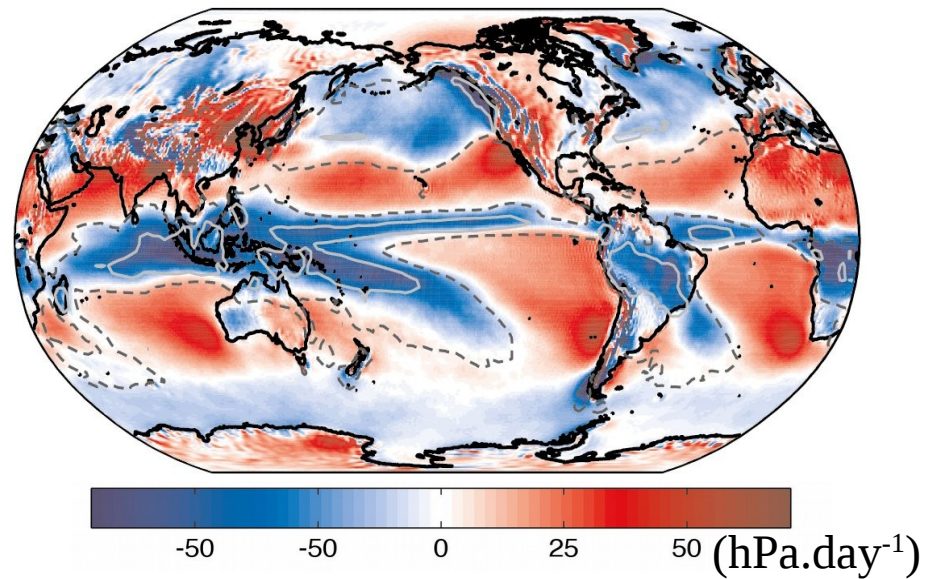
# Precipitation



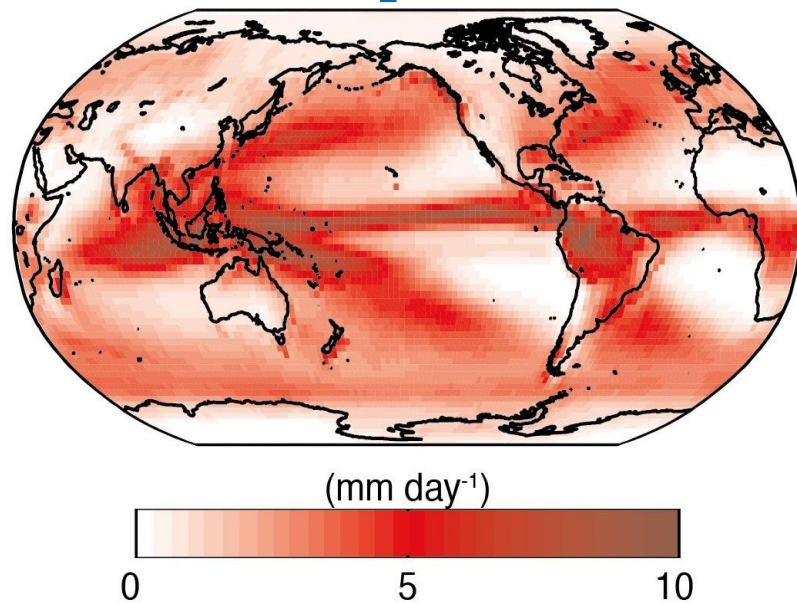
Total (vap, liq, sol) water amount ( $\text{kg}\cdot\text{m}^{-2}$ )



Mid-troposphere vertical pressure velocity  $\omega$



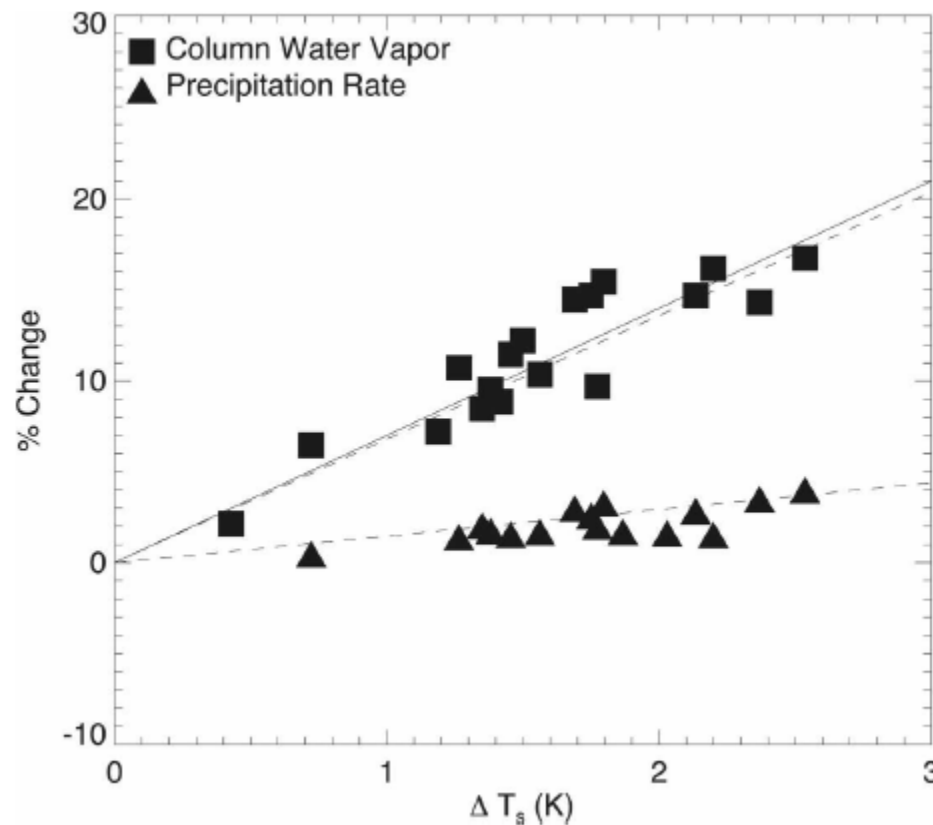
Precipitation



# What control the change of **global precipitation**?

## Global Hydrological Sensitivity

**% Change of precipitation vs  $\Delta T_s$**   
**Multi-model results**



Each symbol is a model result

water vapor : +7.5 %/K

**precipitation : +2 %/K**

*Stephens and Ellis, 2008*

# Energetic constraints

**Vertically-integrated budget of dry static energy :**

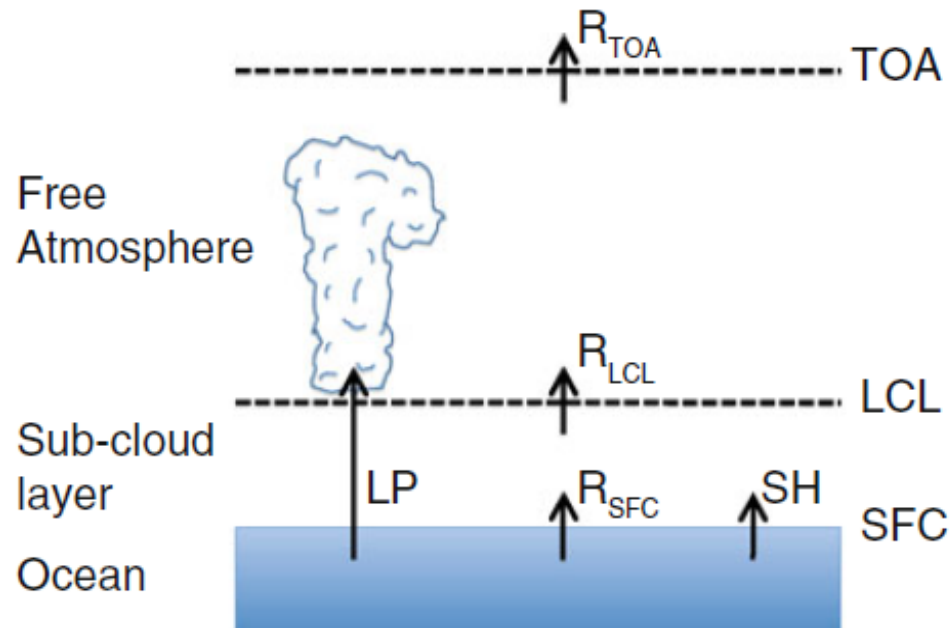
$$[\text{latent heating } \mathbf{L.P}] + [\text{radiative heating } \mathbf{R}_{ATM}] + [\text{sfc sensible heat flux } \mathbf{SH}] = 0$$

**P:** precipitation

**L:** specific latent heat

$$L . P = -R_{ATM} - SH$$

$$R_{ATM} = R_{SFC} - R_{TOA}$$



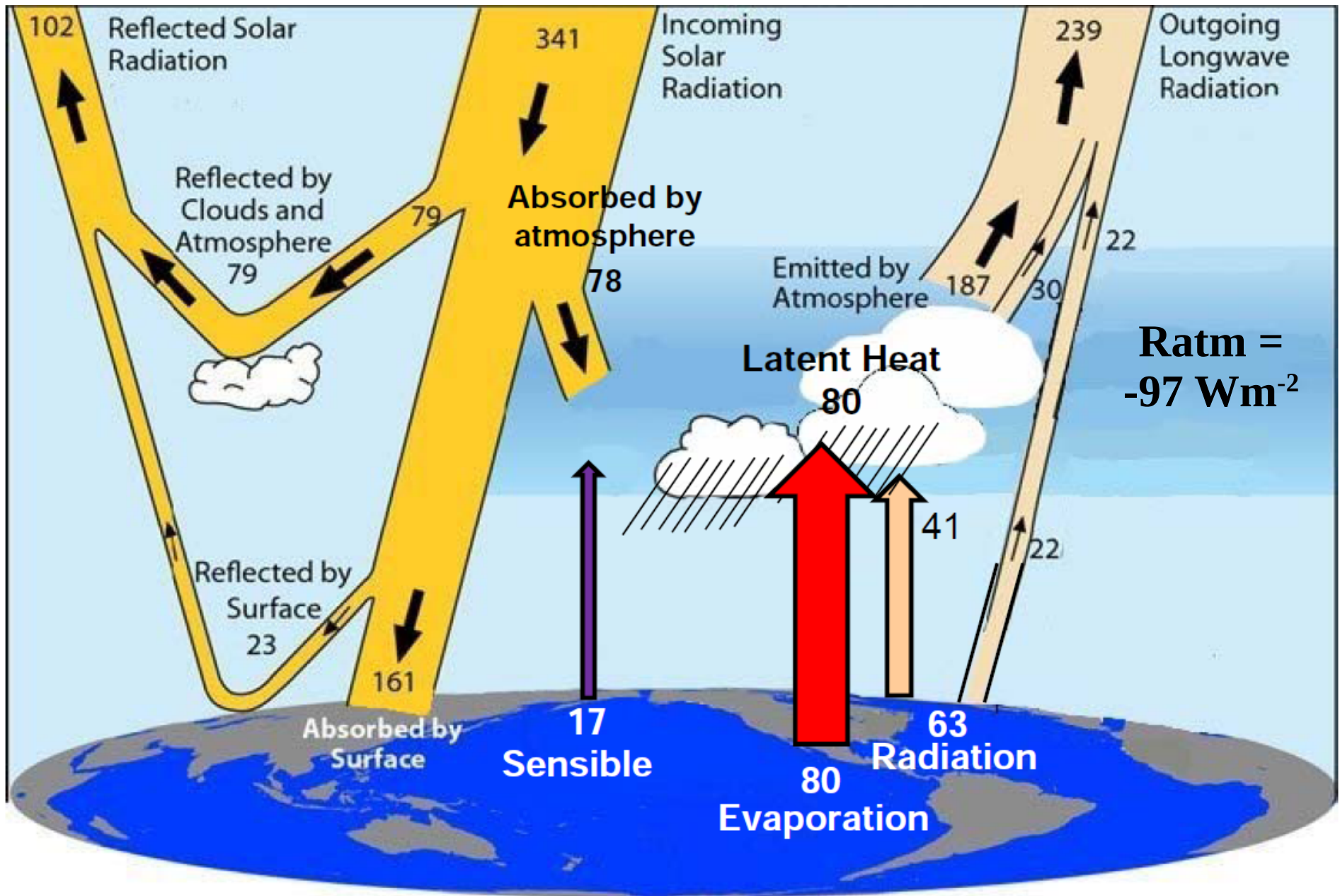
*Mitchell, QJRMS, 1987*

*Soden and Held, J. Climate, 2006*

*Takahashi, JAS, 2009*

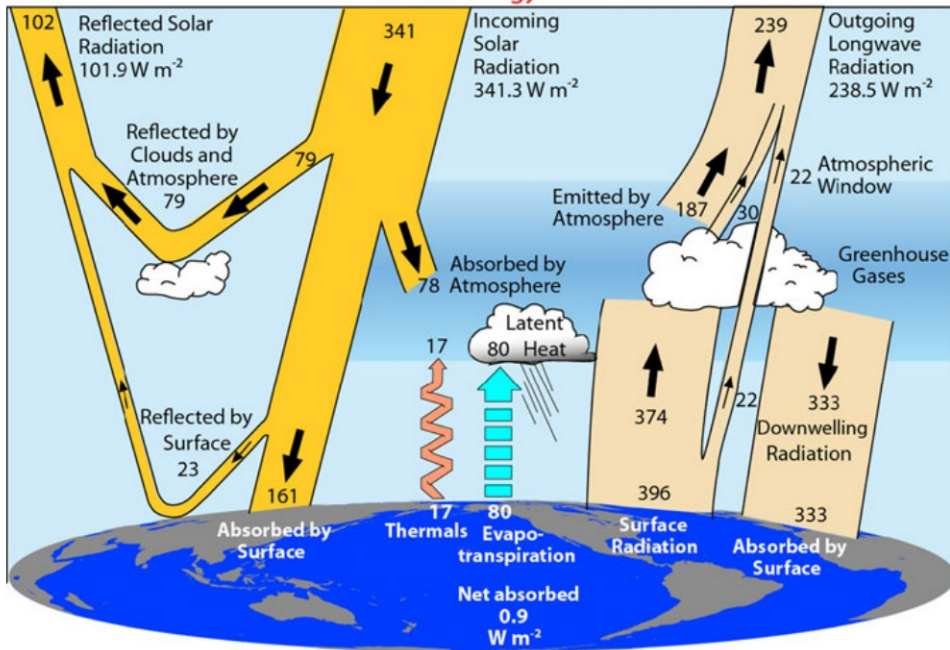
*O'Gorman et al., Surv. Geophys., 2012*

# Global Energy Flows ( $\text{W}\cdot\text{m}^{-2}$ )

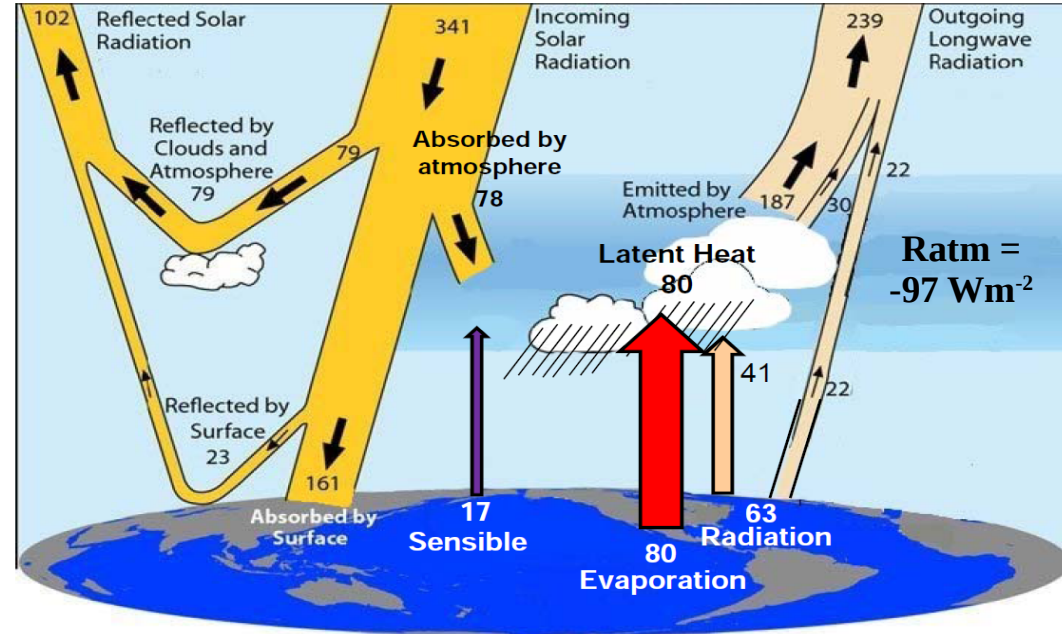


# Global Energy Flows ( $\text{W}\cdot\text{m}^{-2}$ )

Global Energy Flows  $\text{W m}^{-2}$



Trenberth & Fasullo, 2012]



Adapted from [Trenberth & Fasullo, 2012]

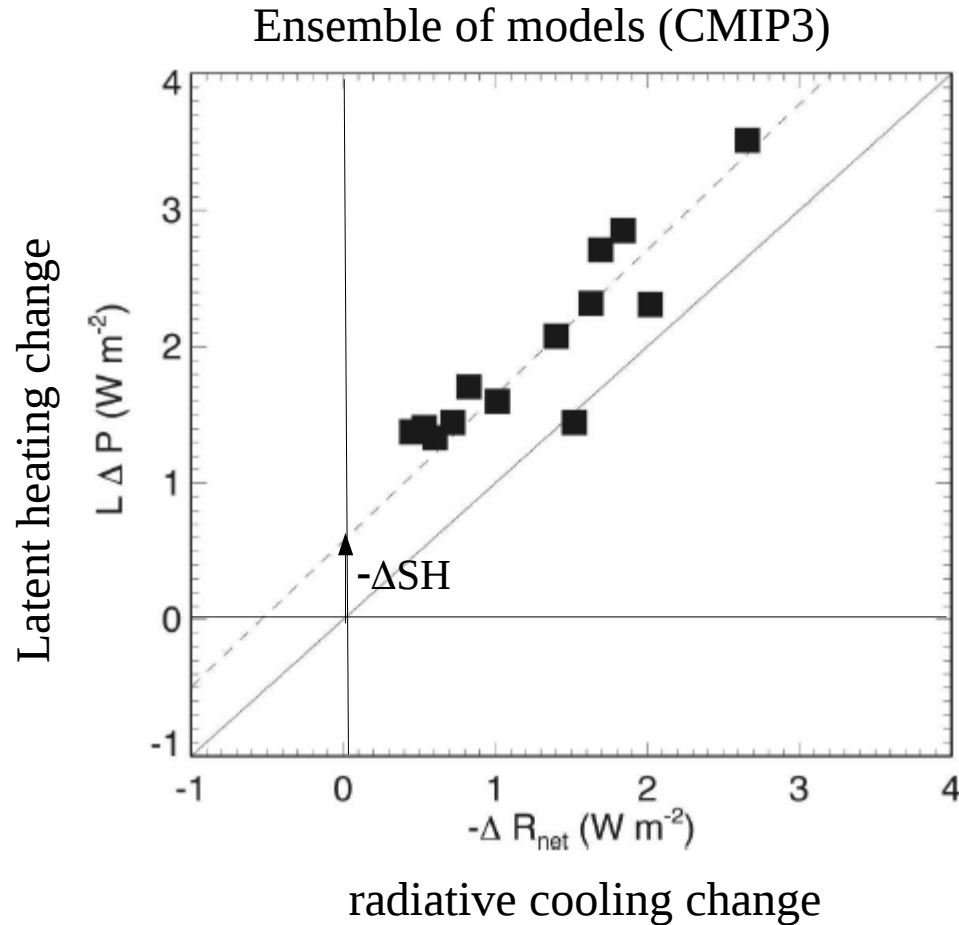


# Energetic constraints

**P**: precipitation  
**L**: specific latent heat

$$L\Delta P = -\Delta R_{ATM} - \Delta SH$$

- radiative **heating** change  
= radiative **cooling** change



Each symbol is  
a model result

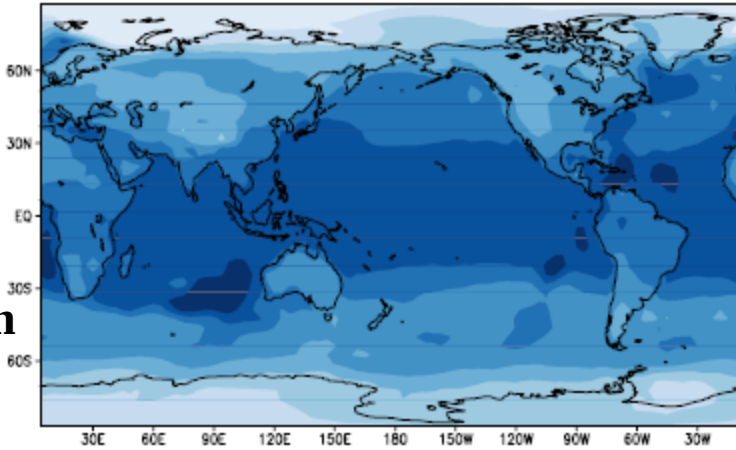
What controls the change in  
tropospheric radiative cooling  
in climate change ?

$$\frac{\partial R}{\partial T_s} = \sum_x \frac{\partial R}{\partial x} \frac{\partial x}{\partial T_s}$$

$R$  : vertically integrated tropospheric radiative heating rate

# Tropospheric radiative feedbacks

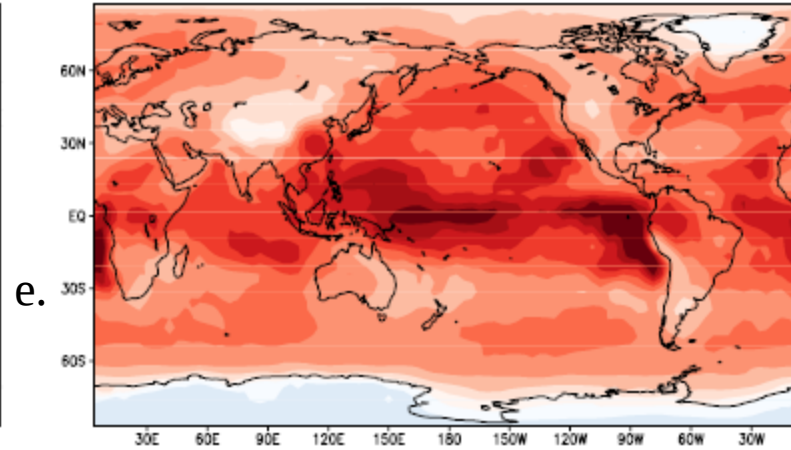
Temperature feedback ( $W m^{-2} K^{-1}$ )



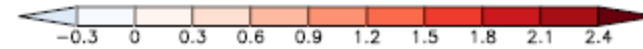
Global Mean =  $-3.23 W m^{-2} K^{-1}$



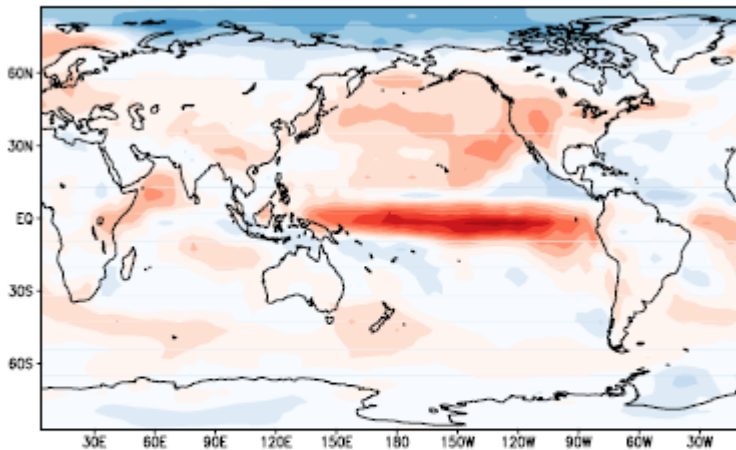
Water vapor feedback ( $W m^{-2} K^{-1}$ )



Global Mean =  $1.27 W m^{-2} K^{-1}$  (i.e. -40 %)



Cloud feedback ( $W m^{-2} K^{-1}$ )



Global Mean =  $0.15 W m^{-2} K^{-1}$

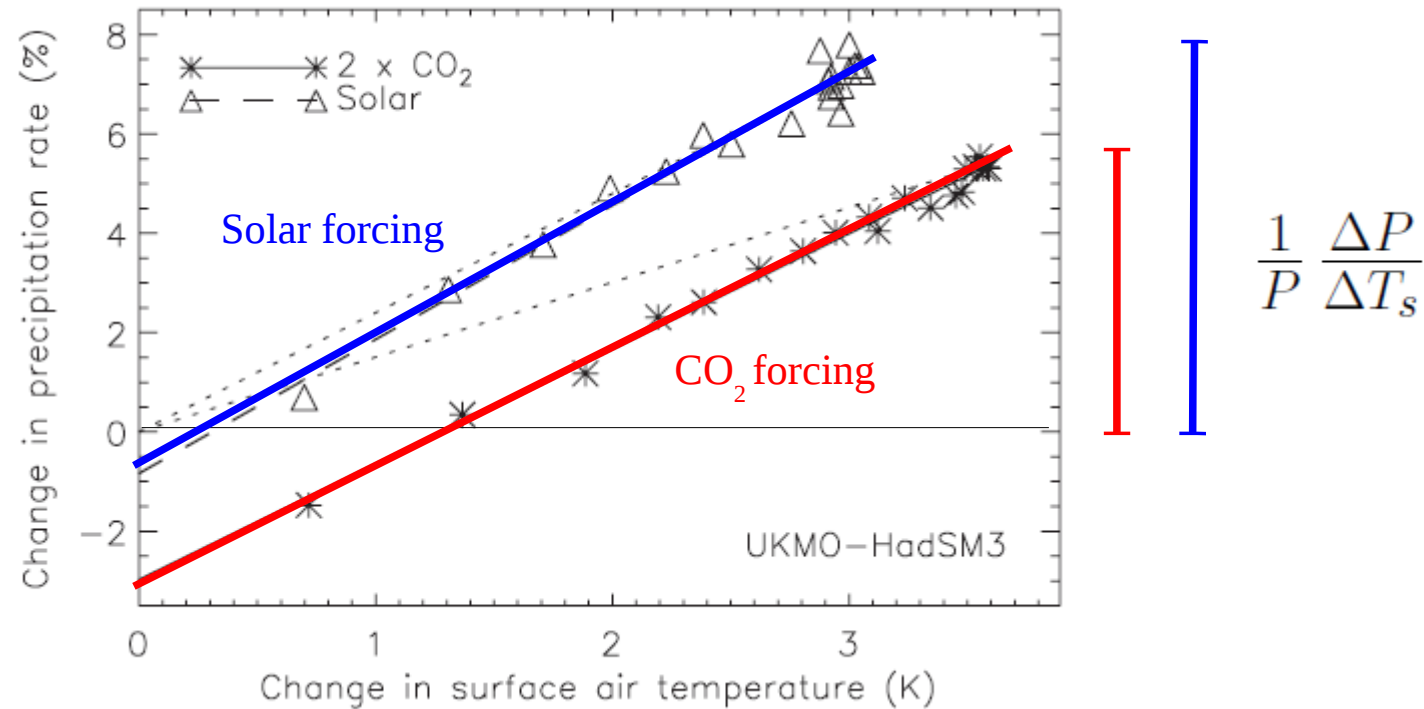


Increased temperature acts to **increase precipitation**

Increased water vapor acts to **reduce precipitation!**

$$\frac{\partial R}{\partial T_s} = \sum_x \frac{\partial R}{\partial x} \frac{\partial x}{\partial T_s}$$

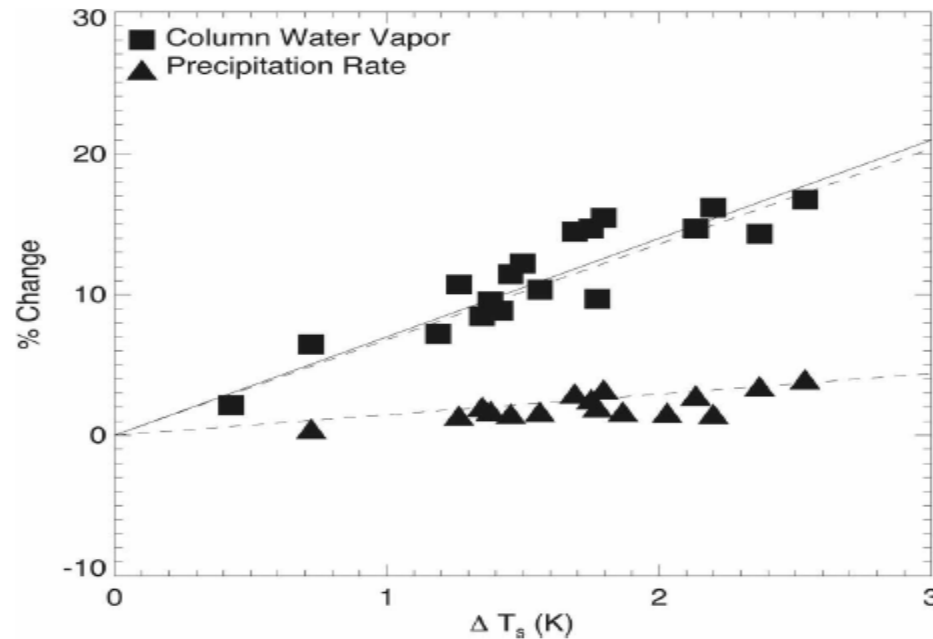
# Dependence of hydrological sensitivity on forcing



- Weaker hydrological sensitivity for CO<sub>2</sub> forcing than for solar forcing
- (Fast) precipitation adjustment to CO<sub>2</sub> forcing
- Precipitation response to  $\Delta T_s$  quite similar between the two forcing agents

# Global Hydrological Sensitivity

## % Change of precipitation vs $\Delta T_s$ Multi-model results



Each symbol is a model result

water vapor : +7.5 %/K

precipitation : +2 %/K

Stephens and Ellis, 2008

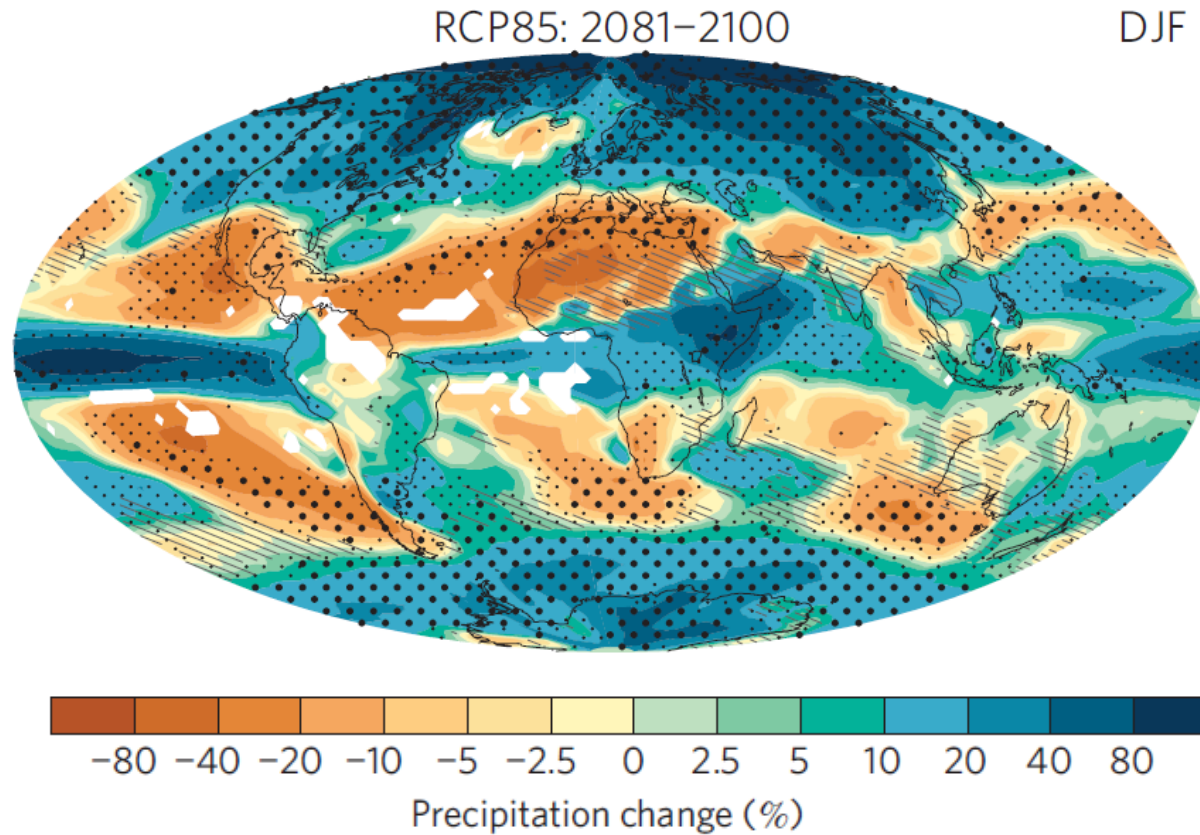
Precipitation is **sustained** by the availability of moisture and energy.

**Global precipitation changes are limited by the availability of energy.**

**An increase of the atmospheric temperature *increases the radiative cooling and therefore increases the global precipitation***

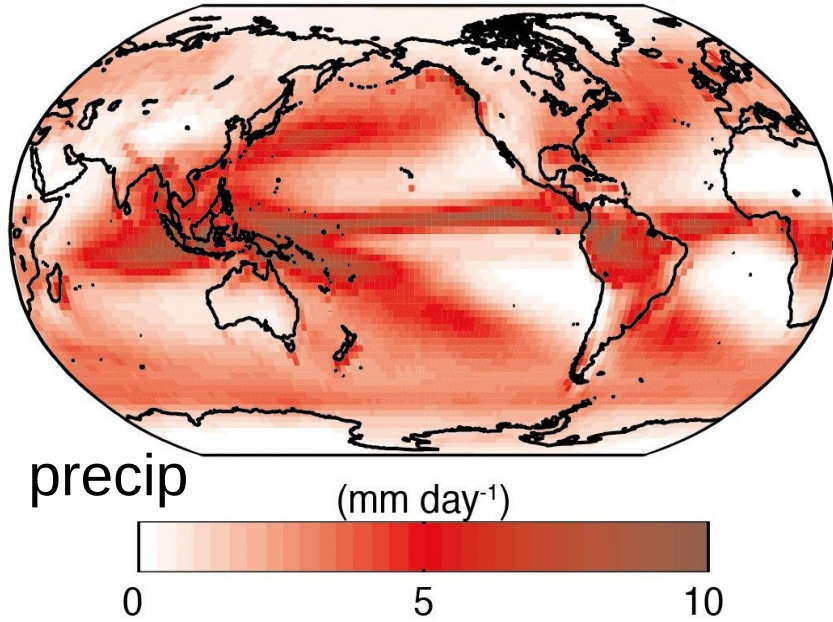
**An increase of GHG (CO<sub>2</sub>, H<sub>2</sub>O...) or solar absorbent (black carbon...) *decreases the radiative cooling and therefore decreases the global precipitation***

# What controls regional precipitation changes ?

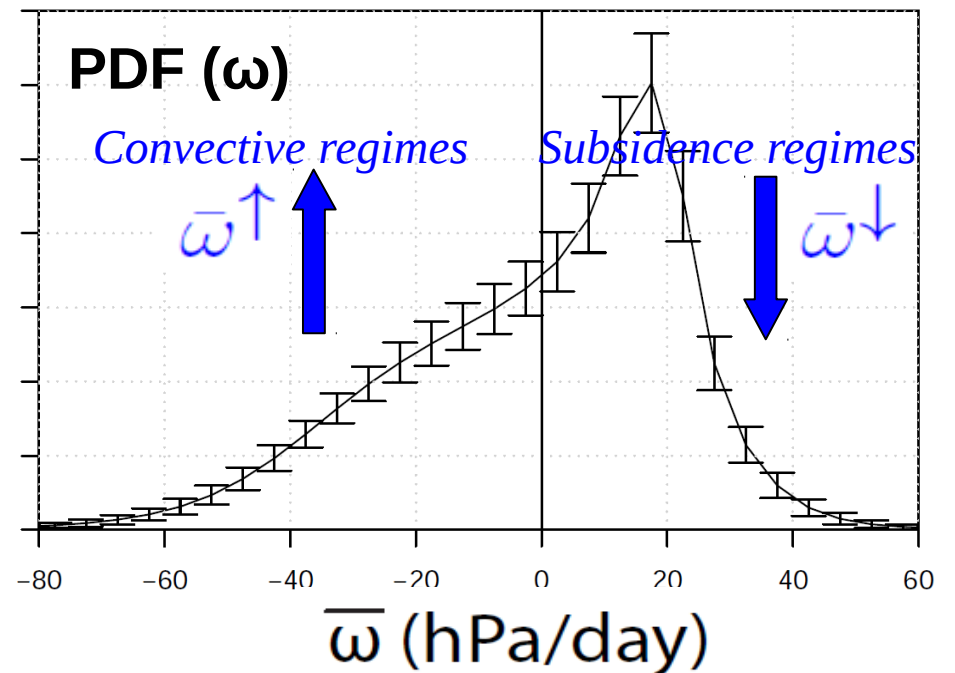
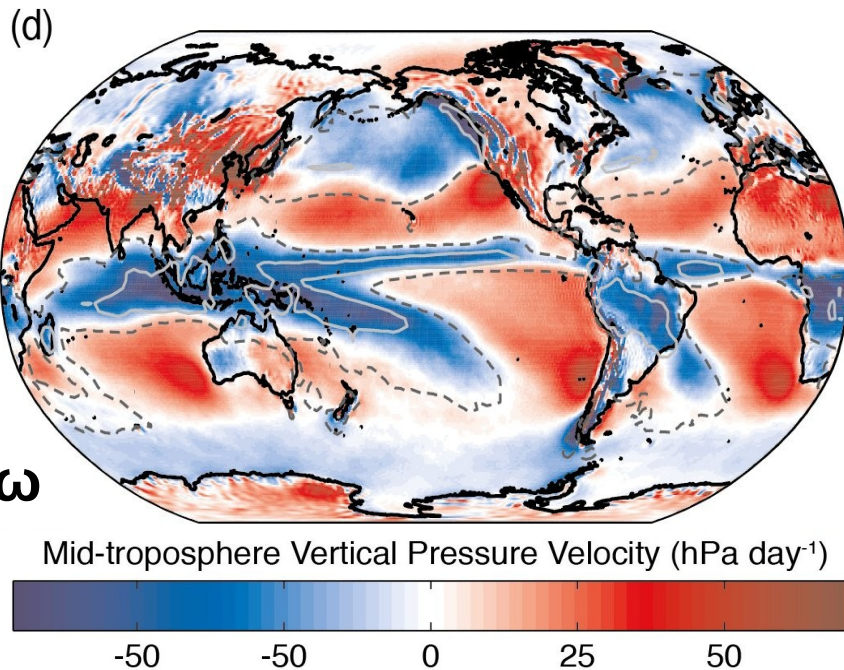
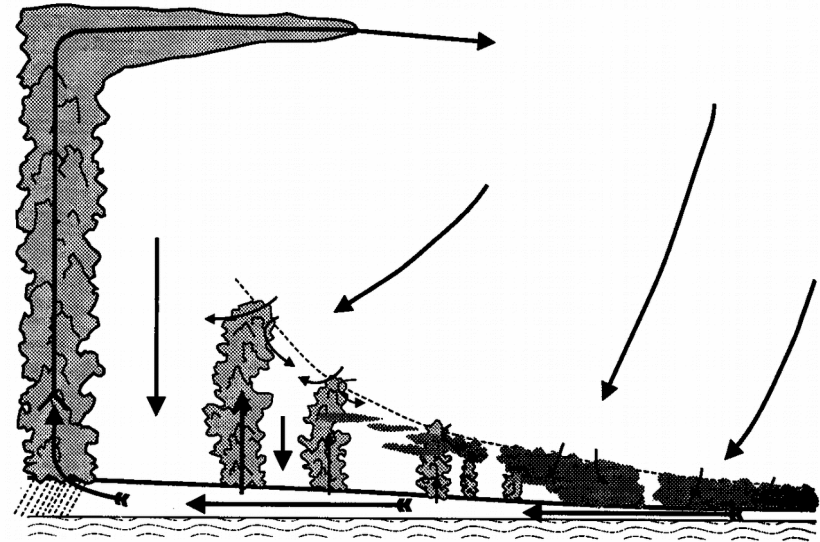


# Present-Day Climate Variables

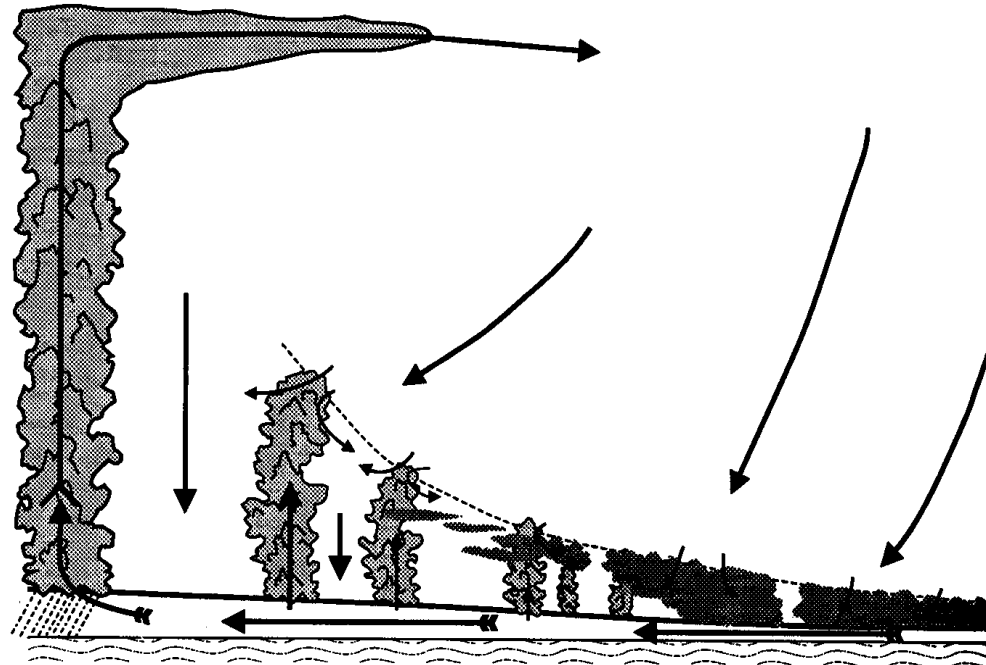
(d) Precipitation (global mean = 2.7 mm day<sup>-1</sup>)



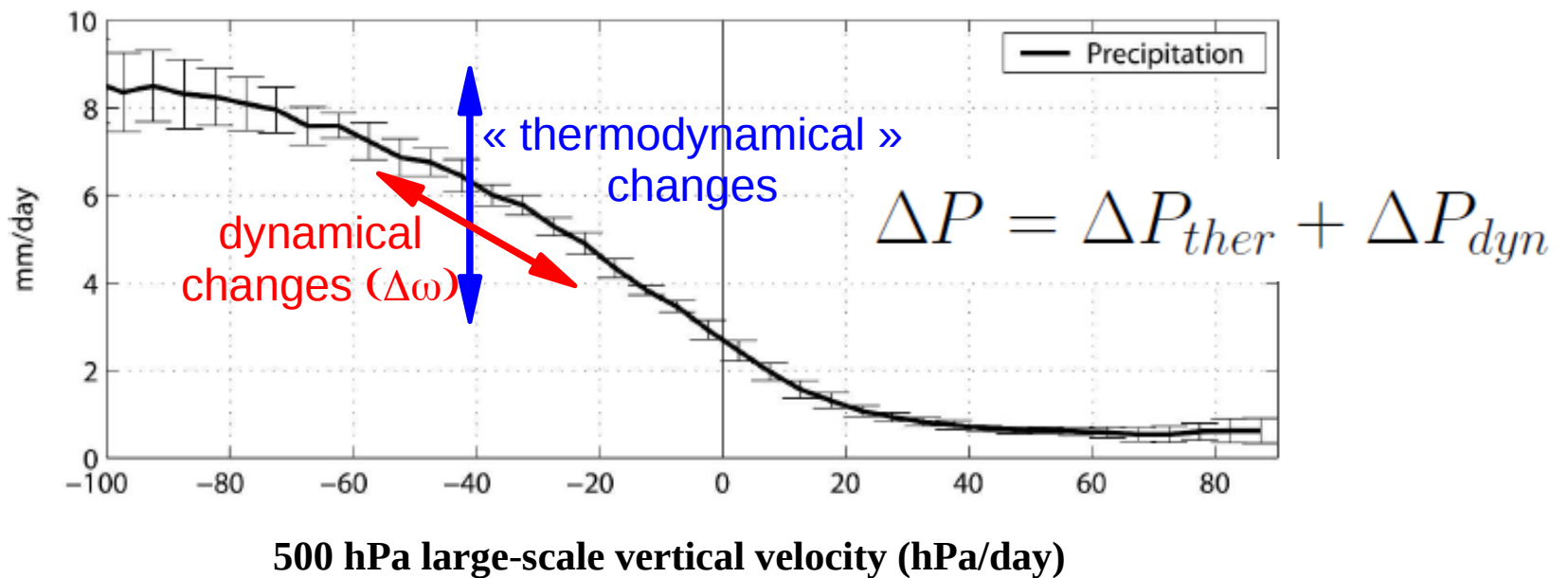
## Tropical Overturning Circulation



# Precipitation closely tied to large-scale atmospheric vertical motions



Precipitation





# What controls regional precipitation changes ?

## Dynamical and thermodynamical components of precipitation changes

### Analysis Method

- Water budget :  $P = E - \left[ \omega \frac{\partial q}{\partial P} \right] + H_q$
- Let  $\bar{\omega}$  be mass-weighted vertical average of  $\omega$ .

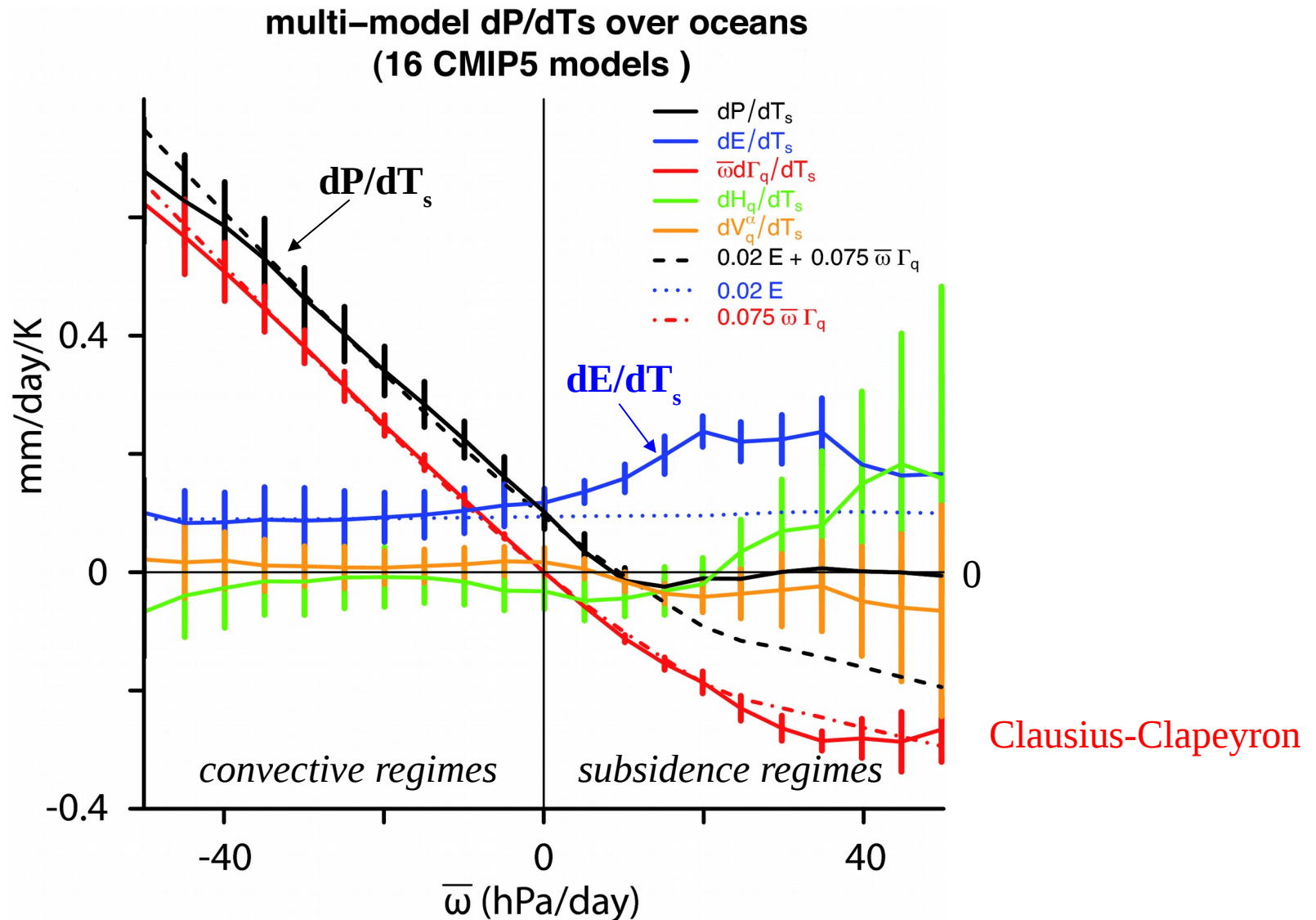
- Then :  $P = E + \bar{\omega} \Gamma_q + H_q + V_q^\alpha$   
surface                      vertical                      horizontal                      shape of  
evaporation                      advection                      advection                      omega profile

$$\Delta P = \left( \Delta E + \bar{\omega} \Delta \Gamma_q + \Delta H_q + \Delta V_q^\alpha \right) + \Gamma_q \Delta \bar{\omega}$$

**thermodynamical component**                      **dynamical component**

# How would precipitation respond to global warming in the absence of change in vertical motion ?

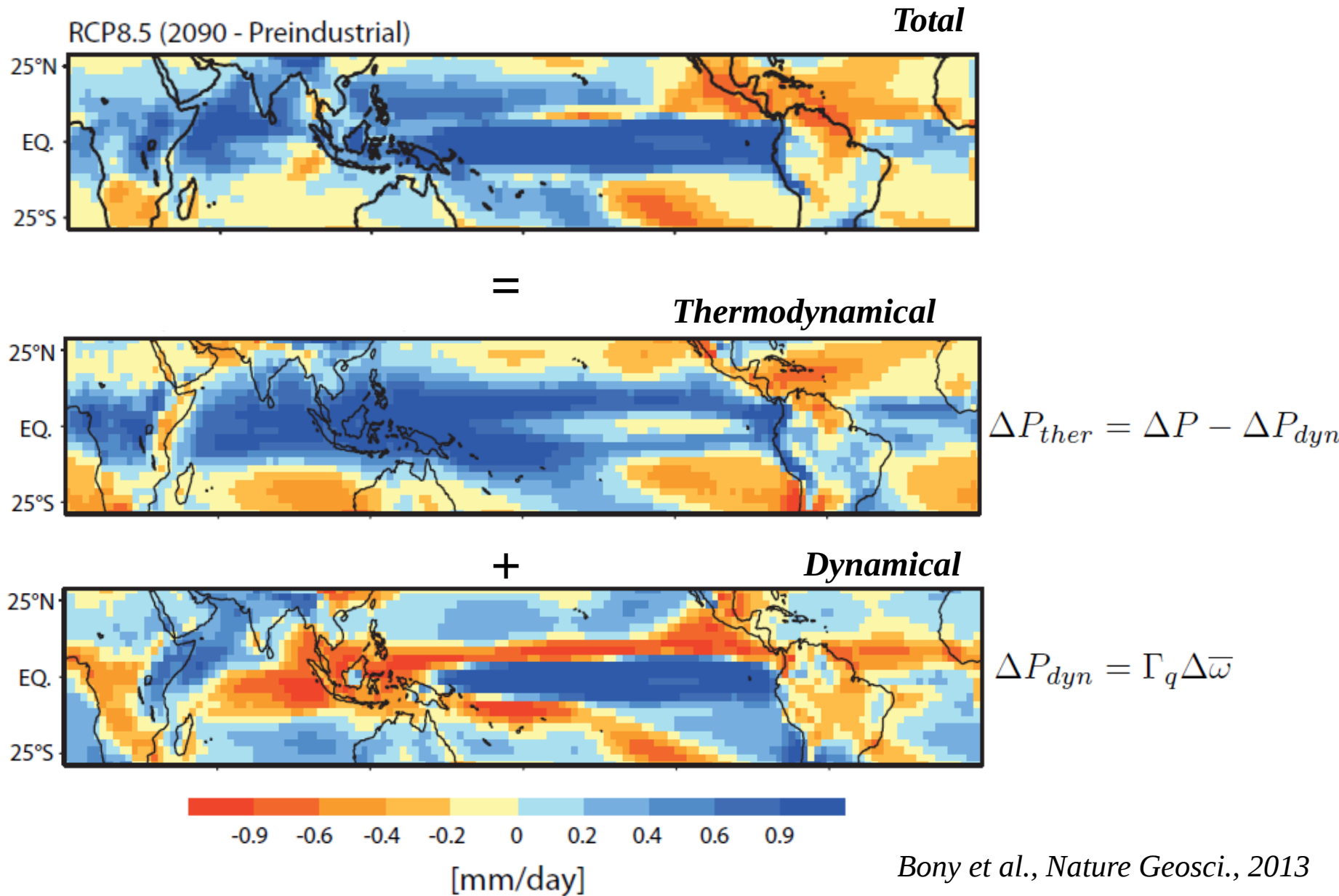
- 16 CMIP5 models (mean and spread)
- wet get wetter, dry get drier
- wet get wetter more robust than dry get drier



$$\Delta P = (\Delta E + \bar{\omega} \Delta \Gamma_q + \Delta H_q + \Delta V_q^\alpha) + \cancel{\Gamma_q \Delta \bar{\omega}}$$

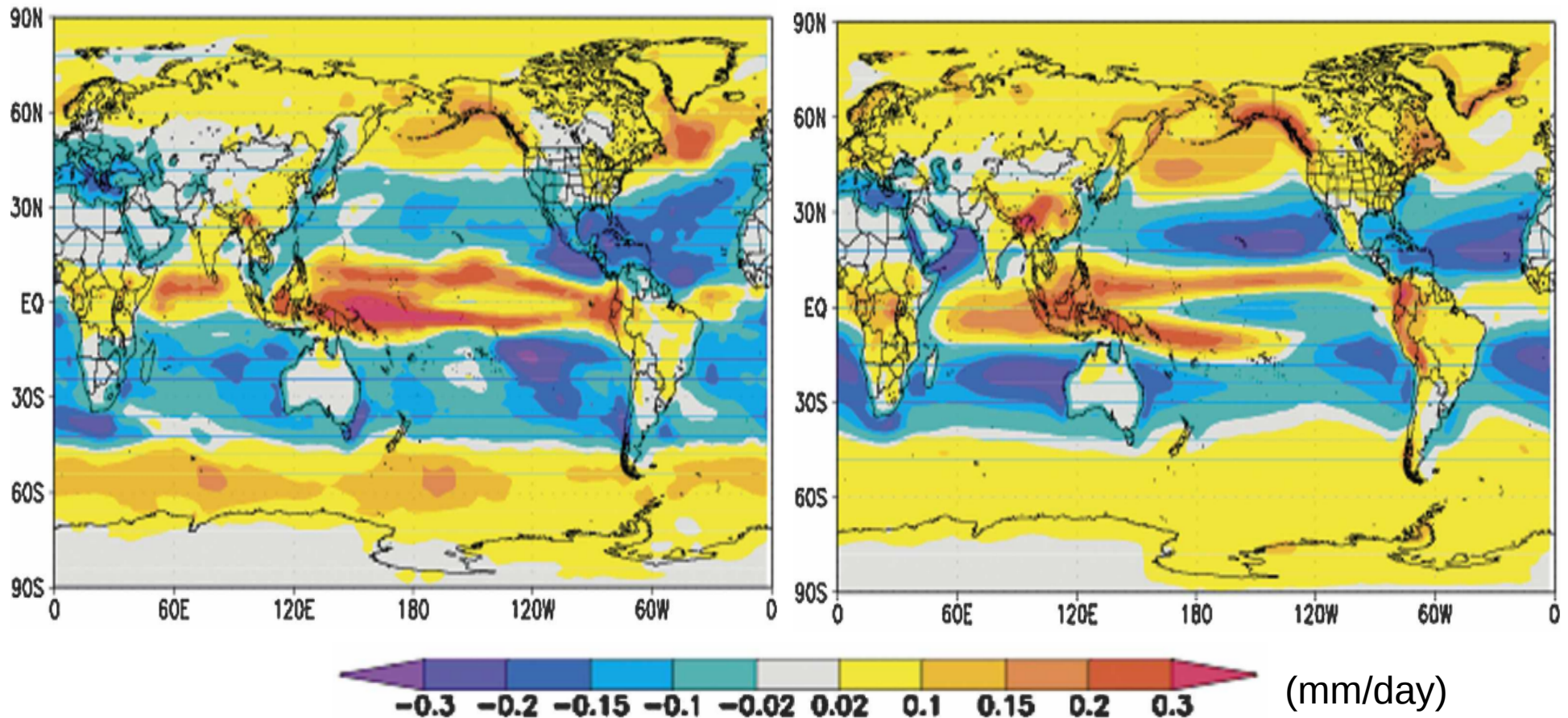
# Tropical Precipitation Projections

RCP8.5 scenario at the end 21C



# The “wet-get-weter” and “dry get drier” paradigm

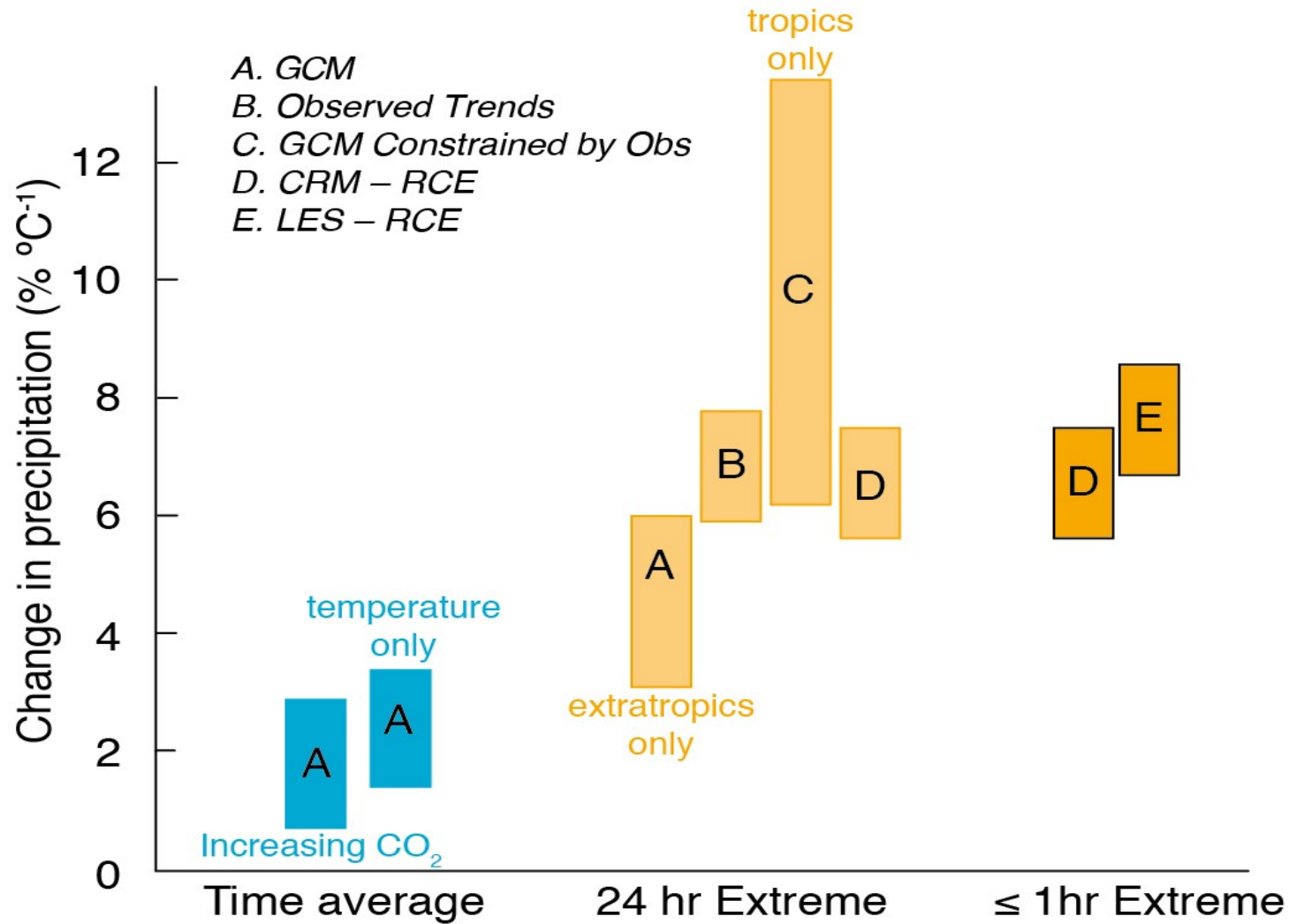
## Precipitation - Evaporation



(a) The annual-mean distribution of  $\Delta(P - E)$  and (b) the thermodynamic component (CPMIP3 models, SRES A1B scenario).

[ Held & Soden, 2006]

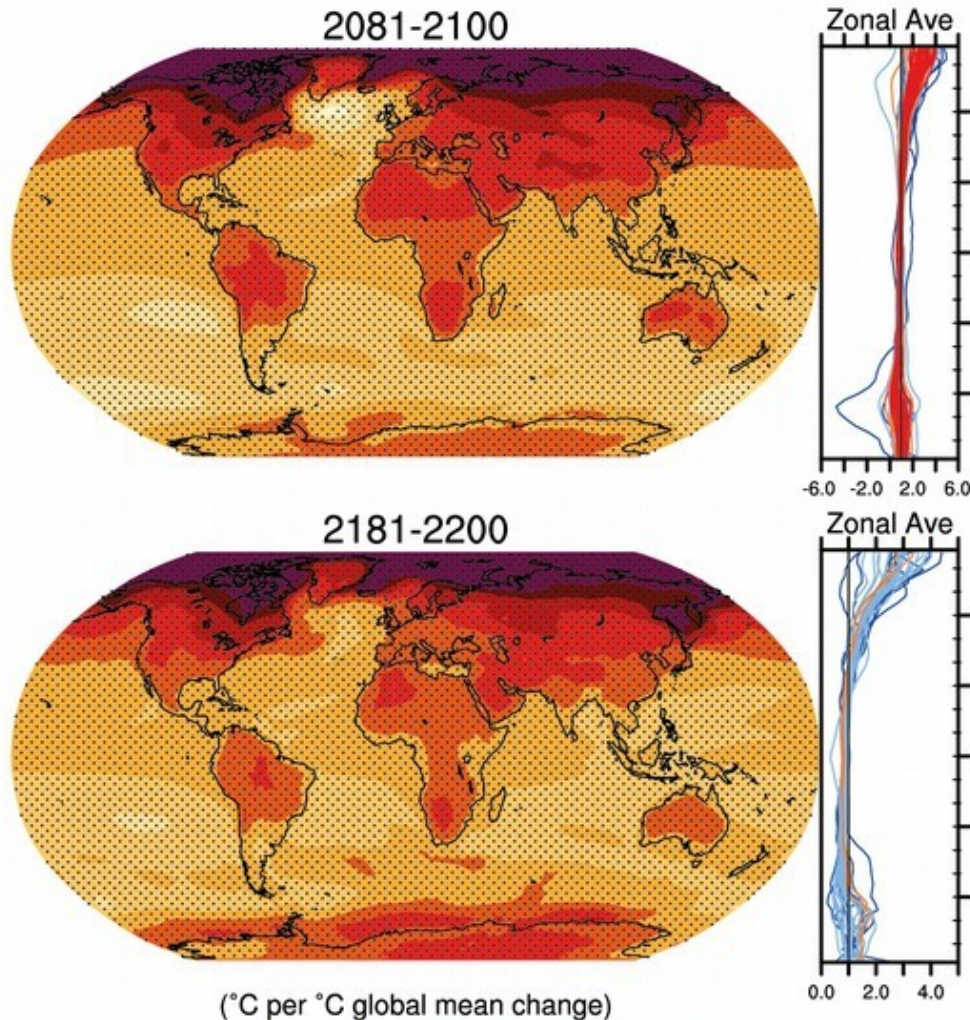
# The change in extreme precipitation



# Pattern scaling

- For many models, as a first approximation :  
 $\Delta X(\text{space, time}) = \text{global } \Delta T(\text{time}) \times \text{pattern}(\text{space})$
- **Global  $\Delta T$  : a scaling factor for many global and regional climate responses**

Temperature scaled by global T ( $^{\circ}\text{C}$  per  $^{\circ}\text{C}$ )



Precipitation scaled by global T (% per  $^{\circ}\text{C}$ )

