



# Changement Climatique

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Concepts Clés (1)  
Forçages,  
Sensibilité climatique  
& rétroactions

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# Radiative forcing ; forcing – response framework

Radiative forcing aims to compare the magnitude of different perturbations that impact climate.

If the change in global mean surface temperature is a measure of the change in climate, and if the change in surface temperature is driven by the change in the net radiative flux at the top of atmosphere then

the radiative forcing is the **change in the net radiative flux** (expressed in  $\text{W.m}^{-2}$ ) at the top of atmosphere due to a change in an external forcing (an driver of climate change) **before surface temperature adjusts** to this perturbation (temporary definition).

$$\Delta R = \Delta Q + \lambda \Delta T_s$$

Change in net flux at the TOA      radiative forcing      “climate feedback parameter”

Change in global mean surface temperature

When a new equilibrium is reached,  $\Delta R=0$

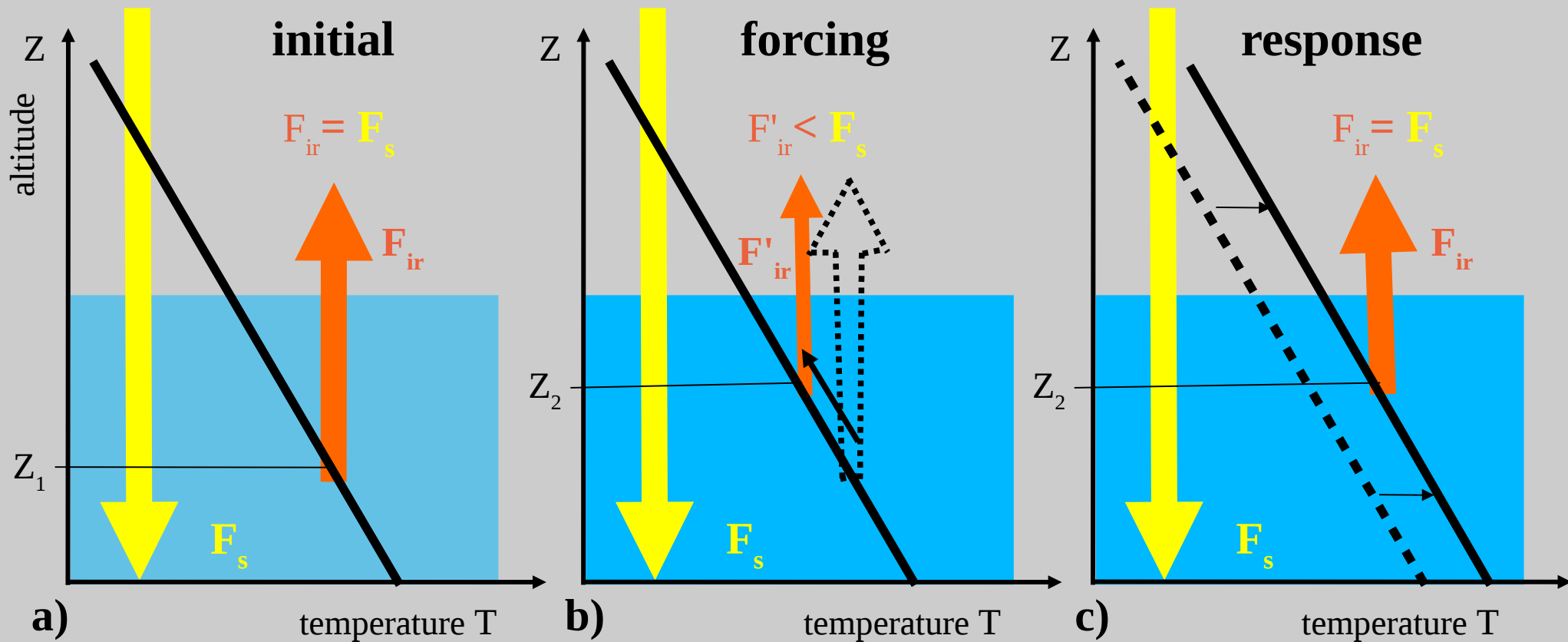
$$\Delta T_s^e = \frac{-\Delta Q}{\lambda}$$

*If  $\lambda$  is constant,  $\Delta T$  is proportional to the radiative forcing*

# Forcing and response for a CO<sub>2</sub> increase with a uniform temperature response

Net solar radiation  $F_s$

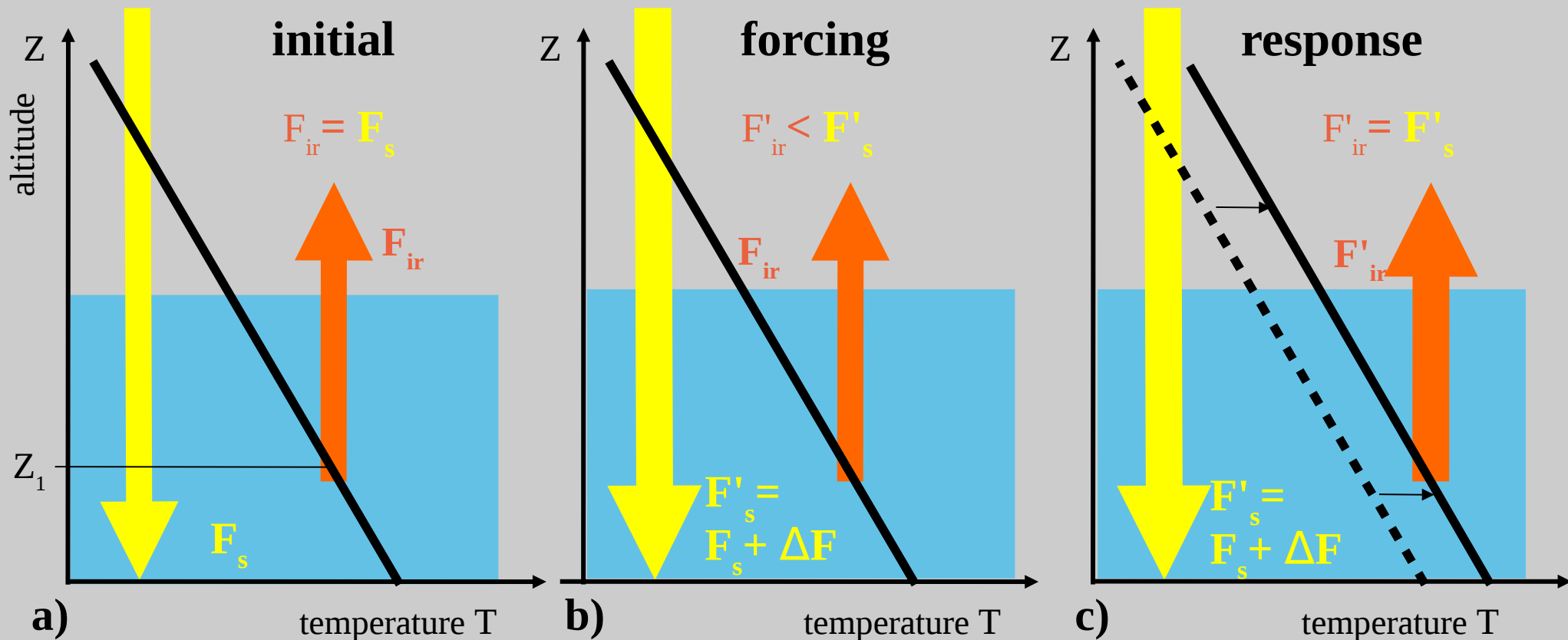
Outgoing longwave radiation  $F_{ir}$



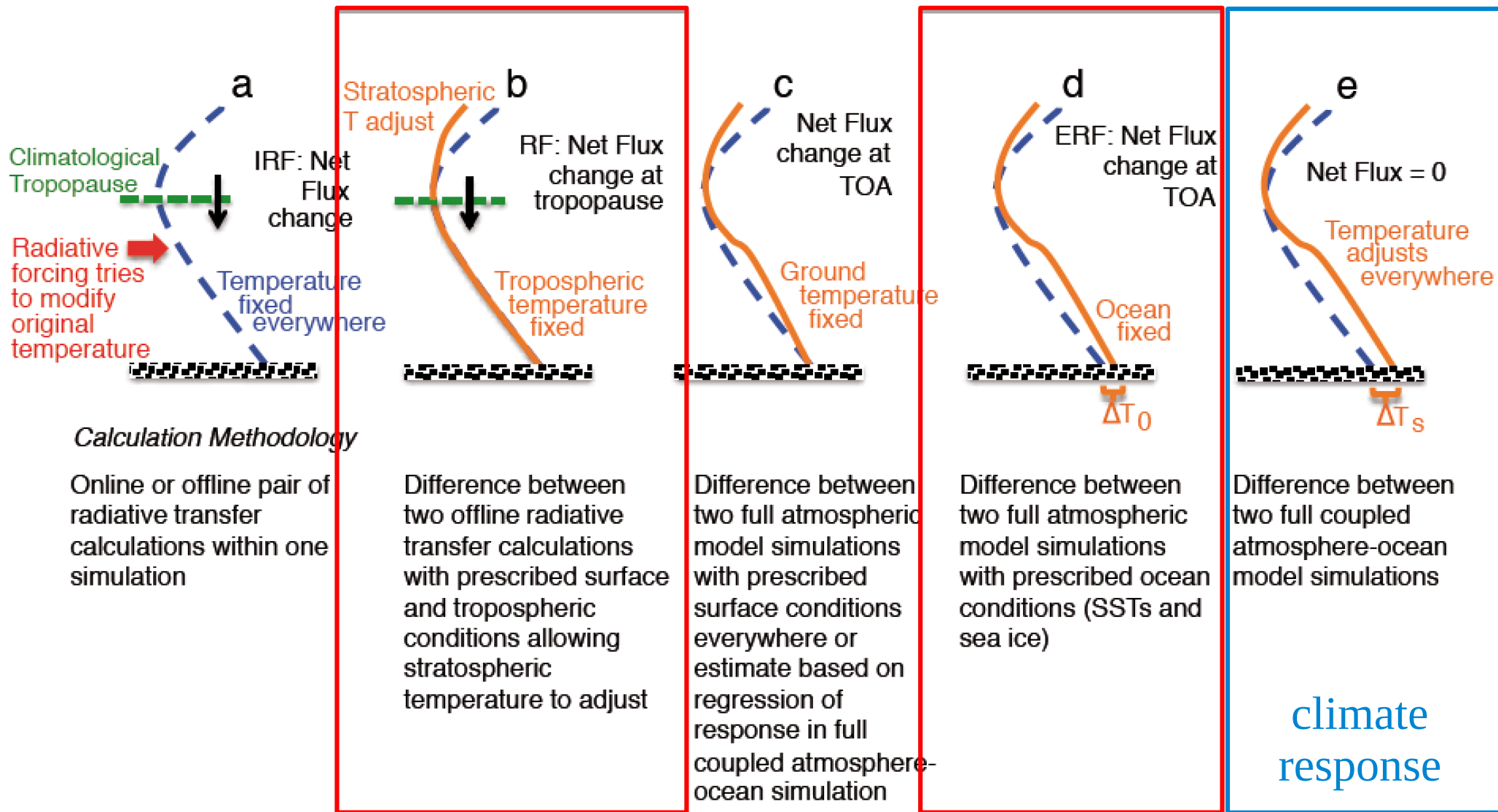
# Forcing and response to a solar absorption increase with a uniform temperature response

Net solar radiation  $F'_s$

Outgoing longwave radiation  $F'_{ir}$



# Radiative forcing: evolution of the definition to improve the proportionality between $\Delta Q$ and $\Delta T$

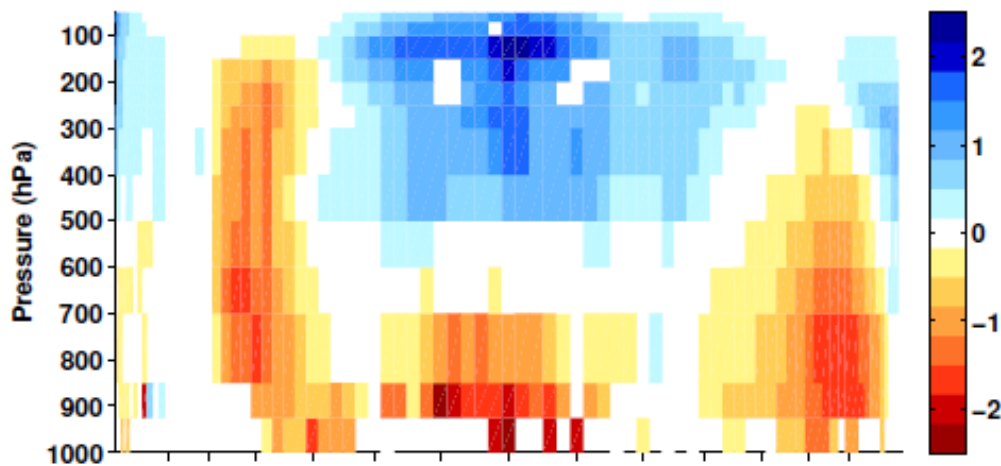


Radiative Forcing

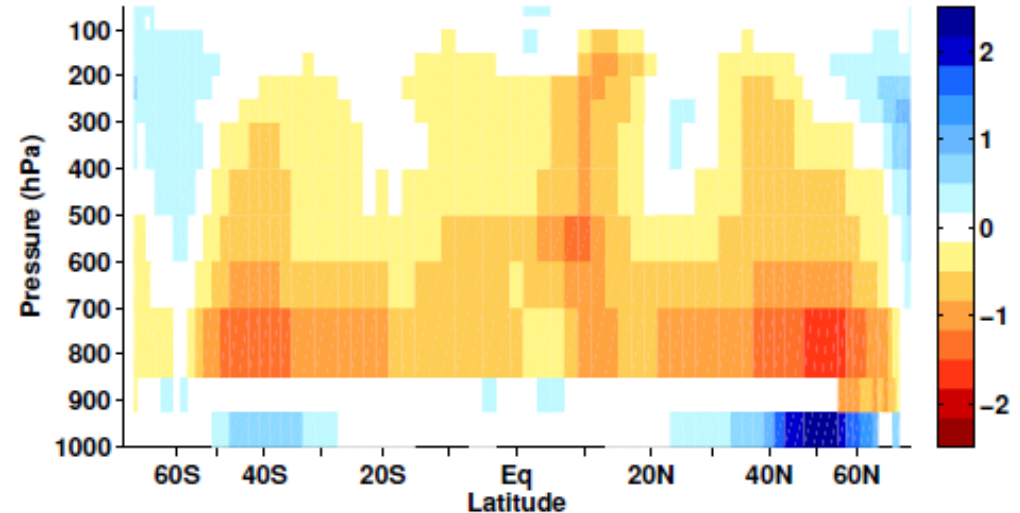
Effective Radiative Forcing

# Clouds respond to CO2 even in the absence of Ts changes (4xCO2 experiments with fixed SSTs)

(a) Land: Rapid  $\Delta$  Cloud Amount (%)



(b) Ocean: Rapid  $\Delta$  Cloud Amount (%)



*Zelinka et al., 2013*

## Underlying physical processes ?

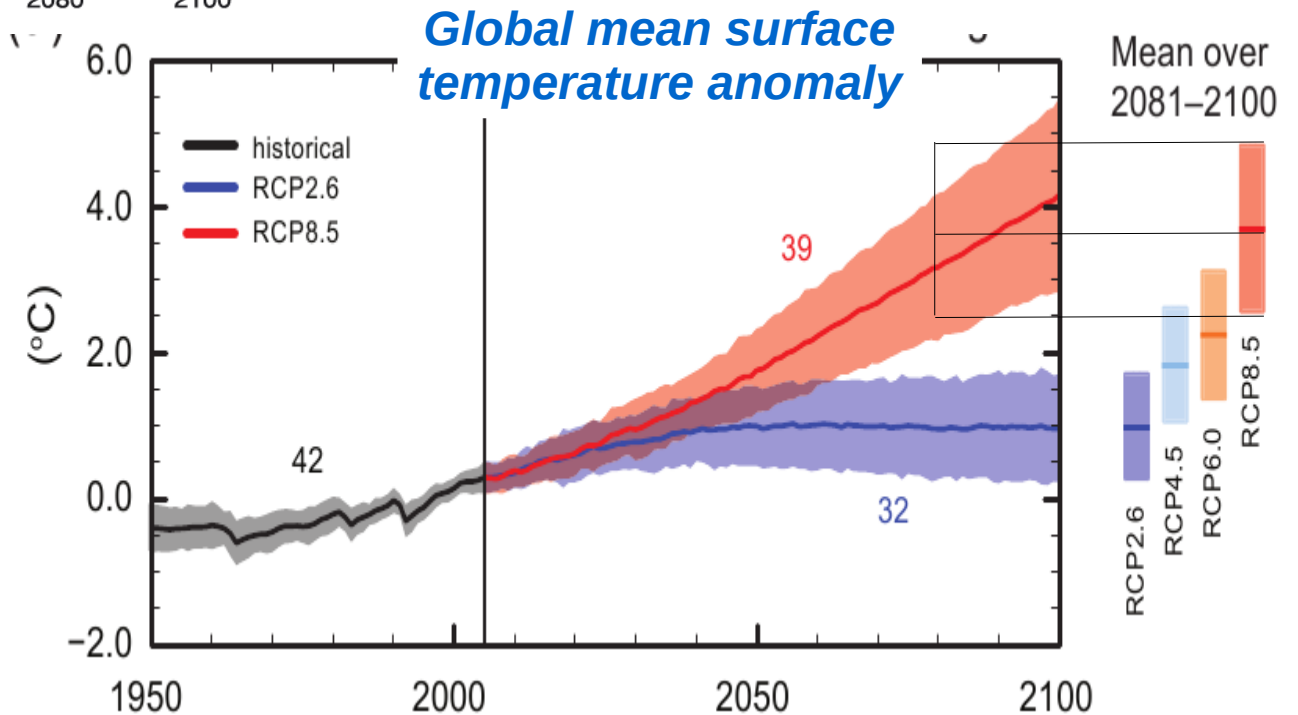
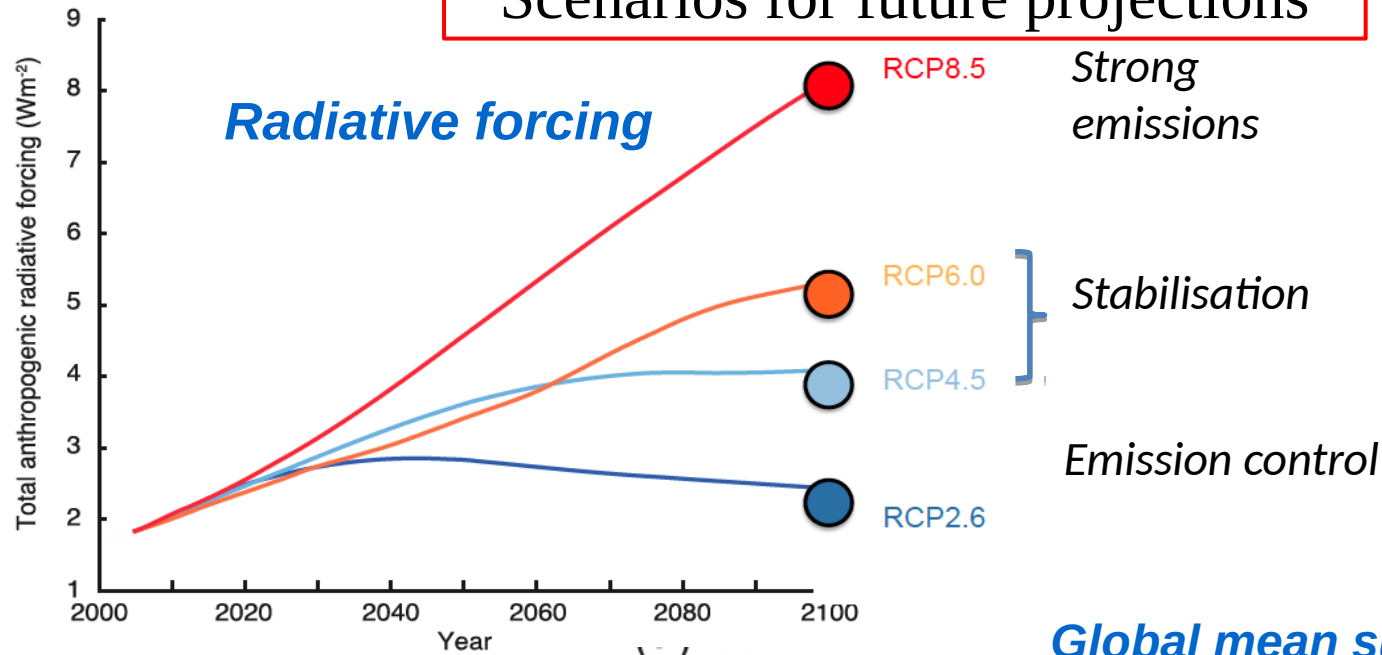
Increased CO2 reduces the radiative cooling of the troposphere, and thus radiatively warms the troposphere, leading to :

- **Change in planetary boundary layer (PBL)**
  - CO2 radiative forcing induces a low-tropospheric warming, RH and stability changes
- **Change in the strength of the overturning circulation**
  - weakening of large-scale rising motions over ocean, strengthening over land
  - weakening of large-scale subsidence over both land and ocean

*Kamae & Watanabe, 2012*  
*Bony et al., NGS, 2013*

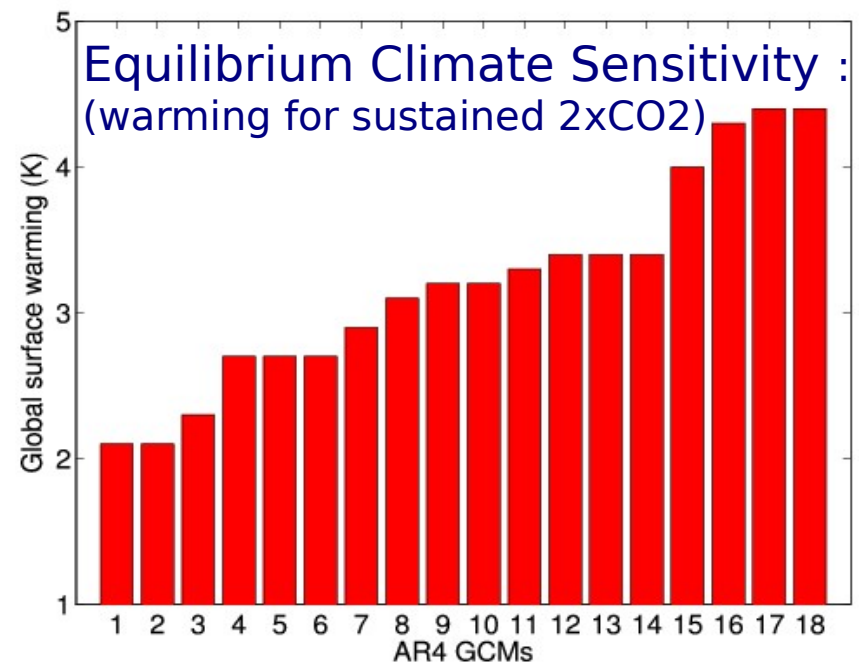
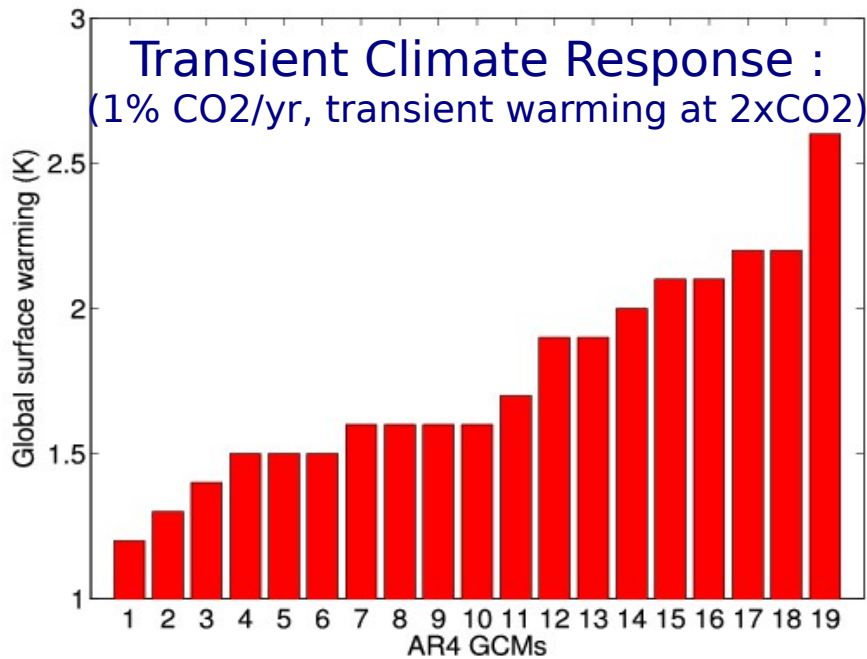
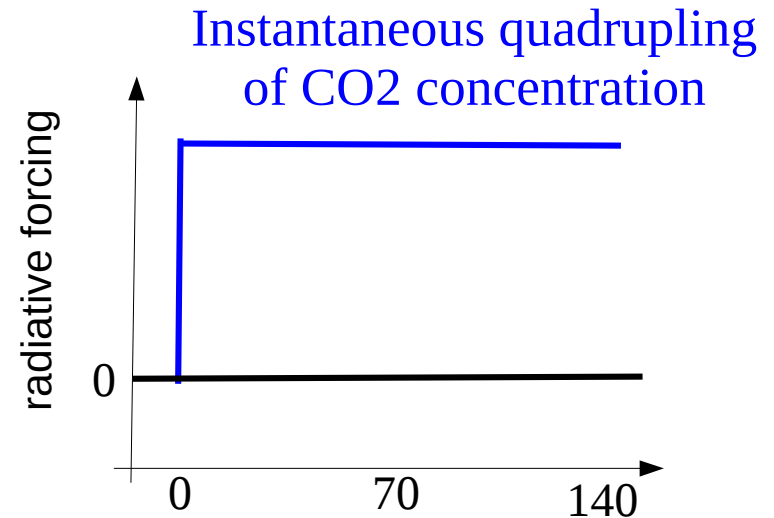
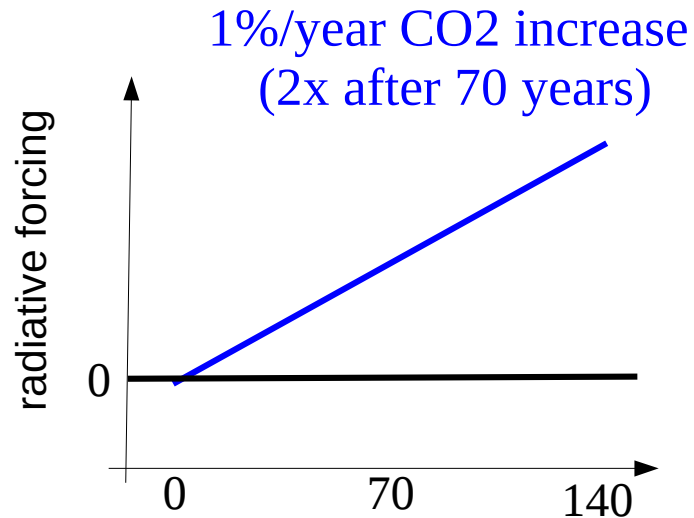
# How do climate models respond?

## Scenarios for future projections



# How do climate models respond?

## Idealized climate change experiments

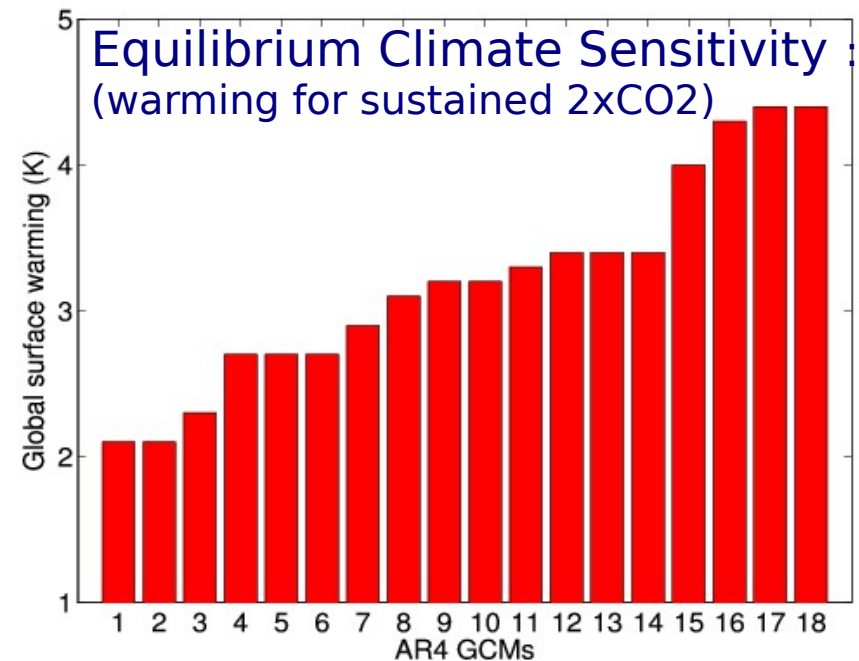




# Climate sensitivity and climate feedback parameters

## Definition and ranges

Equilibrium climate sensitivity (ECS) is the equilibrium change in global and annual mean surface air temperature after doubling the atmospheric concentration of CO<sub>2</sub> relative to pre-industrial levels.



At equilibrium:  $\Delta T_e = -\Delta Q / \lambda = S' \Delta Q$  (in K)

$\Delta Q$  : radiative forcing (in W.m<sup>-2</sup>)

$\lambda$  : climate feedback parameter (in W.m<sup>-2</sup>.K<sup>-1</sup>) ; range [-0.9 ; -1.8]

$S' = -1/\lambda$  : climate sensitivity parameter (in K.W<sup>-1</sup>.m<sup>2</sup>); range [0.55 ; 1.1]

ECS =  $-\Delta Q(2xCO_2)/\lambda$  : climate sensitivity (in K); range [2 ; 4.5]



## Concepts Clés (1)

- Forçage Radiatif et sensibilité climatique
- Rétroactions climatiques

## Réponse à une perturbation du flux solaire incident

Si l'albédo est **indépendant** de la température:  $A = \text{Cte}$

$$\epsilon\sigma T^4 = (1 - A)I_s$$

$$\delta I_s \Rightarrow \epsilon\sigma(T + \delta T)^4 = (1 - A)(I_s + \delta I_s)$$

$$\epsilon\sigma(T + \delta T)^4 \approx \epsilon\sigma(T^4 + 4T^3\delta T)$$

$$\lambda_p \delta T \approx -(1 - A)\delta I_s \quad \text{avec} \quad \lambda_p = -4\epsilon\sigma T^3$$

Le changement de flux radiatif infrarouge est:  $\delta R \approx \lambda_p \delta T$

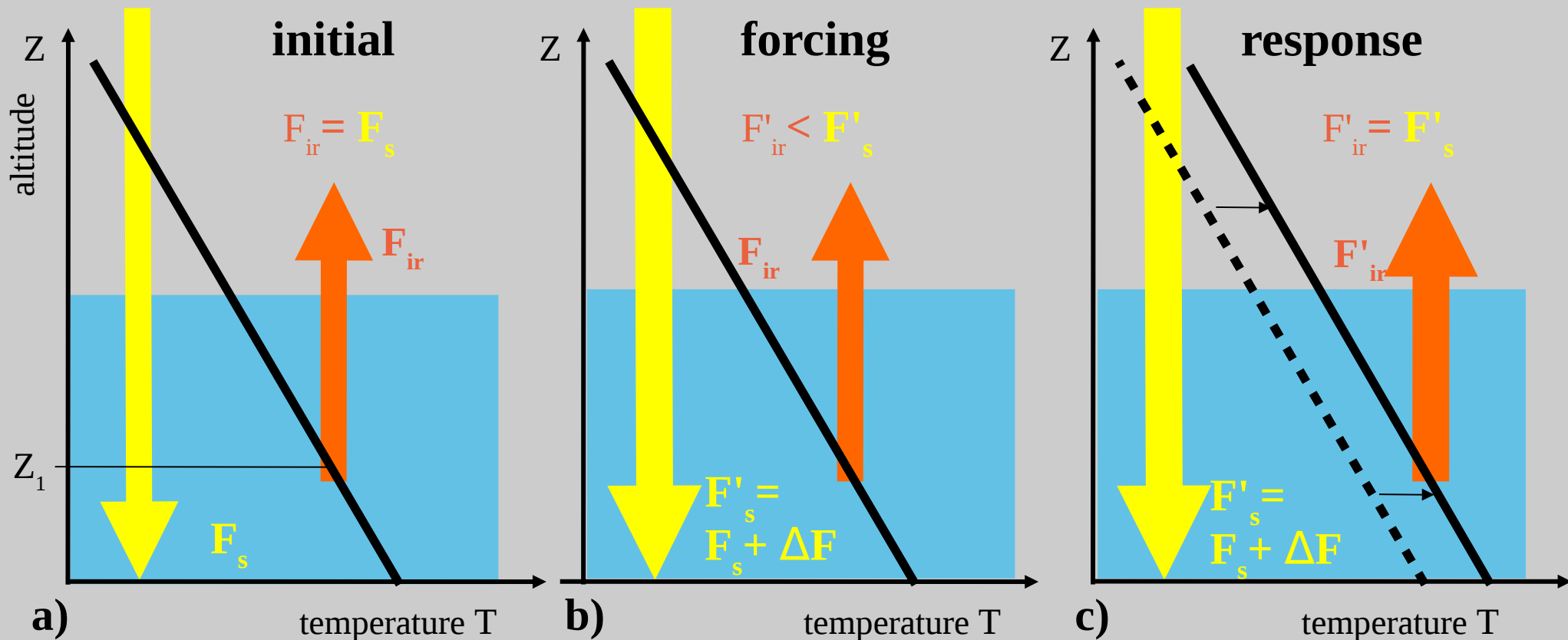
$$T = 280\text{K} \quad ; \quad \lambda_p \approx -5 \text{ Wm}^{-2}\text{K}^{-1} \quad ; \quad \delta T \approx 0.2(1 - A)\delta I_s$$

$$T = 250\text{K} \quad ; \quad \lambda_p \approx -3.5 \text{ Wm}^{-2}\text{K}^{-1} \quad ; \quad \delta T \approx 0.28(1 - A)\delta I_s$$

# Forcing and response to a solar absorption increase with a uniform temperature response

Net solar radiation  $F'_s$

Outgoing longwave radiation  $F'_{ir}$



## Réponse à une perturbation du flux solaire incident

Si l'albédo **dépend** de la température :  $\frac{dA}{dT} \neq 0$

$\delta I_s \Rightarrow$

$$\epsilon\sigma(T + \delta T)^4 = \left(1 - \left(A + \frac{dA}{dT}\delta T\right)\right) (I_s + \delta I_s)$$

$$\epsilon\sigma(T^4 + 4T^3\delta T) \approx (1 - A)(I_s + \delta I_s) - \frac{dA}{dT}\delta T I_s + \epsilon(\delta^2)$$

$$(\lambda_p + \lambda_A)\delta T \approx -(1 - A)\delta I_s$$

avec  $\lambda_p = -4\epsilon\sigma T^3$  et  $\lambda_A = \frac{dA}{dT}I_s$

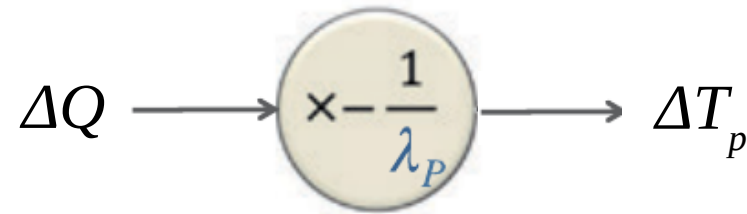
$$\delta T \approx \delta T_0 \frac{1}{1 - g}$$

avec  $g = -\frac{\lambda_A}{\lambda_p}$  et  $\delta T_0 \approx -\frac{(1 - A)\delta I_s}{\lambda_p}$

# Réponse à une perturbation quelconque

Perturbation: flux  $\Delta Q$

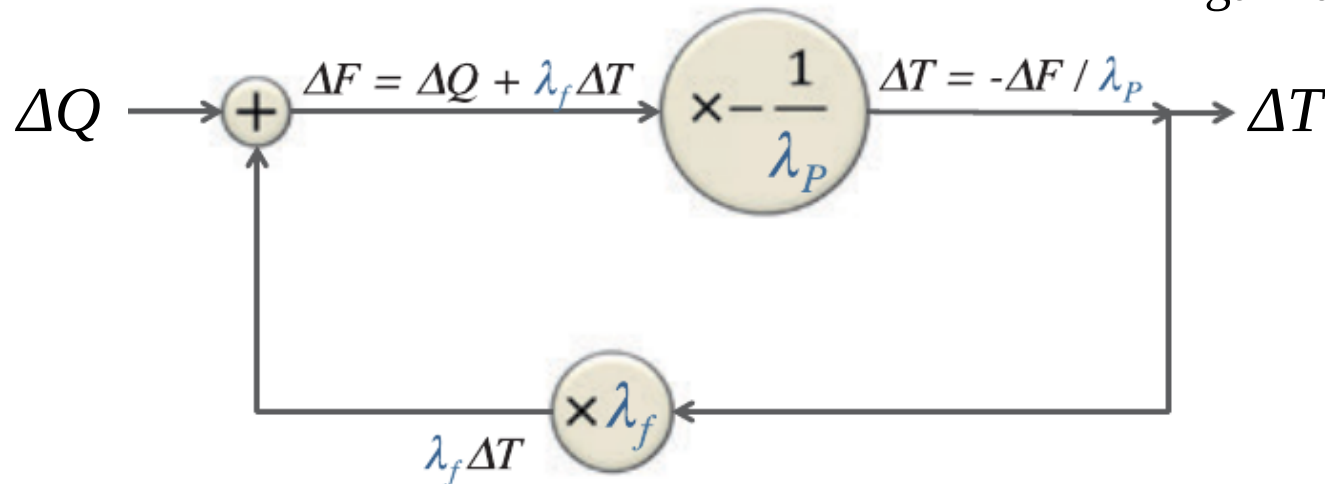
réponse “de Planck” :  $\Delta T_p = -\frac{\Delta Q}{\lambda_p}$



réponse du système complet :  $\Delta T = -\frac{\Delta Q}{\lambda}$  avec  $\lambda = \lambda_p + \lambda_f$

$$= \frac{1}{1-g} \Delta T_p \quad \text{avec } g = -\frac{\lambda_f}{\lambda_p}$$

gain de rétroaction



## Réponse à une perturbation quelconque

$$\Delta T_p = -\frac{\Delta Q}{\lambda_p} \quad \Delta T = \frac{1}{1-g} \Delta T_p \quad g = -\frac{\lambda_f}{\lambda_p}$$

### Les rétroactions

- augmentent l'amplitude de la réponse, par rapport à celle de Planck, si  $\lambda_f \geq 0$ , si le flux  $\lambda_f \Delta T$  du fait des rétroactions augmente l'énergie reçue par la Terre pour  $\Delta T \geq 0$
- diminuent l'amplitude de la réponse, par rapport à celle de Planck, si  $\lambda_f \leq 0$ , si le flux  $\lambda_f \Delta T$  du fait des rétroactions diminue l'énergie reçue par la Terre pour  $\Delta T \geq 0$
- rendent le système climatique instable si  $g \geq 1$ , c-à-d si  $\lambda_f \geq -\lambda_p$ , si le flux  $\lambda_f \Delta T$  gagné par le système du fait des rétroactions est supérieur au flux  $\lambda_p \Delta T$  perdu par "émission de Planck"

# Climate feedbacks

On Earth, Planck parameter  $\lambda_p \approx -3.2 \text{ W.m}^{-2}\text{K}^{-1}$

For a doubling of the  $\text{CO}_2$  concentration,  $\Delta Q \approx 3.7 \text{ W.m}^{-2}$ , the temperature increases by  $\approx 1.2 \text{ K}$ , if nothing change except the temperature

## But feedbacks exist:

- Snow and sea ice reflect solar radiation; if they decrease, more solar energy will be absorbed  $\Rightarrow$  **positive feedback**
- Water vapour is the main greenhouse gas; if it increases, the greenhouse effect will be enhanced  $\Rightarrow$  **positive feedback**
- Clouds reflect solar radiation and contribute to the greenhouse effect; if they change, the energy budget will be modified  $\Rightarrow$  **positive or negative feedback**

$$\Delta T_s^e = \frac{-\Delta Q_t}{\lambda}$$

$$\lambda = \lambda_P + \lambda_w + \lambda_L + \lambda_c + \lambda_\alpha$$

Planck

water  
vapor

lapse  
rate

clouds

surface  
albedo



# How to compute feedbacks ?

Diagnostic of feedback parameters through the Kernel approach

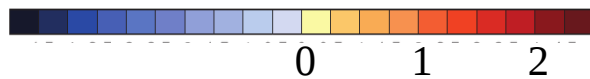
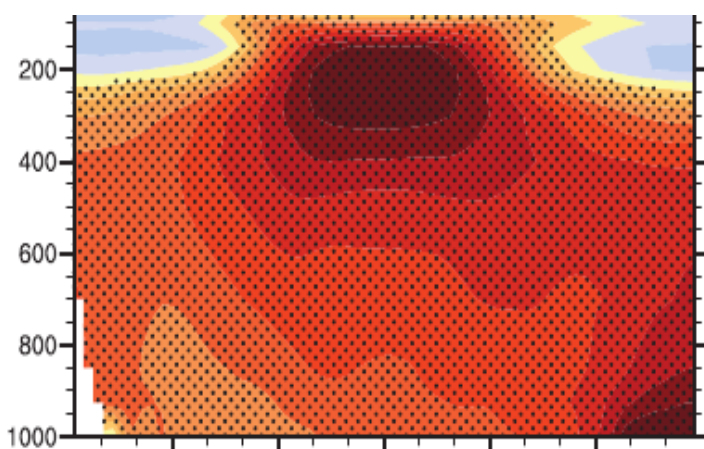
$$\lambda = \frac{\partial R}{\partial T_s} = \sum_x \frac{\partial R}{\partial x} \frac{\partial x}{\partial T_s} = \lambda_P + \sum_{x \neq P} \lambda_x$$

radiative kernel computed by radiative codes

response to surface temperature change

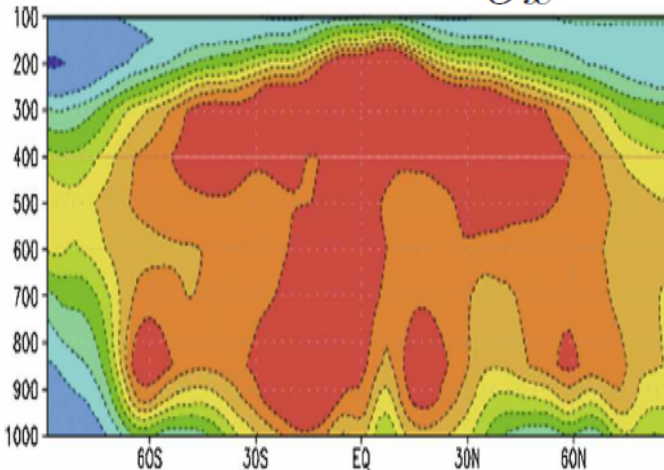
e.g. for  $x = T$  :

Temperature change  $\frac{\partial x}{\partial T_s}$



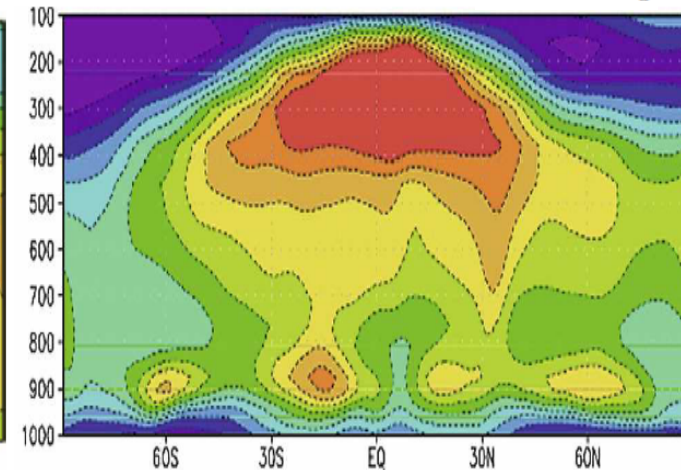
K/K (approximate)

Temperature kernel  $\frac{\partial R}{\partial x}$



W/m<sup>2</sup>/K/(100hPa)

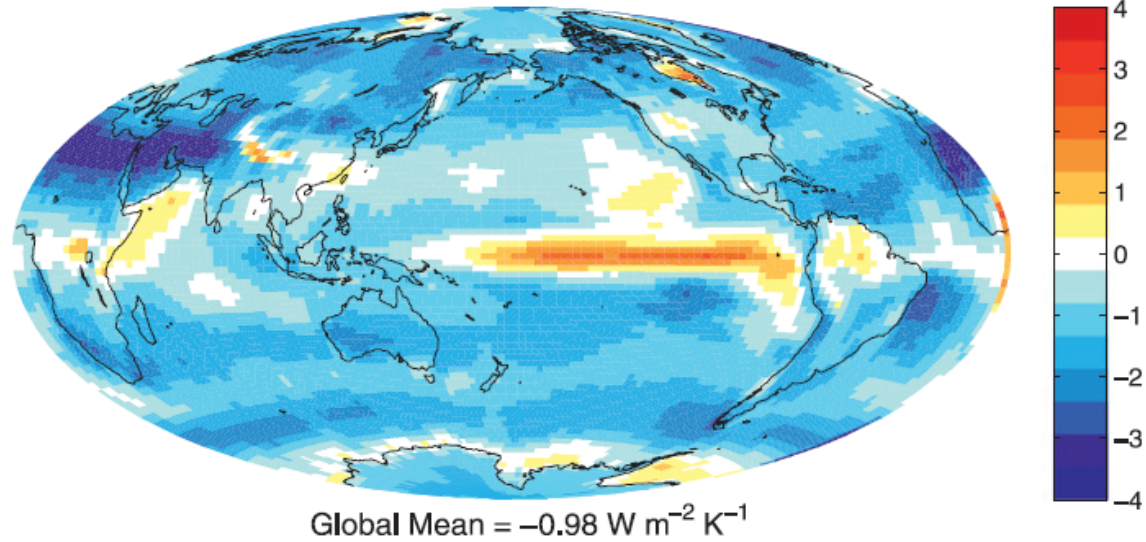
Temperature feedback parameter  $\frac{\partial R}{\partial x} \frac{\partial x}{\partial T_s}$



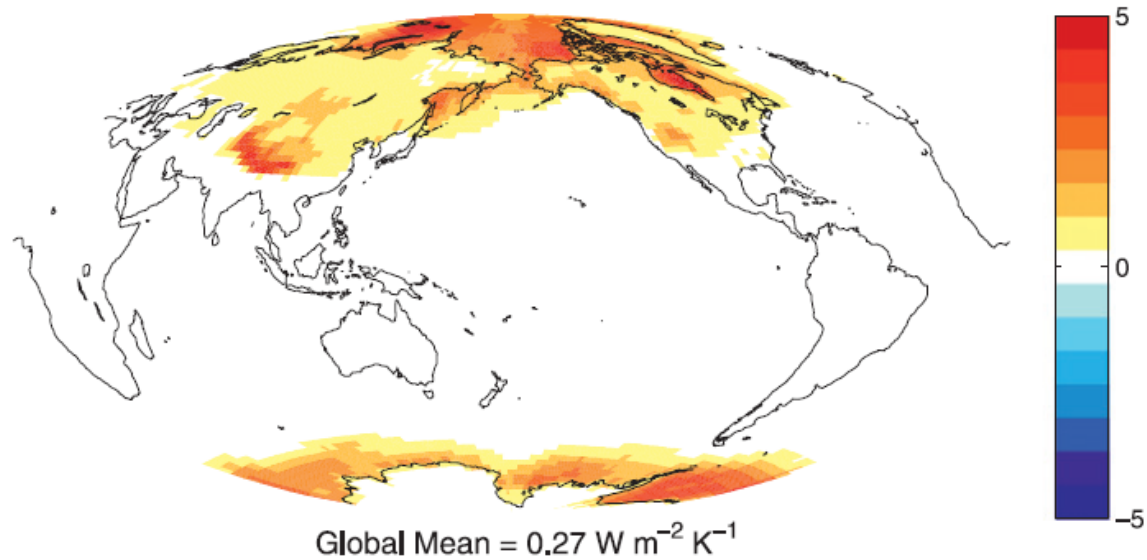
W/m<sup>2</sup>/K/(100hPa)

# Climate feedback

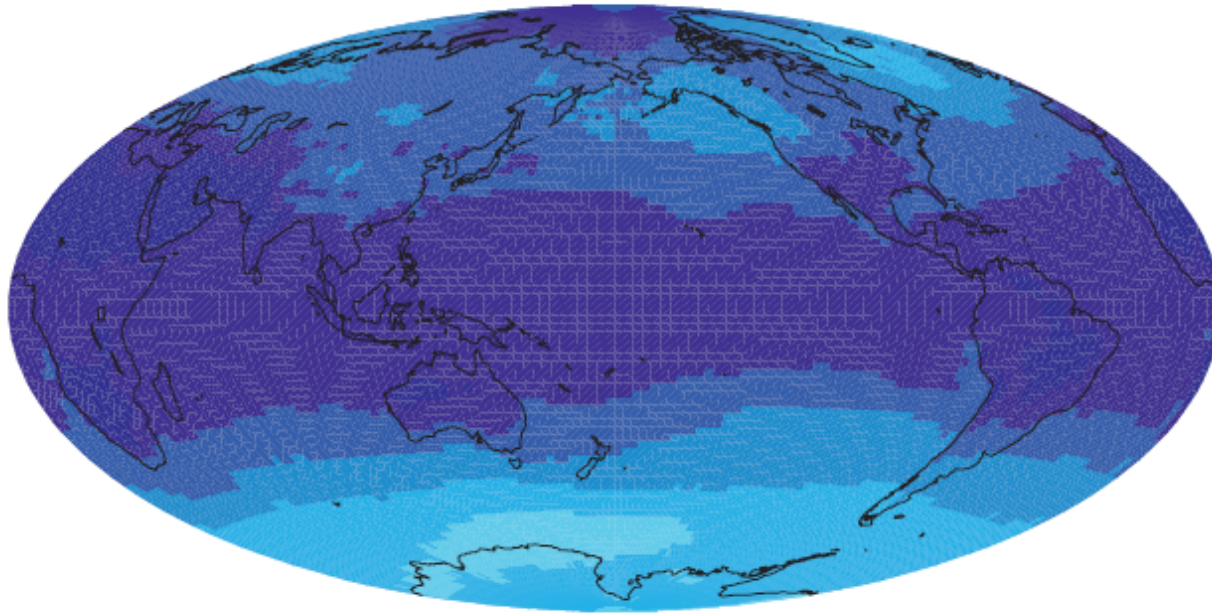
Net Feedback



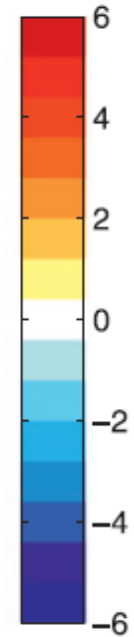
# Surface albedo feedback



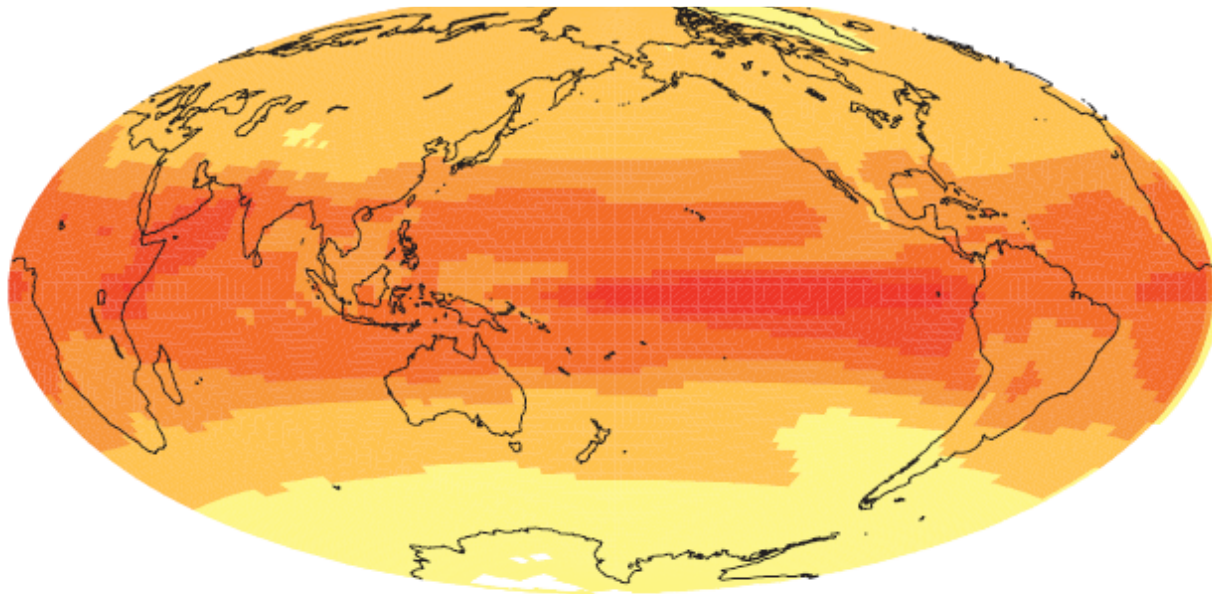
# Temperature feedback



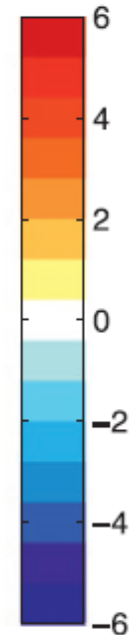
Global Mean =  $-4.02 \text{ W m}^{-2} \text{ K}^{-1}$



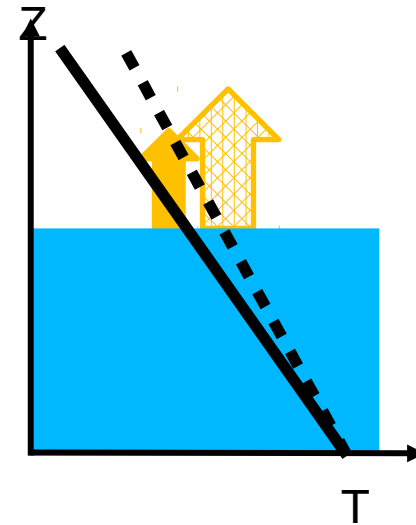
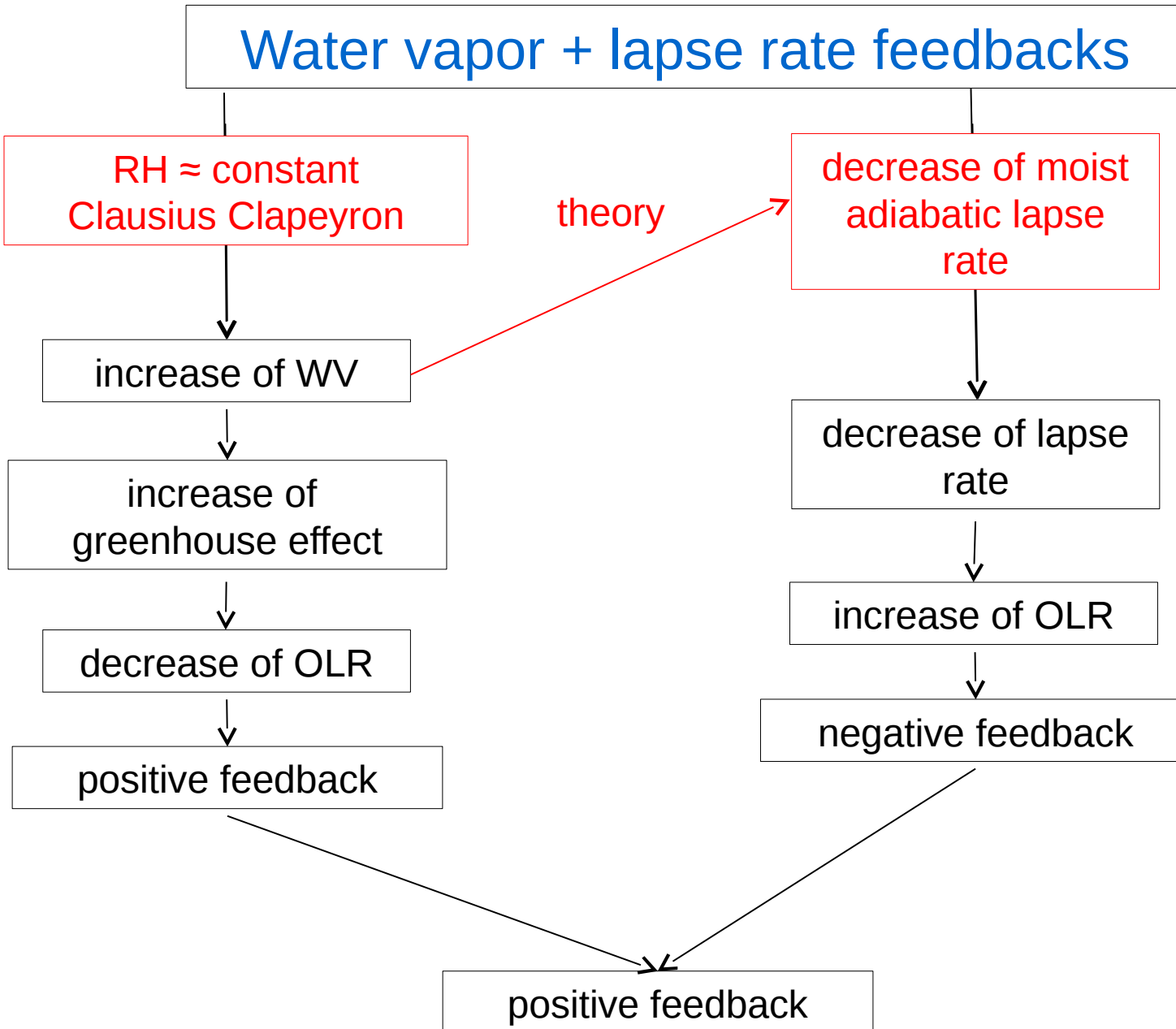
# Water vapour feedback



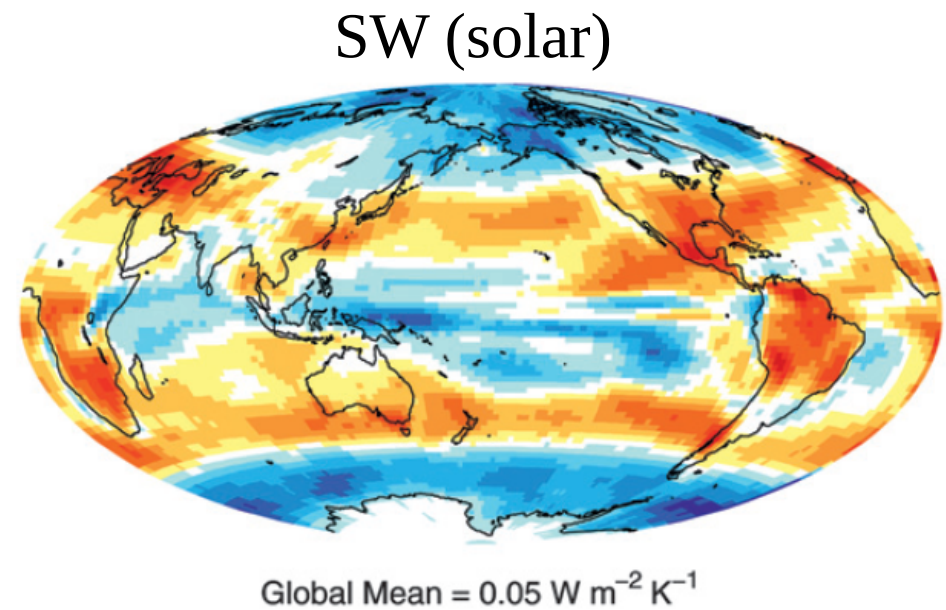
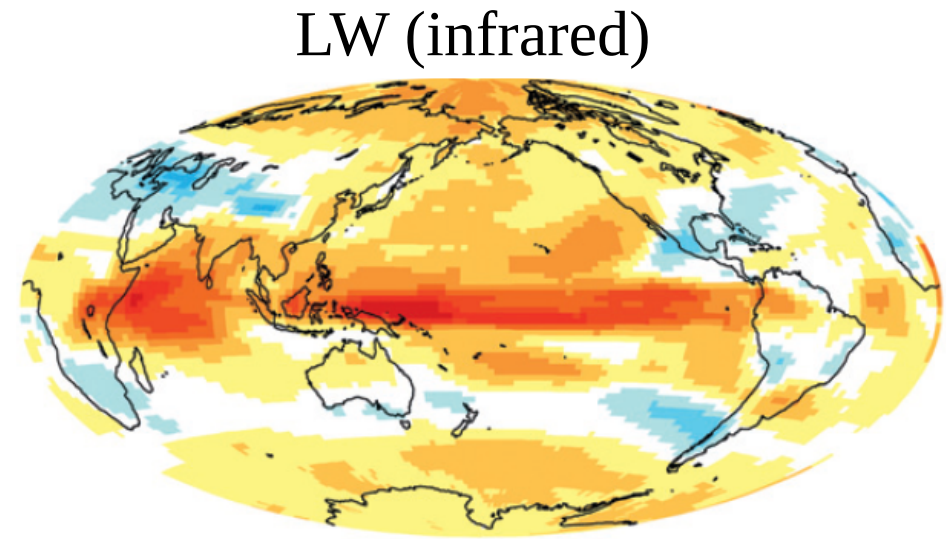
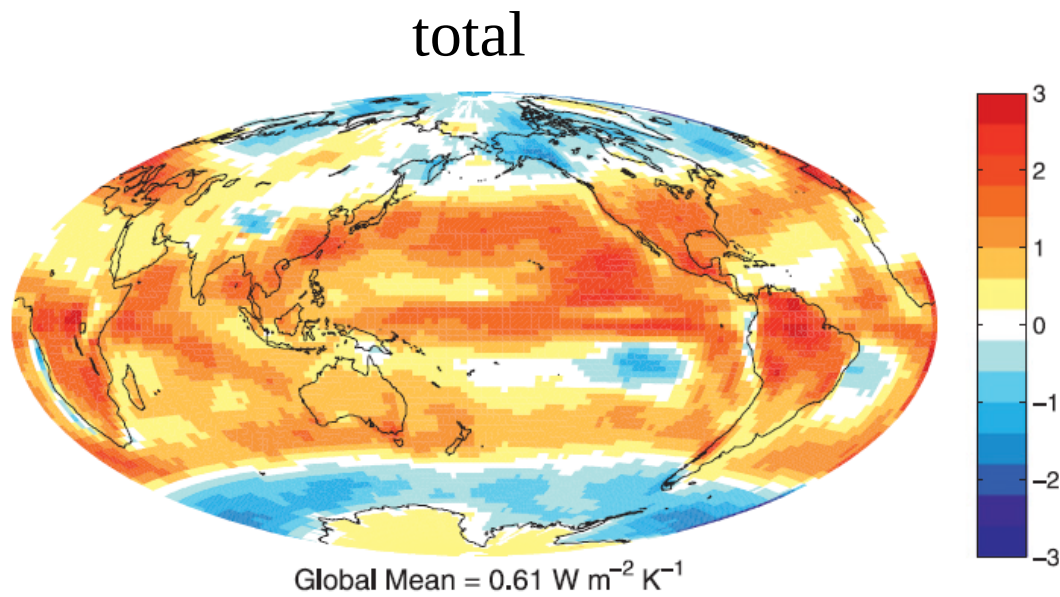
Global Mean =  $2.16 \text{ W m}^{-2} \text{ K}^{-1}$



# Water vapor + lapse rate feedbacks

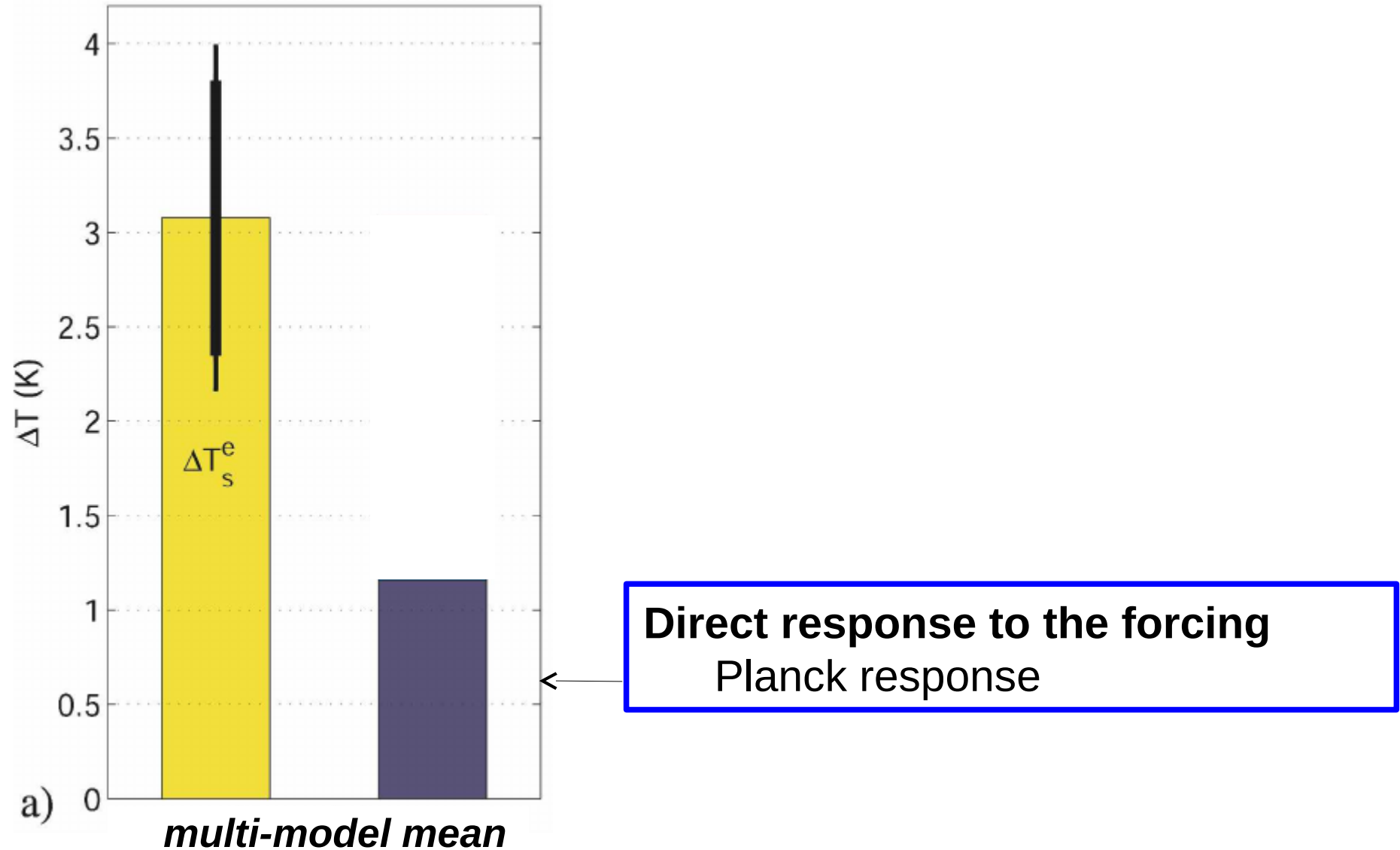


# Cloud feedback



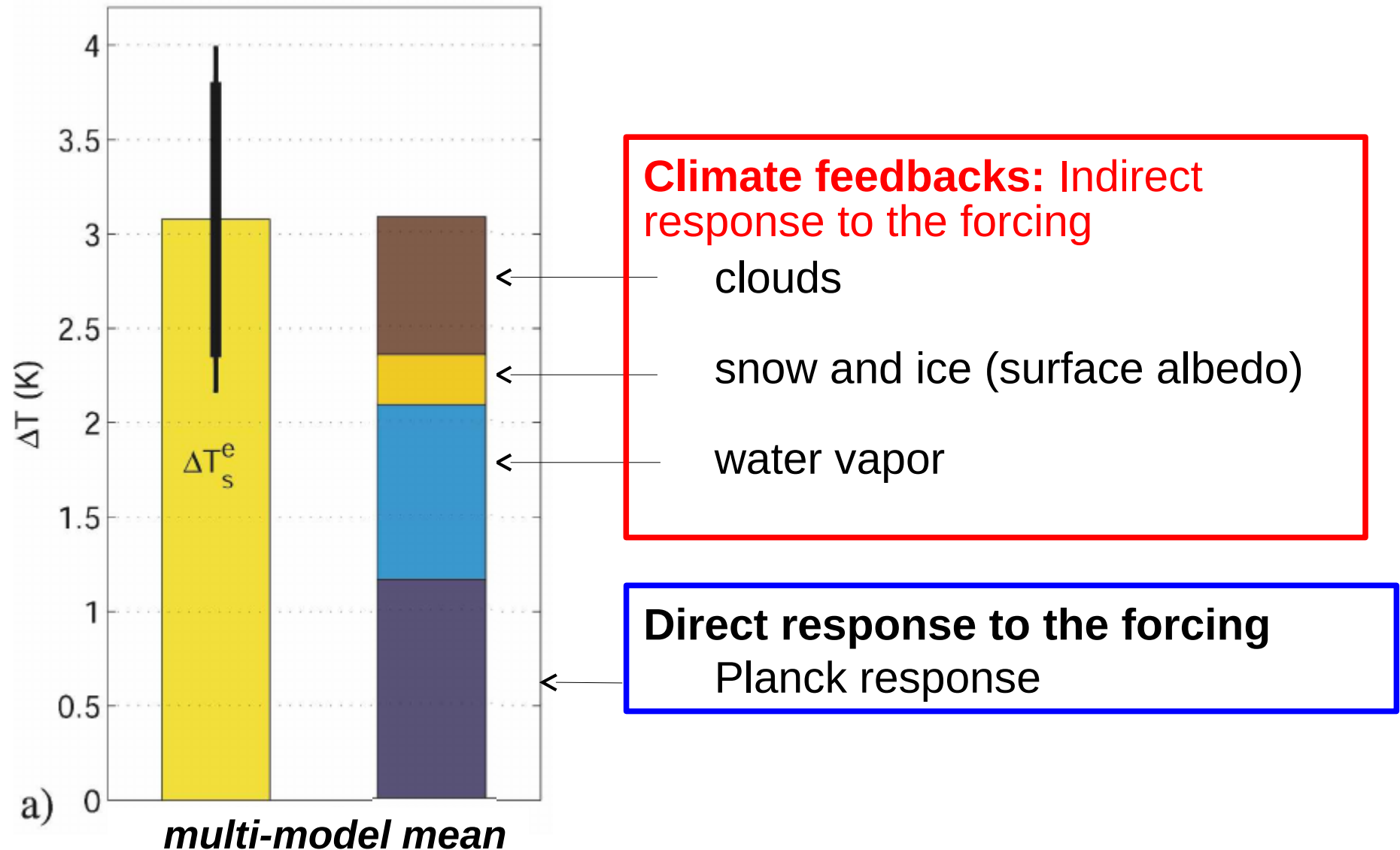
# From feedback parameters to climate sensitivity

Equilibrium temperature response to a CO<sub>2</sub> doubling



# From feedback parameters to climate sensitivity

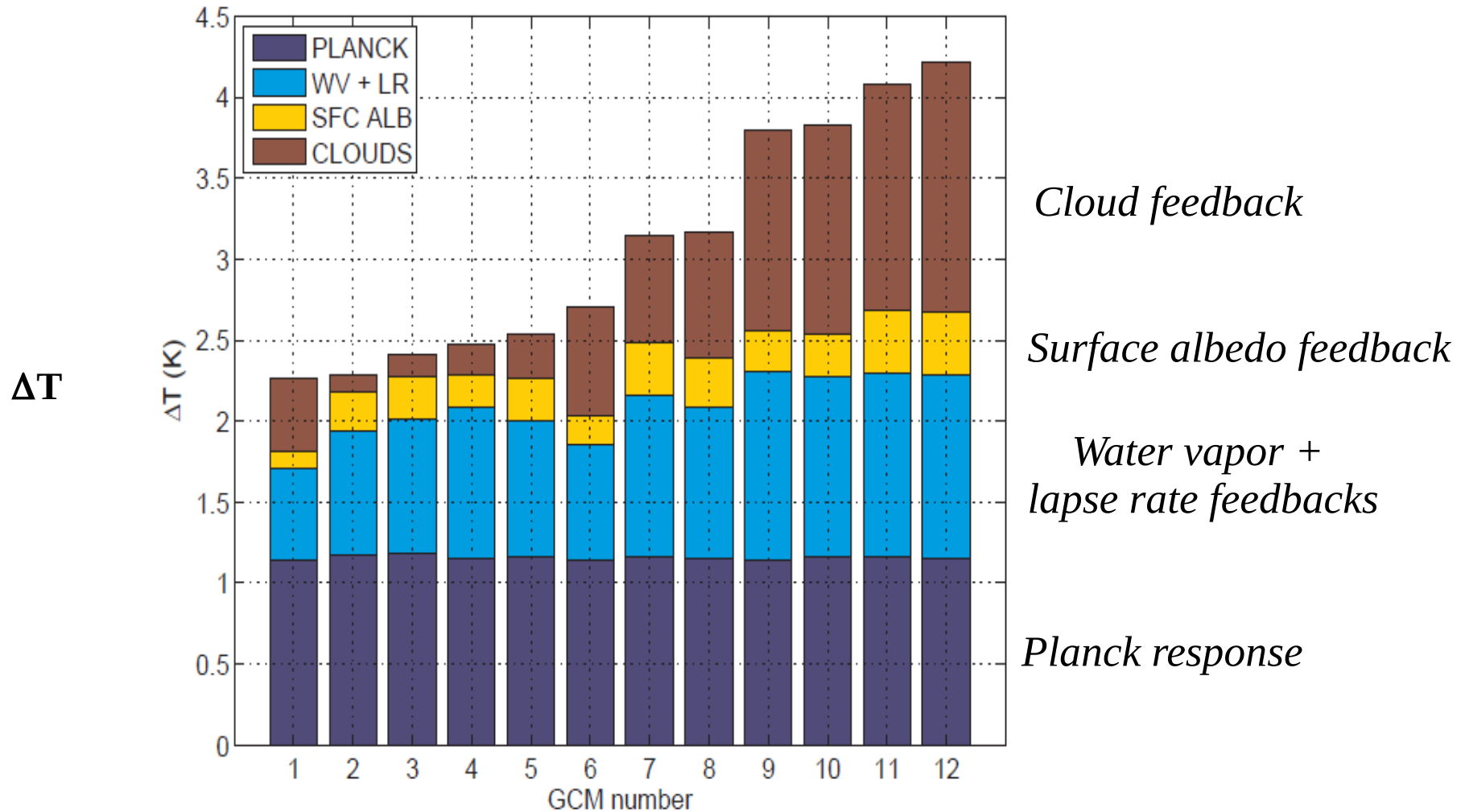
Equilibrium temperature response to a CO<sub>2</sub> doubling



# From feedback parameters to climate sensitivity

## Equilibrium temperature response to a CO<sub>2</sub> doubling

### Origine of inter-model differences in climate sensitivity :

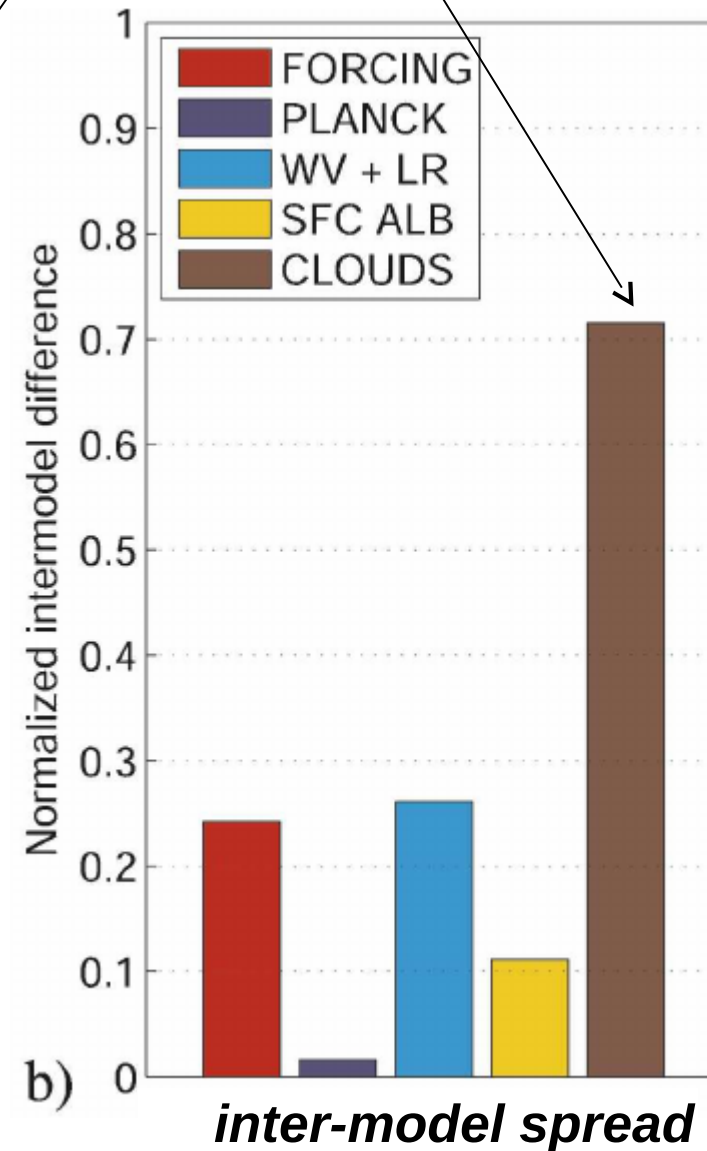
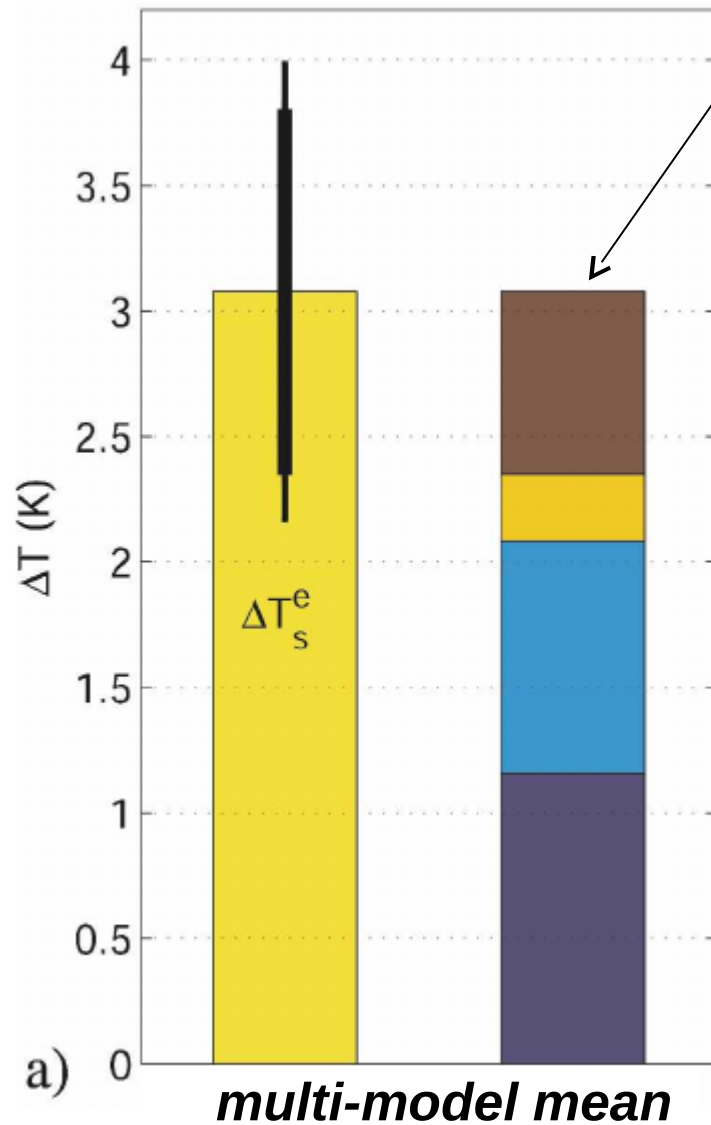




# From feedback parameters to climate sensitivity

Equilibrium temperature response to a CO<sub>2</sub> doubling

## Cloud feedback



# Why do we care so much about global $\Delta T$ ?

- For many models, as a first approximation :

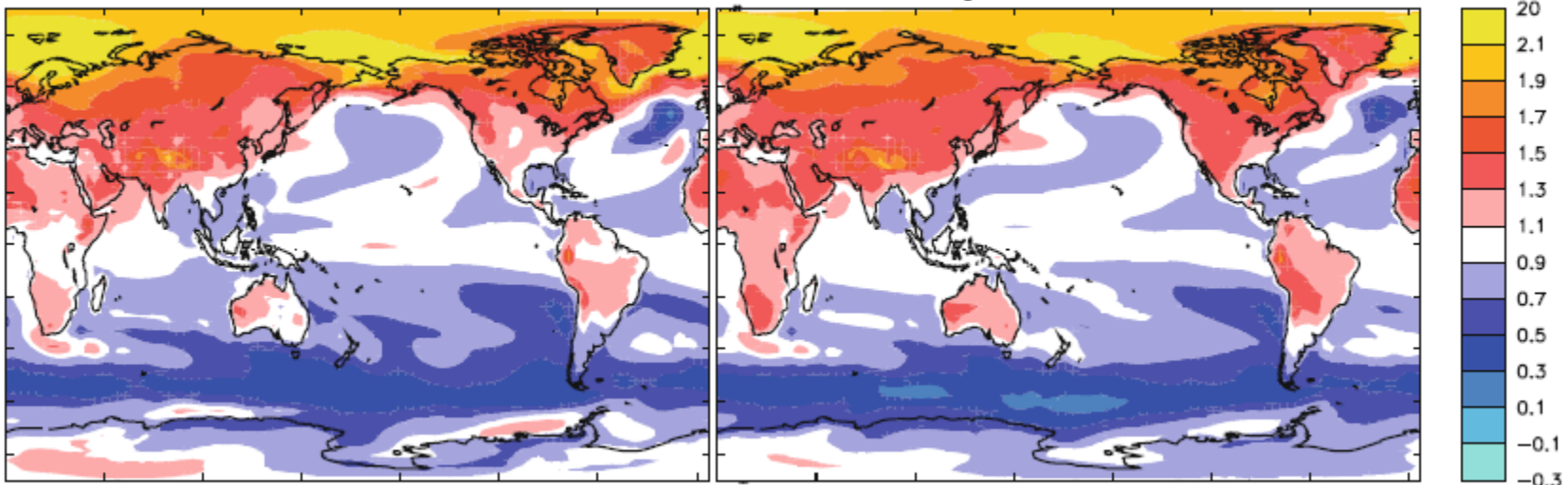
$$\Delta X(\text{space,time}) = \text{global } \Delta T(\text{time}) \times \text{pattern}(\text{space})$$

- **Global  $\Delta T$  : a scaling factor for many global and regional climate responses**
- Maybe it works in the real world too (at least to some extent)

## Change in temperature normalized by global $\Delta T$ (K/K)

RCP 2.6 ( $\Delta T = 2\text{K}$ )  
low GHG scenario

RCP 8.5 ( $\Delta T = 6\text{K}$ )  
high GHG scenario





FIN

